

b) $r\omega = W$ EXTRACTS THE MOST POWER. IT LEAVES THE LEAST SWIRLING KINETIC ENERGY IN THE FLOW ($\sim v_2^2$) (OF THE 3 CASES SHOWN ABOVE)

c) ARGUMENT 1: IF $r\omega = \frac{4}{3}W$ ALL SWIRLING KINETIC ENERGY IS EXTRACTED (i.e. $v_2 = 0$). CAN SEE THIS FROM LOOKING AT THE GRAPHS.

ARGUMENT 2: TAKE DERIVATIVE OF EULER EQUATION w.r.t. $r\omega$ & SET = 0

$$\frac{d}{d(r\omega)} [(w r) W \tan \beta_1 + (w r) W \tan \beta_2' - (w r)^2] = 0 \quad \text{WITH } \beta_1 = \beta_2'$$

$$2 W \tan \beta_1 = 2 w r \quad \therefore 2 w r = W \tan \beta_1$$

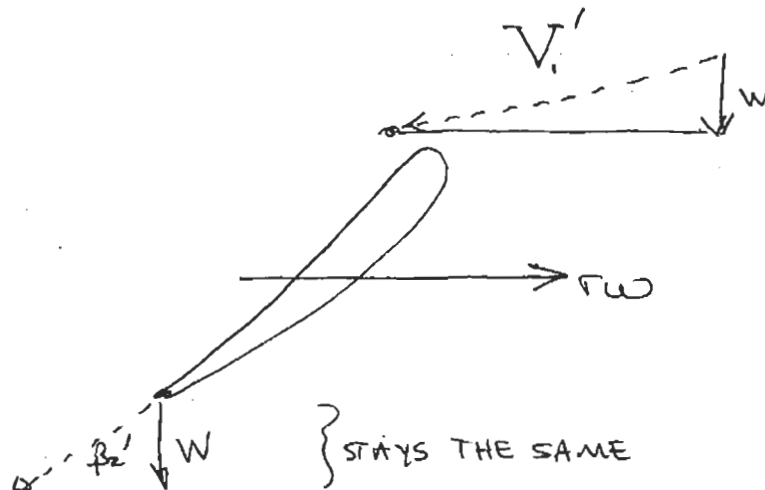
$$= W \frac{v_1}{W} = v_1$$

$$= \frac{4}{3} W \quad \checkmark$$

d) IT BEGINS TO ACT LIKE A COMPRESSOR WHEN IT PUTS MORE SWIRL KINETIC ENERGY INTO FLOW ($\sim v_2^2$) THAN IT STARTED WITH ($\sim v_1^2$).

THIS HAPPENS (GRAPHICALLY) FOR $r\omega > \frac{2}{3} W$, WHICH IS ALSO WHEN THE EULER TURBINE EQUATION STARTS GIVING NEGATIVE VALUES OF $T_1 - T_2$, IMPLYING AN ENTHALPY RISE NOT AN ENTHALPY DROP.

REGARDING THE AERODYNAMICS FOR THIS SITUATION, CONSIDER THE RELATIVE FRAME VELOCITIES



NEGATIVE ANGLE OF ATTACK! (USUALLY DOESN'T WORK WELL)