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6.189 Multicore Programming Primer, January (IAP) 2007

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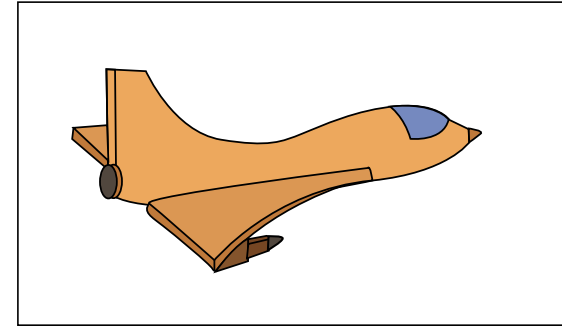
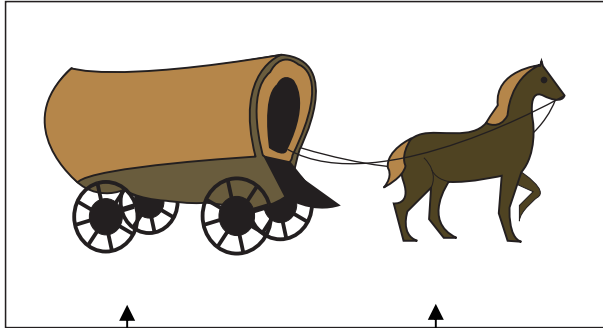
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6.189 IAP 2007

Lecture 8

The StreamIt Language

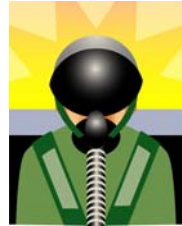
Languages Have Not Kept Up



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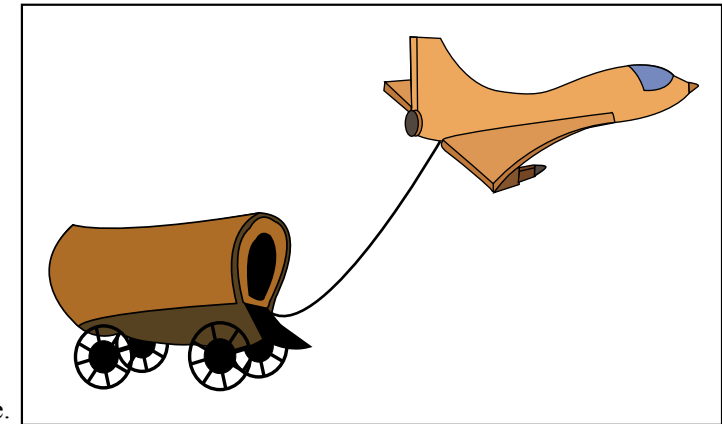
C ↔ von-Neumann
machine

Modern
architecture



- Two choices:

- Develop cool architecture with complicated, ad-hoc language
- Bend over backwards to support old languages like C/C++



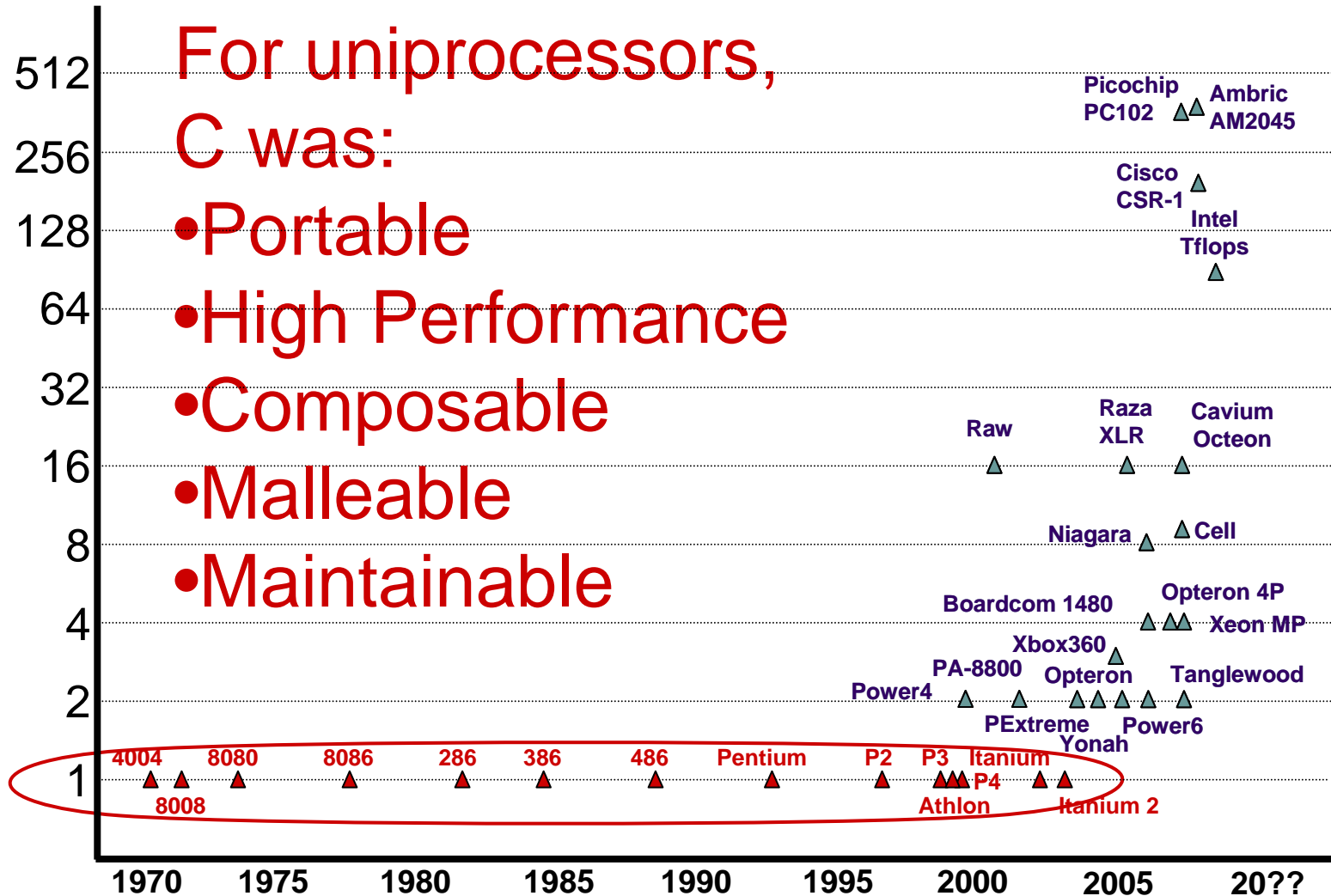
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Why a New Language?

For uniprocessors,
C was:

- Portable
- High Performance
- Composable
- Malleable
- Maintainable

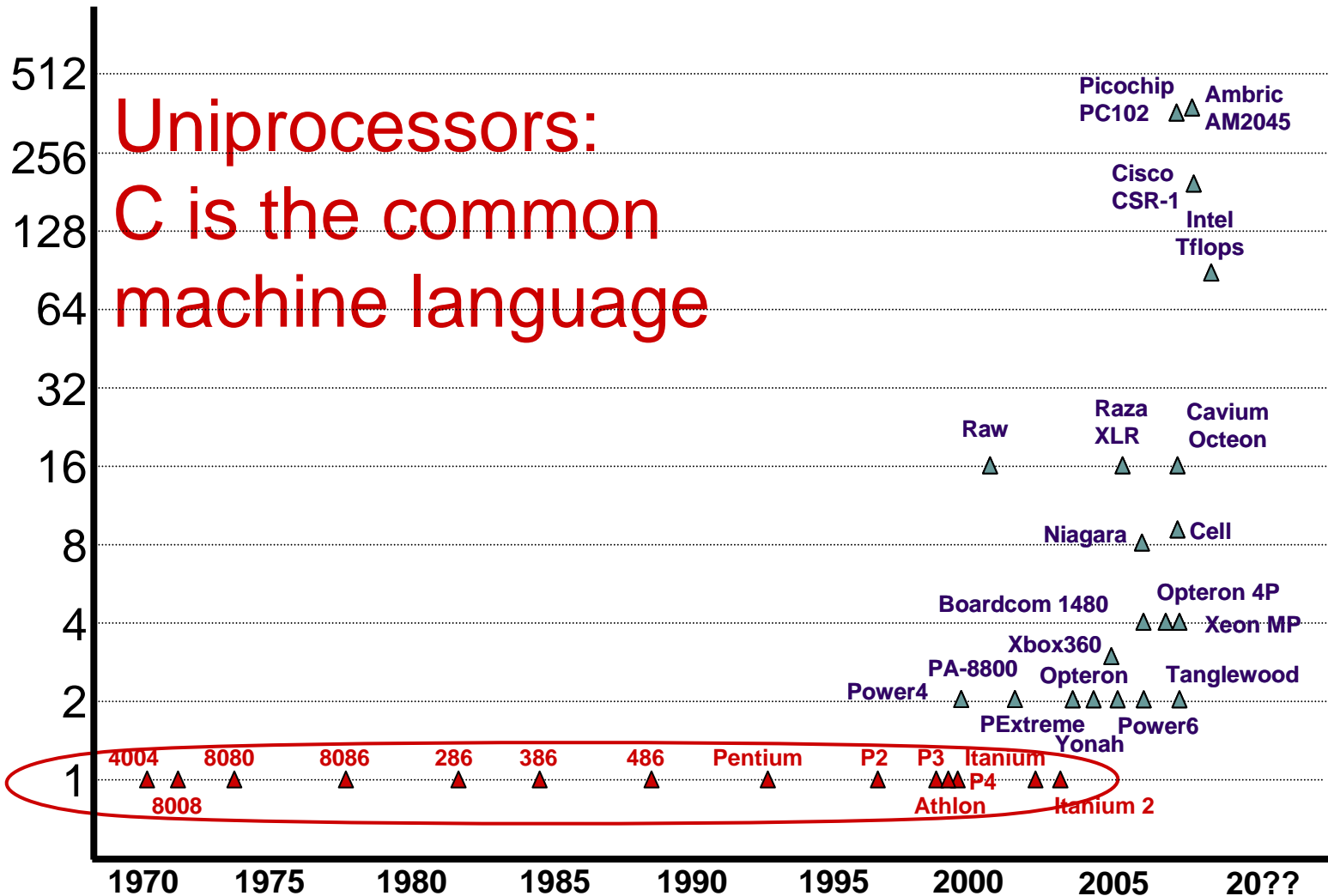
of
cores



Why a New Language?

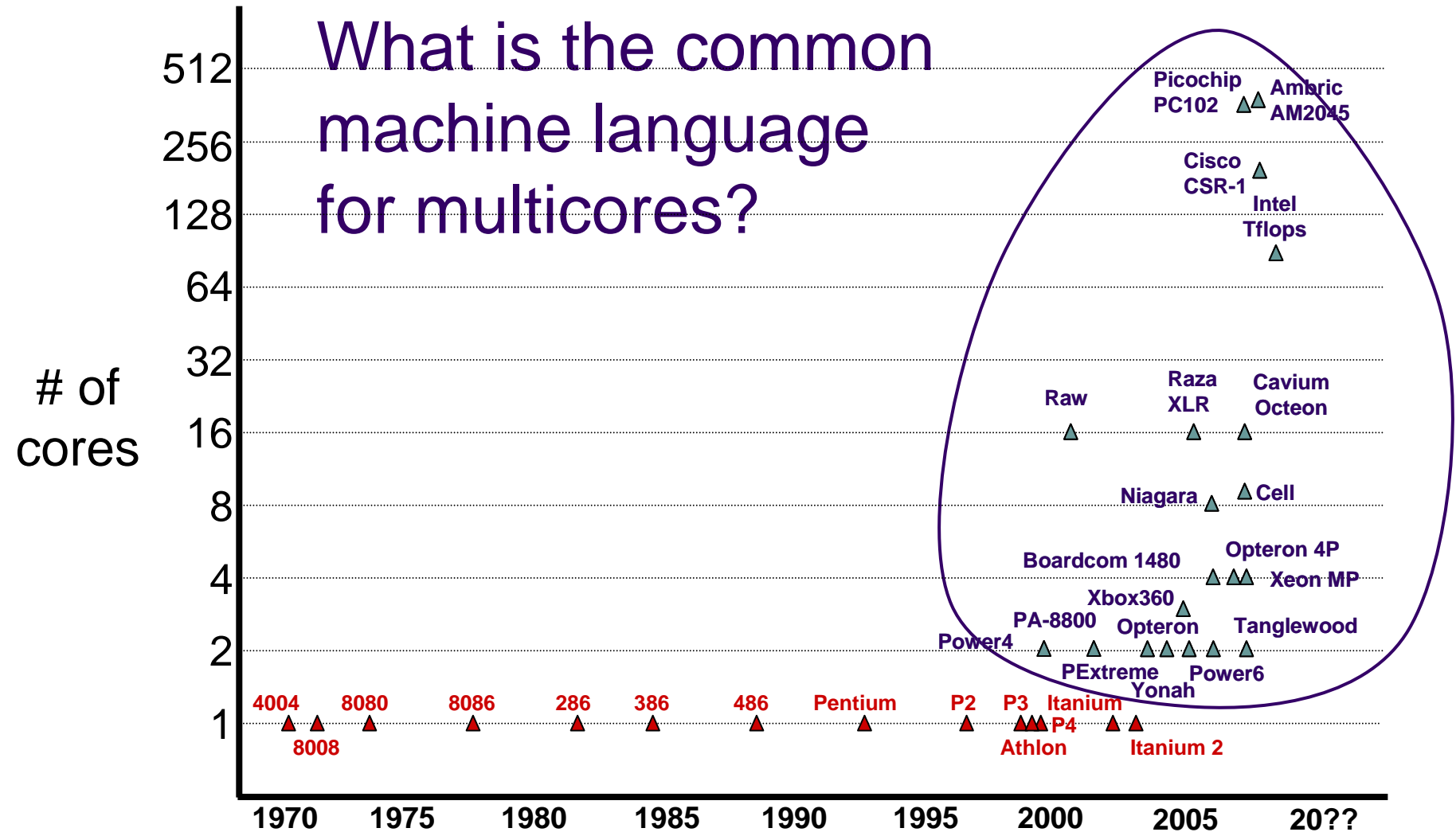
Uniprocessors:
C is the common
machine language

of
cores



Why a New Language?

What is the common machine language for multicores?



Common Machine Languages

Uniprocessors:

Common Properties
Single flow of control
Single memory image

Differences:
Register File
ISA
Functional Units

von-Neumann languages represent the common properties and abstract away the differences

Multicores:

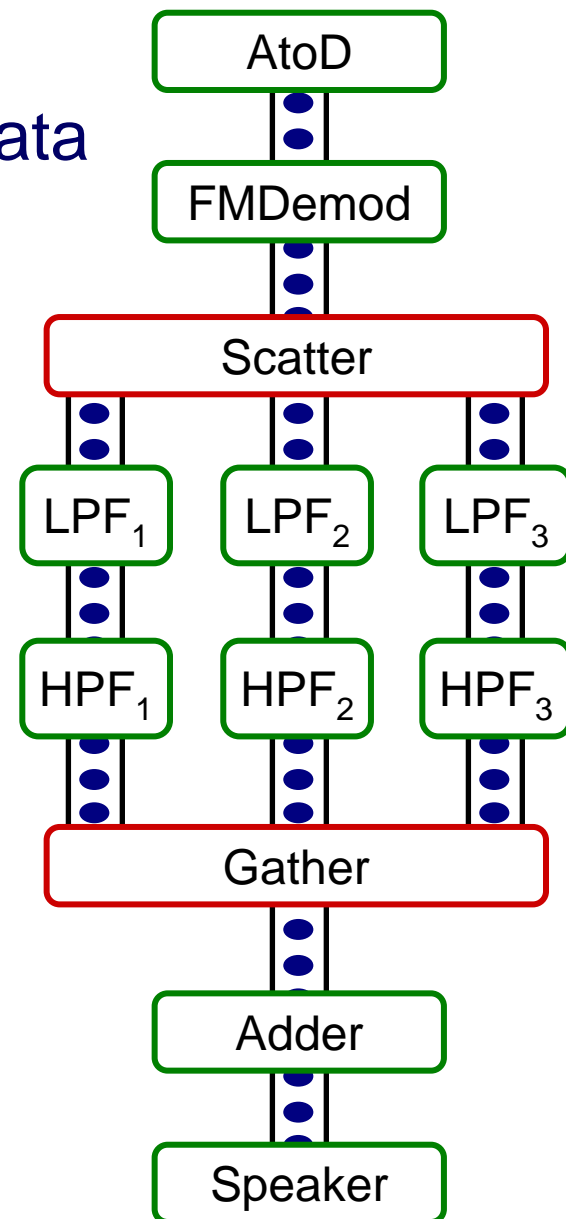
Common Properties
Multiple flows of control
Multiple local memories

Differences:
Number and capabilities of cores
Communication Model
Synchronization Model

Need common machine language(s) for multicores

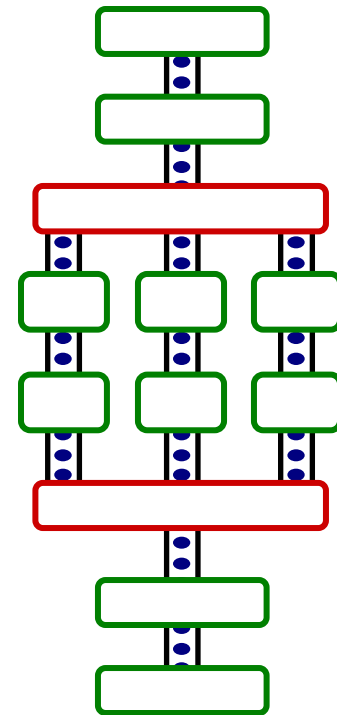
Streaming as a Common Machine Language

- For programs based on streams of data
 - Audio, video, DSP, networking, and cryptographic processing kernels
 - Examples: HDTV editing, radar tracking, microphone arrays, cell phone base stations, graphics
- Several attractive properties
 - Regular and repeating computation
 - Independent filters with explicit communication
 - Task, data, and pipeline parallelism



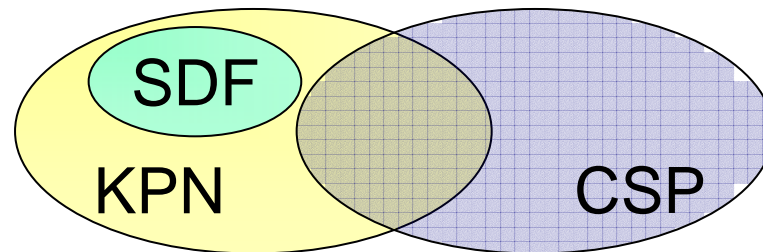
Streaming Models of Computation

- Many different ways to represent streaming
 - Do senders/receivers block?
 - How much buffering is allowed on channels?
 - Is computation deterministic?
 - Can you avoid deadlock?
- Three common models:
 1. Kahn Process Networks
 2. Synchronous Dataflow
 3. Communicating Sequential Processes



Streaming Models of Computation

	Communication Pattern	Buffering	Notes
Kahn process networks (KPN)	Data-dependent, but deterministic	Conceptually unbounded	- UNIX pipes - Ambric (startup)
Synchronous dataflow (SDF)	Static	Fixed by compiler	- Static scheduling - Deadlock freedom
Communicating Sequential Processes (CSP)	Data-dependent, allows non-determinism	None (Rendezvous)	- Rich synchronization primitives - Occam language



space of program behaviors

The StreamIt Language

- A high-level, architecture-independent language for streaming applications
 - Improves programmer productivity (vs. Java, C)
 - Offers scalable performance on multicores
- Based on synchronous dataflow, with dynamic extensions
 - Compiler determines execution order of filters
 - Many aggressive optimizations possible

The StreamIt Project

- **Applications**

- DES and Serpent [PLDI 05]
- MPEG-2 [IPDPS 06]
- SAR, DSP benchmarks, JPEG, ...

- **Programmability**

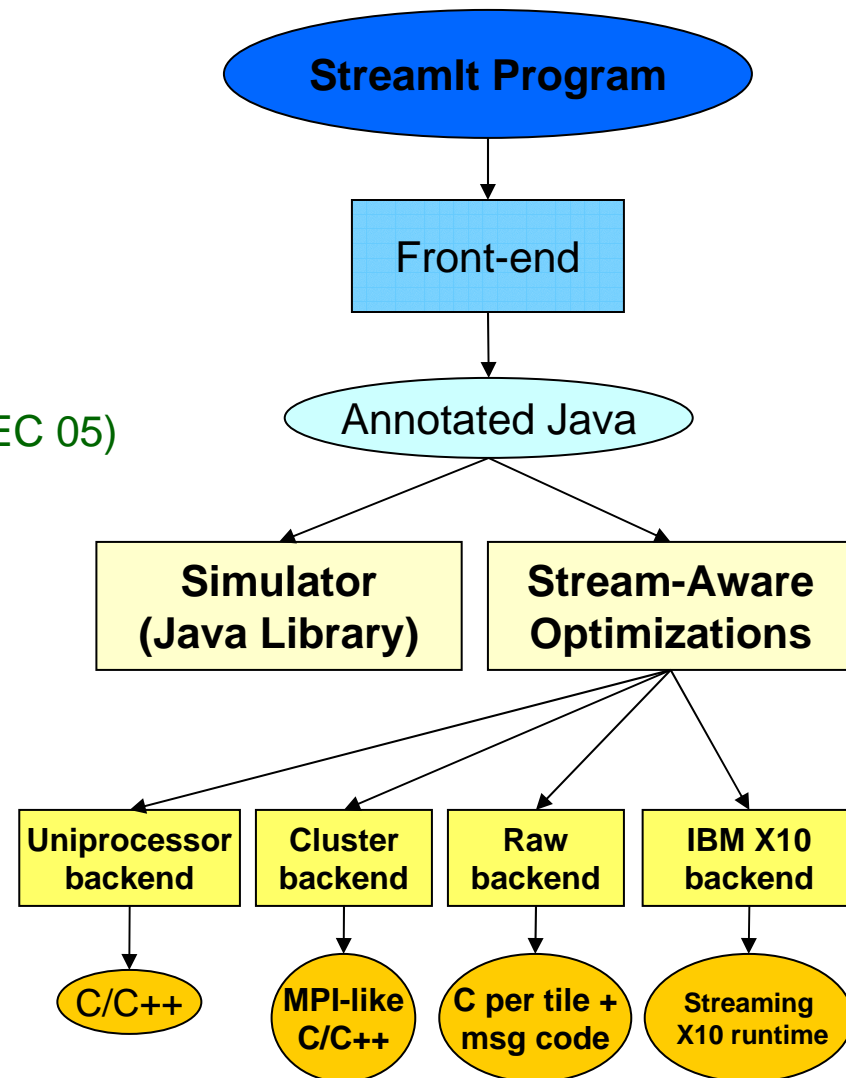
- StreamIt Language (CC 02)
- Teleport Messaging (PPOPP 05)
- Programming Environment in Eclipse (P-PHEC 05)

- **Domain Specific Optimizations**

- Linear Analysis and Optimization (PLDI 03)
- Optimizations for bit streaming (PLDI 05)
- Linear State Space Analysis (CASES 05)

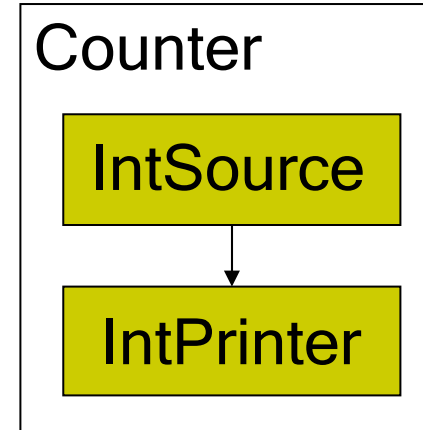
- **Architecture Specific Optimizations**

- Compiling for Communication-Exposed Architectures (ASPLOS 02)
- Phased Scheduling (LCTES 03)
- Cache Aware Optimization (LCTES 05)
- Load-Balanced Rendering (Graphics Hardware 05)



Example: A Simple Counter

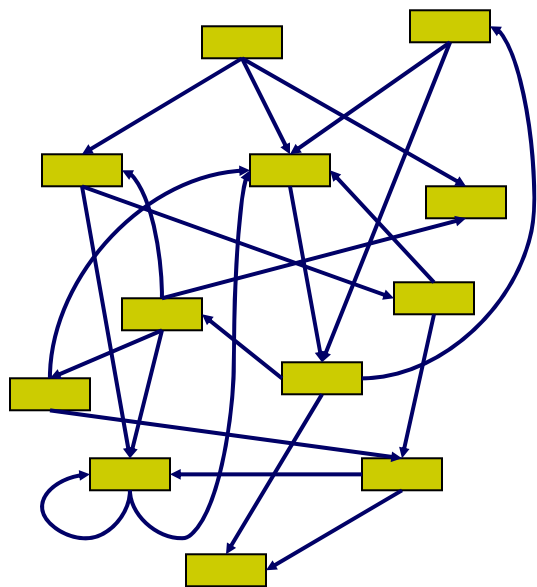
```
void->void pipeline Counter() {  
    add IntSource();  
    add IntPrinter();  
}  
  
void->int filter IntSource() {  
    int x;  
    init { x = 0; }  
    work push 1 { push (x++); }  
}  
  
int->void filter IntPrinter() {  
    work pop 1 { print(pop()); }  
}
```



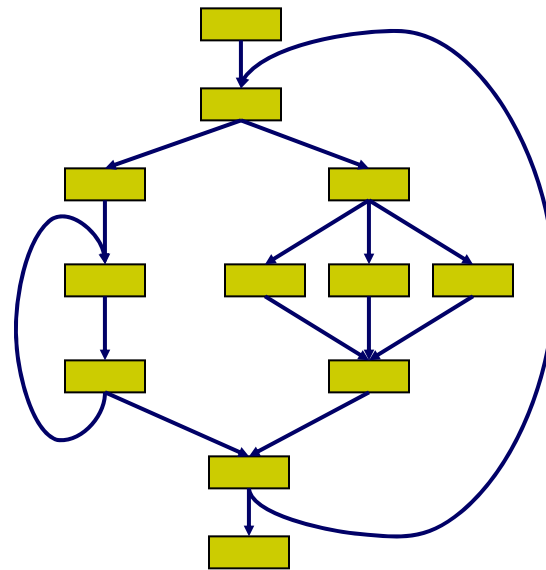
```
% strc Counter.str -o counter  
% ./counter -i 4  
0  
1  
2  
3
```

Representing Streams

- Conventional wisdom: streams are graphs
 - Graphs have no simple textual representation
 - Graphs are difficult to analyze and optimize
- Insight: stream programs have structure

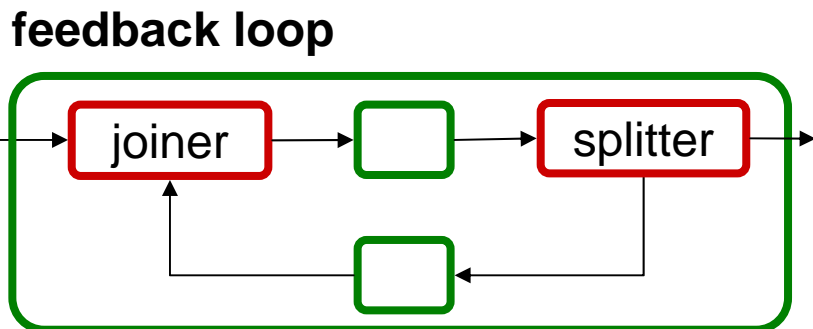
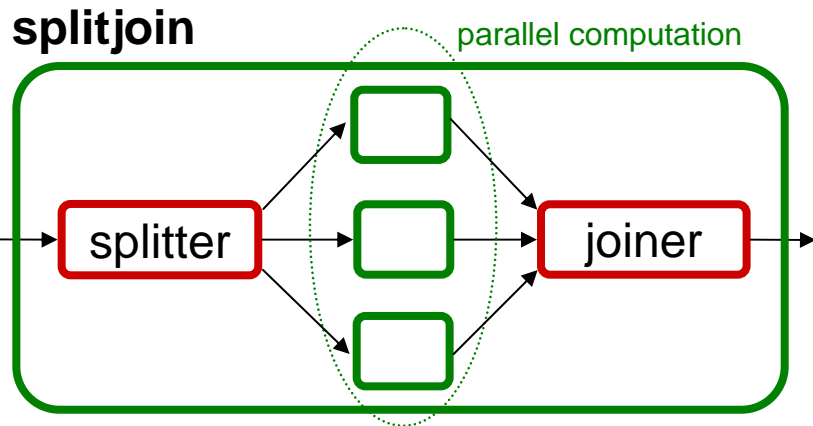
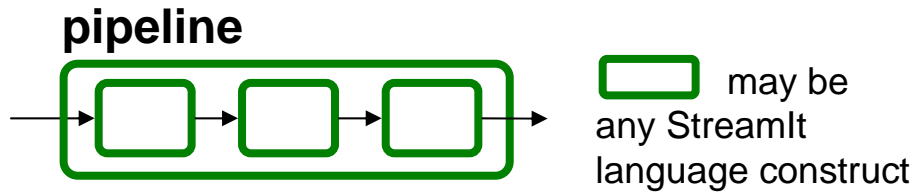
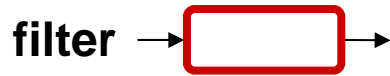


unstructured



structured

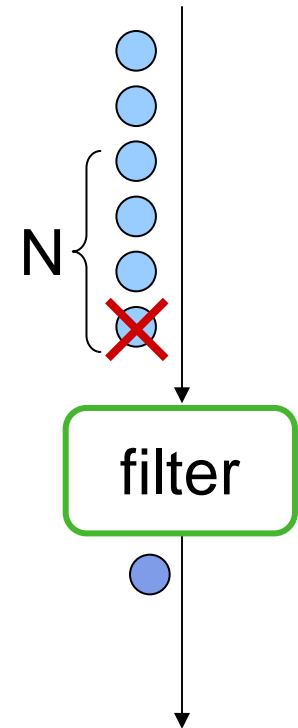
Structured Streams



- Each structure is single-input, single-output
- Hierarchical and composable

Filter Example: Low Pass Filter

```
float->float filter LowPassFilter (int N, float freq) {  
    float[N] weights;  
  
    init {  
        weights = calcWeights(freq);  
    }  
  
    work peek N push 1 pop 1 {  
        float result = 0;  
        for (int i=0; i<weights.length; i++) {  
            result += weights[i] * peek(i);  
        }  
        push(result);  
        pop();  
    }  
}
```



Low Pass Filter in C

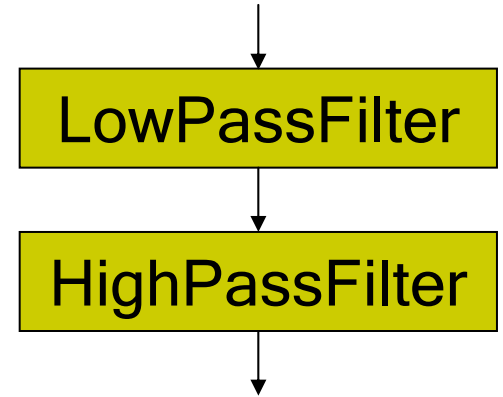
```
void FIR(
    int* src,
    int* dest,
    int* srcIndex,
    int* destIndex,
    int srcBufferSize,
    int destBufferSize,
    int N) {

    float result = 0.0;
    for (int i = 0; i < N; i++) {
        result += weights[i] * src[(*srcIndex + i) % srcBufferSize];
    }
    dest[*destIndex] = result;
    *srcIndex = (*srcIndex + 1) % srcBufferSize;
    *destIndex = (*destIndex + 1) % destBufferSize;
}
```

- FIR functionality obscured by buffer management details
- Programmer must commit to a particular buffer implementation strategy

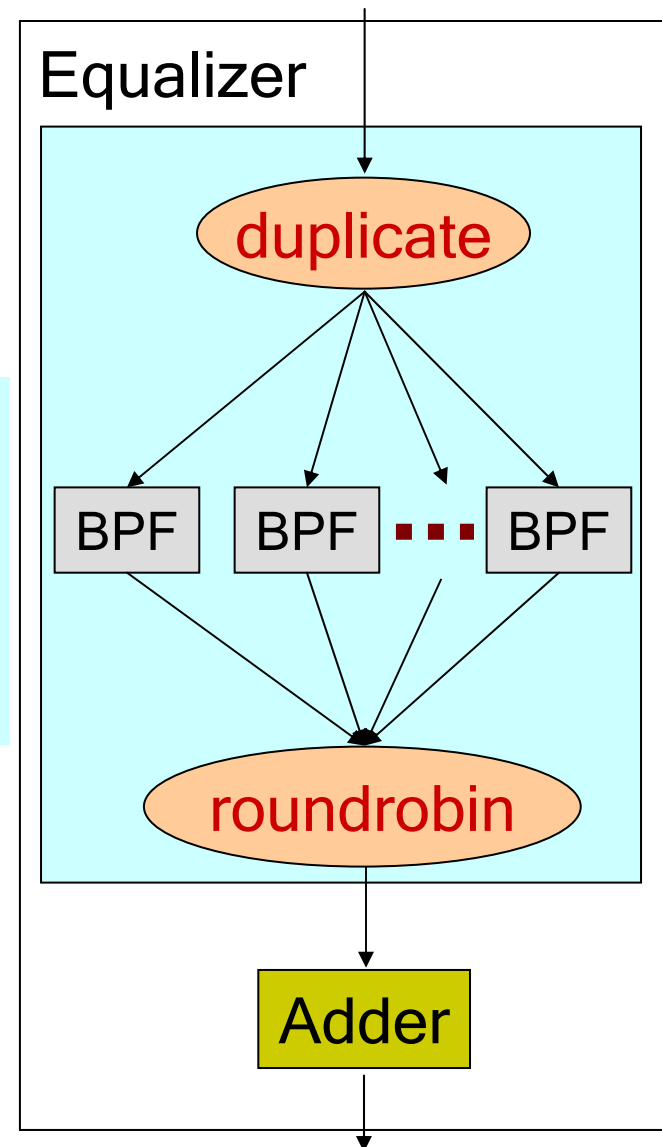
Pipeline Example: Band Pass Filter

```
float→float pipeline BandPassFilter (int N,  
float low,  
float high) {  
    add LowPassFilter(N, low);  
    add HighPassFilter(N, high);  
}
```



SplitJoin Example: Equalizer

```
float→float pipeline Equalizer (int N,  
float lo,  
float hi) {  
  add splitjoin {  
    split duplicate;  
    for (int i=0; i<N; i++)  
      add BandPassFilter(64, lo + i*(hi - lo)/N);  
    join roundrobin(1);  
  }  
  add Adder(N);  
}
```



Building Larger Programs: FMRadio

```
void->void pipeline FMRadio(int N, float lo, float hi) {
```

```
  add AtoD();
```

```
  add FMDemod();
```

```
  add splitjoin {
```

```
    split duplicate;
```

```
    for (int i=0; i<N; i++) {
```

```
      add pipeline {
```

```
        add LowPassFilter(lo + i*(hi - lo)/N);
```

```
        add HighPassFilter(lo + i*(hi - lo)/N);
```

```
      }
```

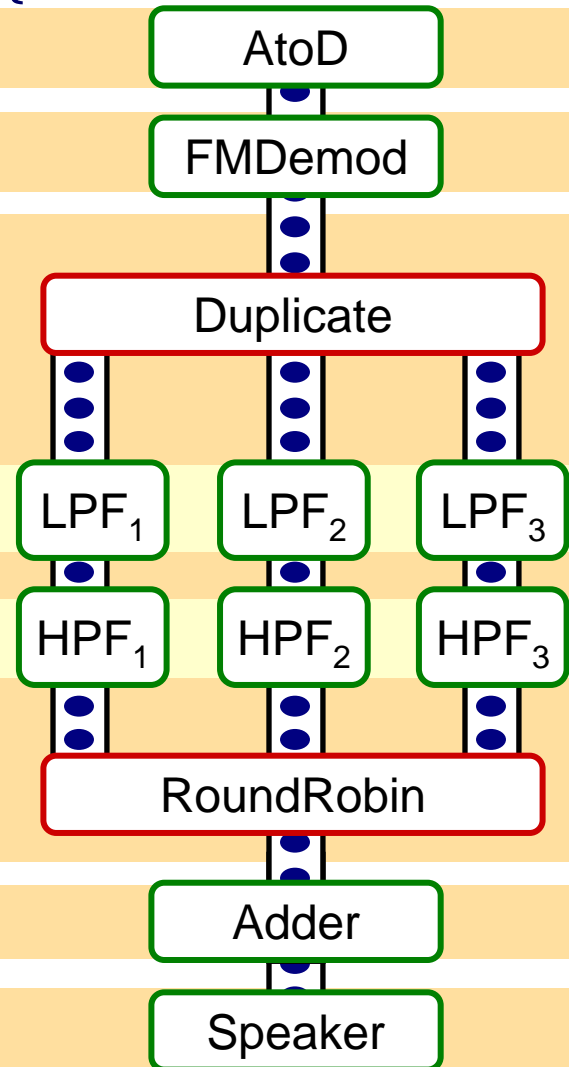
```
    }
```

```
    join roundrobin();
```

```
  add Adder();
```

```
  add Speaker();
```

```
}
```



The Beauty of Streaming

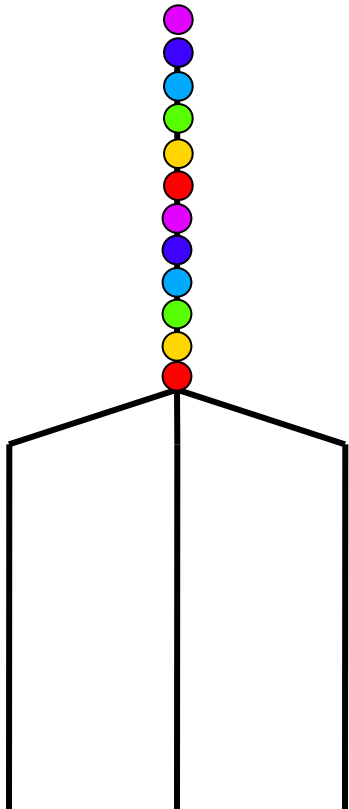
“Some programs are elegant, some are exquisite, some are sparkling. My claim is that it is possible to write *grand* programs, *noble* programs, truly *magnificent* ones!”

— Don Knuth, ACM Turing Award Lecture

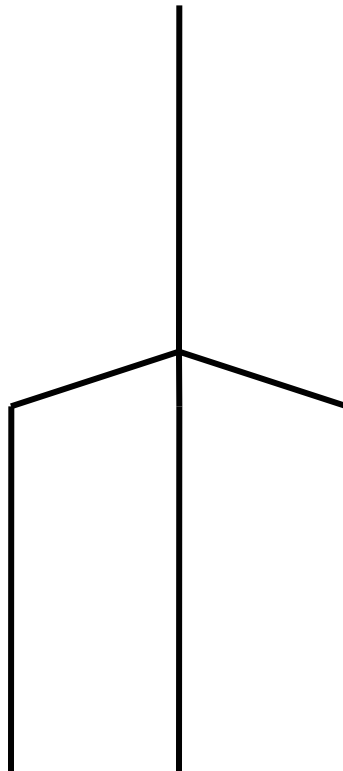
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SplitJoins are Beautiful

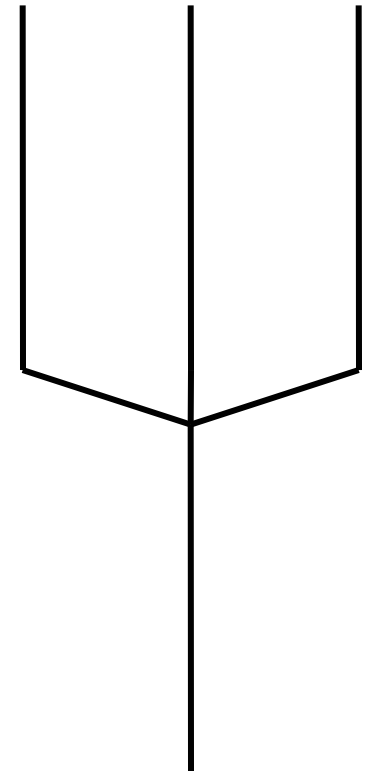
split duplicate



split roundrobin(N)

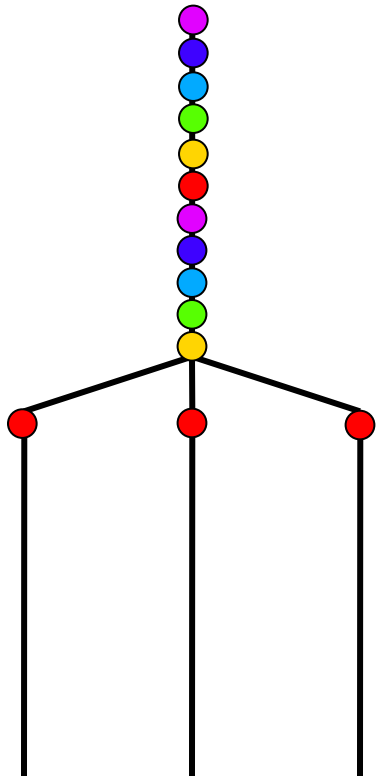


join roundrobin(N)

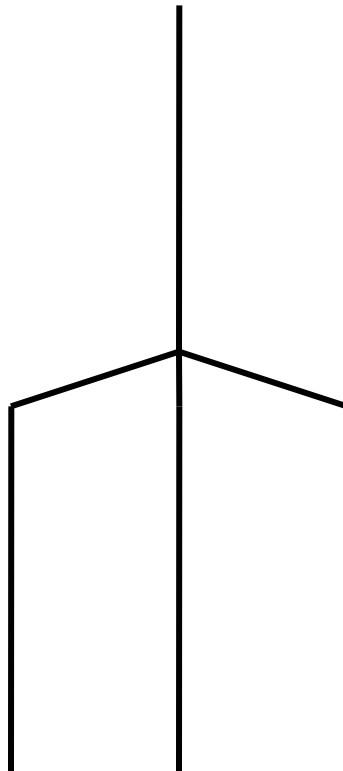


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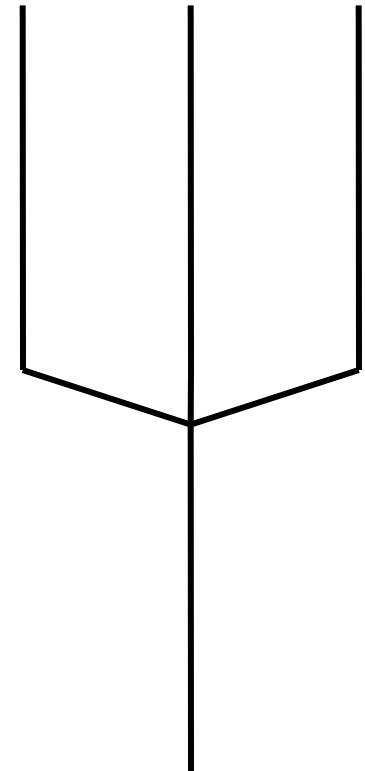
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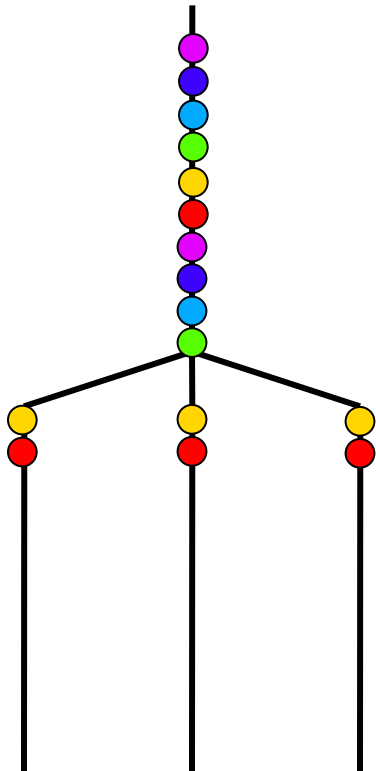


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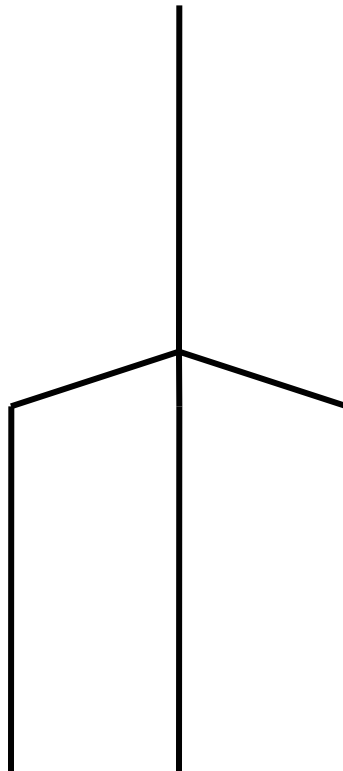


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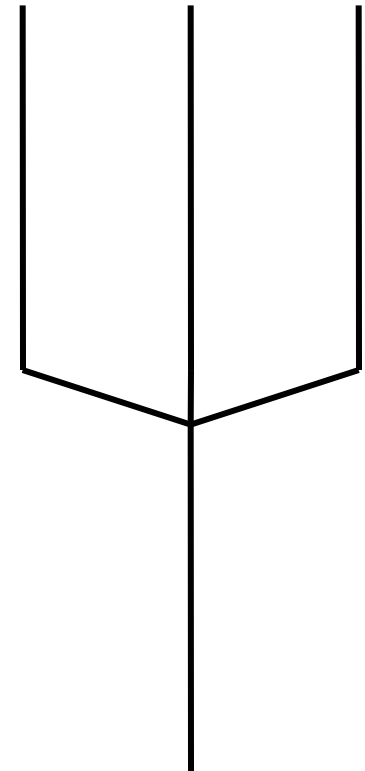
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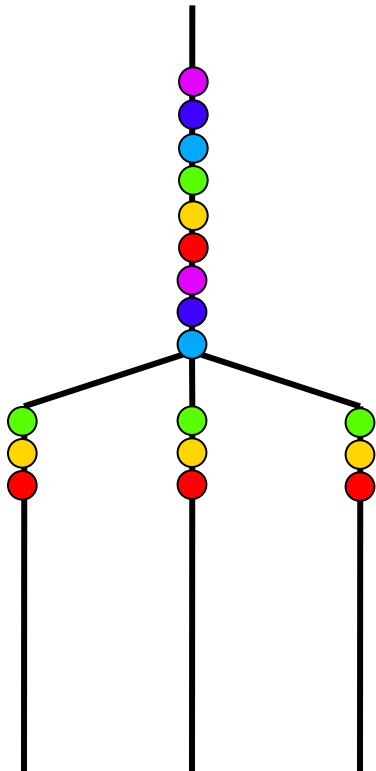


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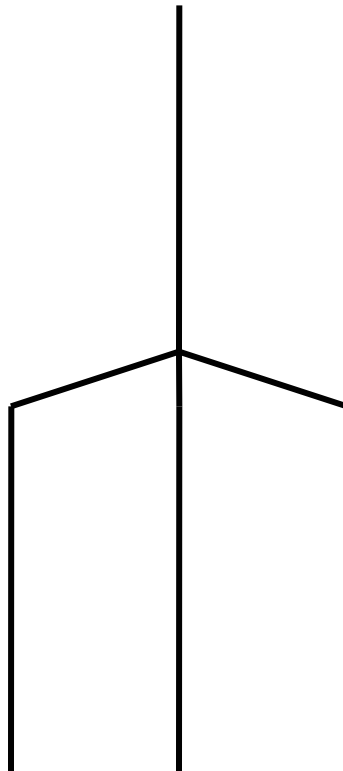


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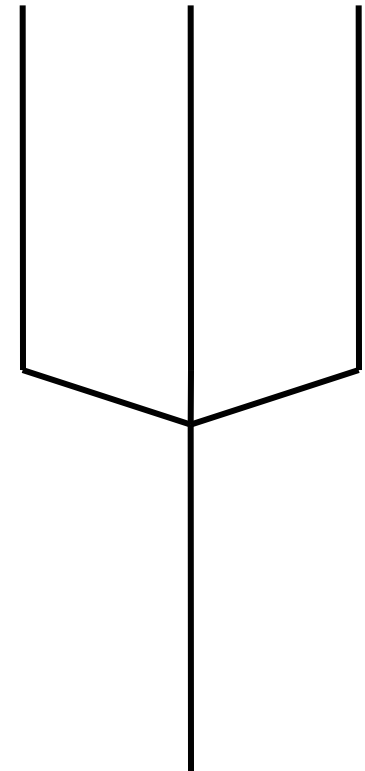
split duplicate



split roundrobin(N)

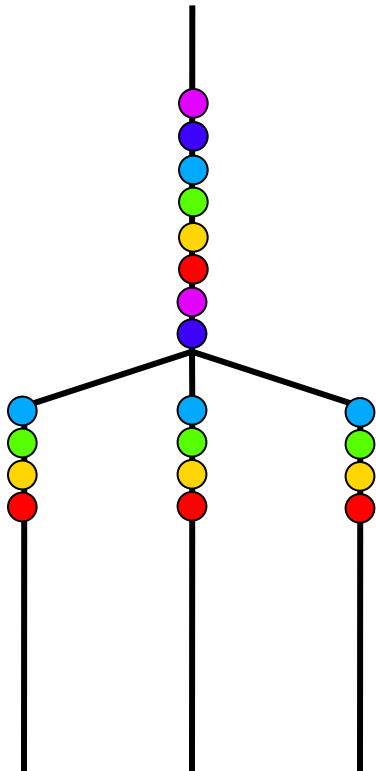


join roundrobin(N)

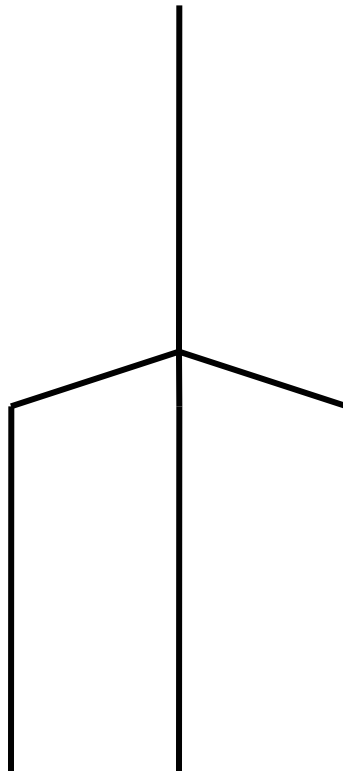


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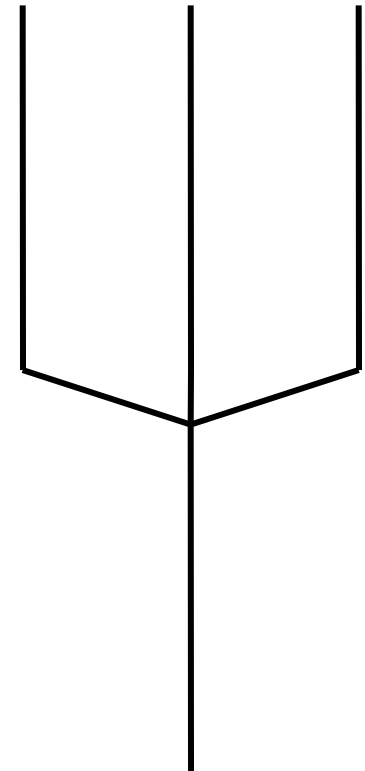
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split roundrobin(N)

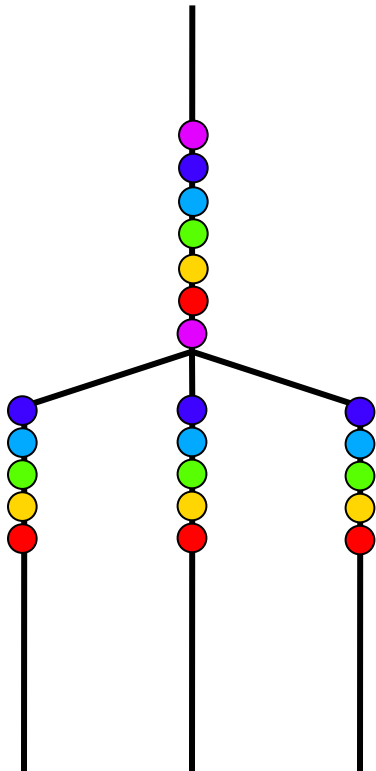


join roundrobin(N)

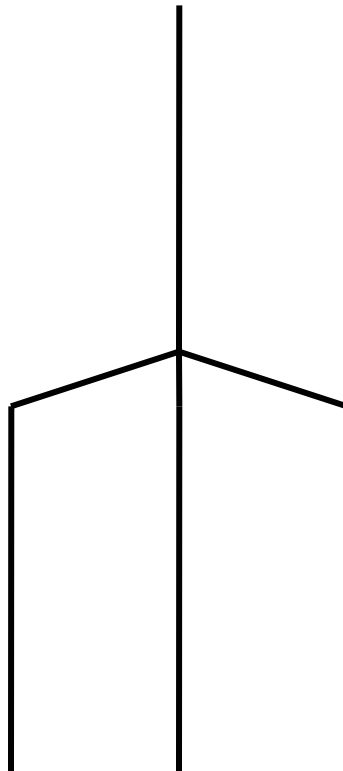


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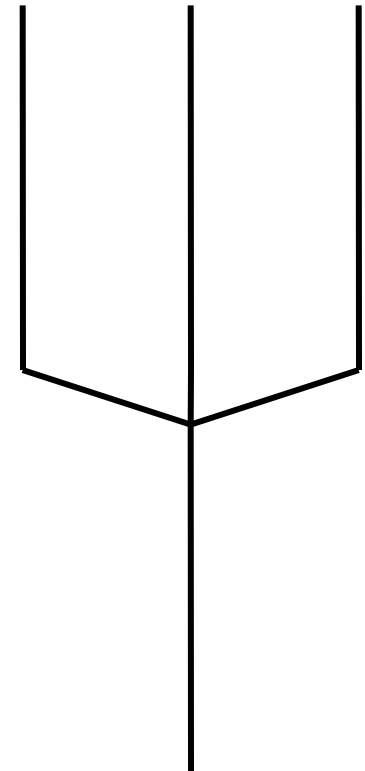
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split roundrobin(N)

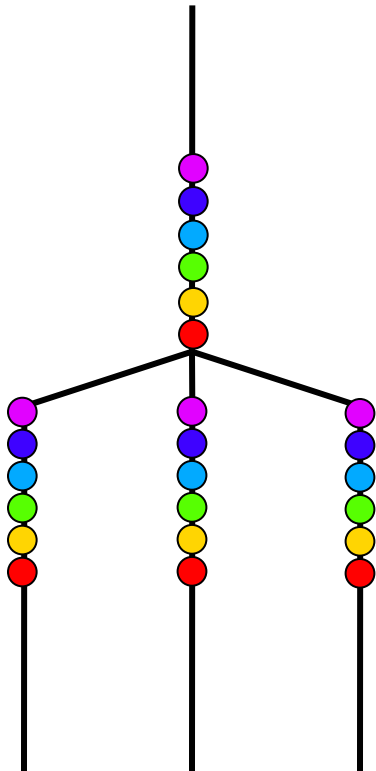


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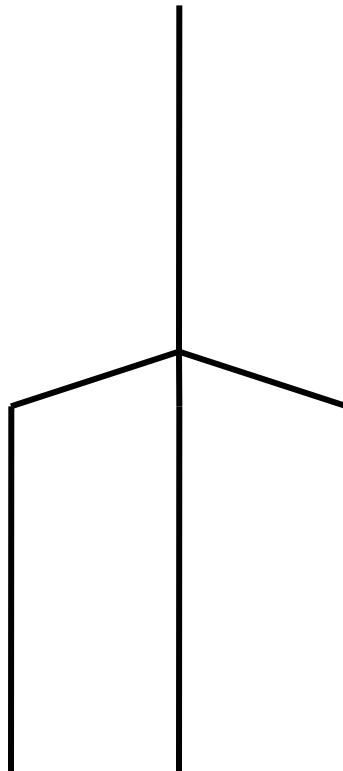


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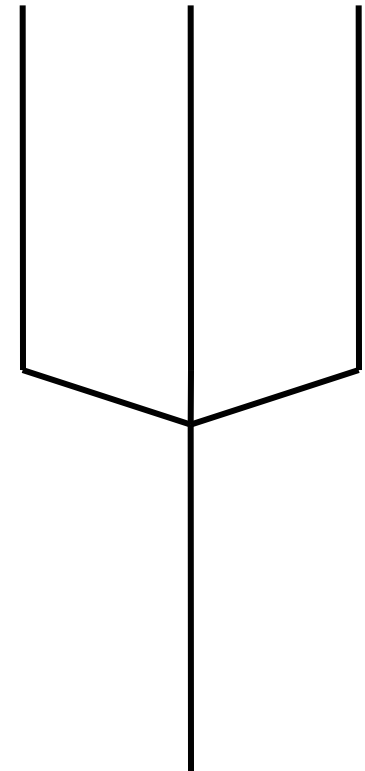
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split roundrobin(N)

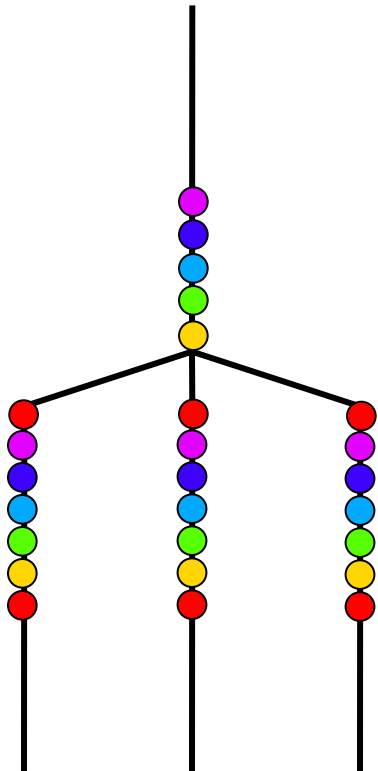


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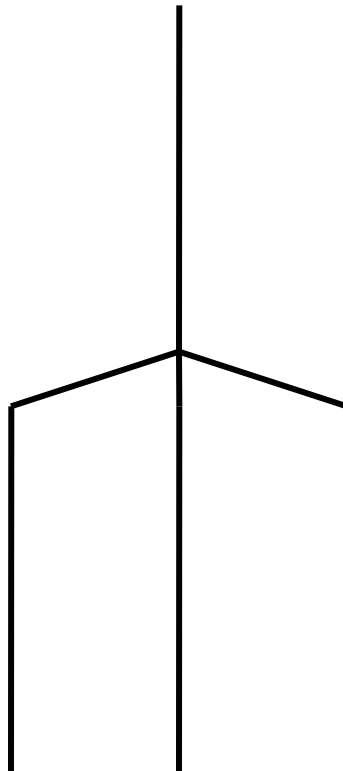


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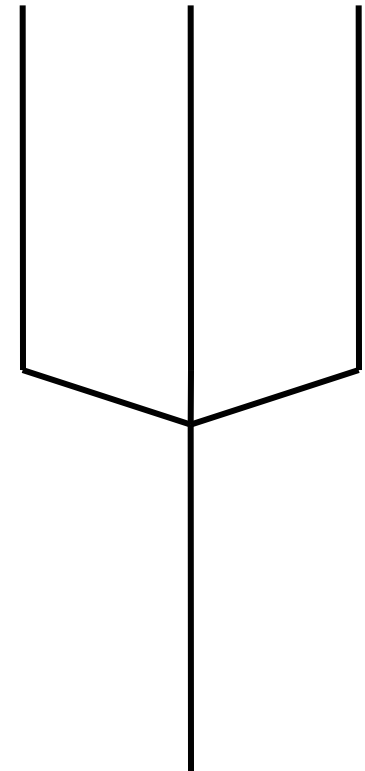
split duplicate



split roundrobin(N)

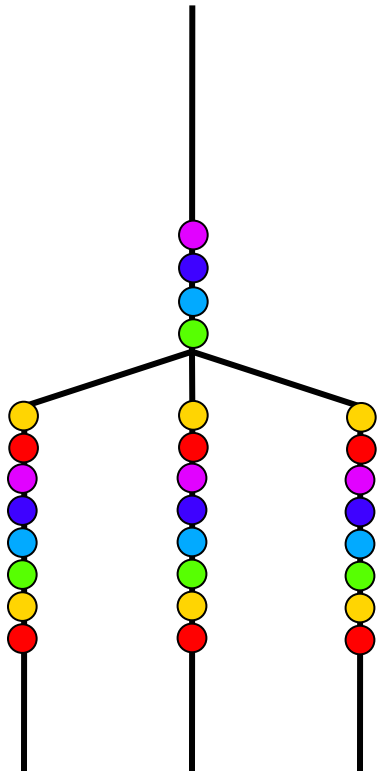


join roundrobin(N)

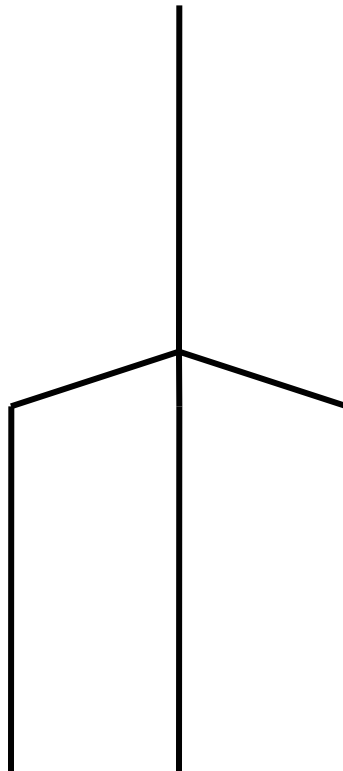


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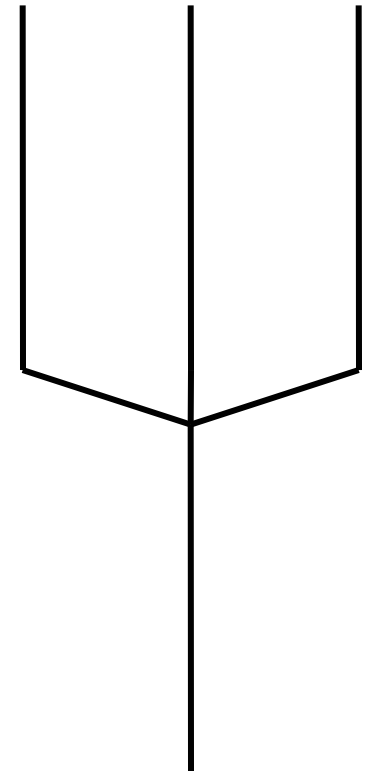
split duplicate



split roundrobin(N)

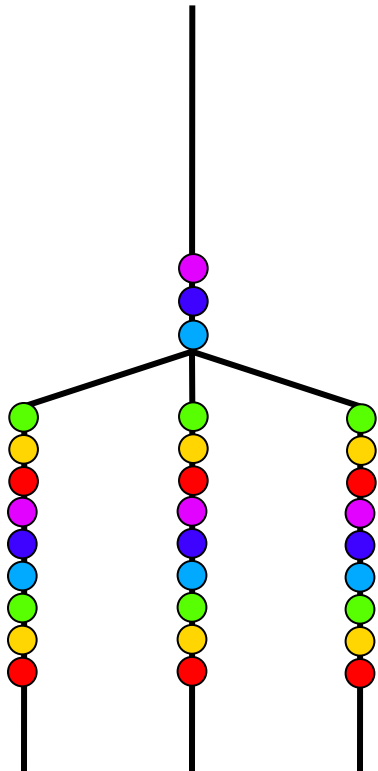


join roundrobin(N)

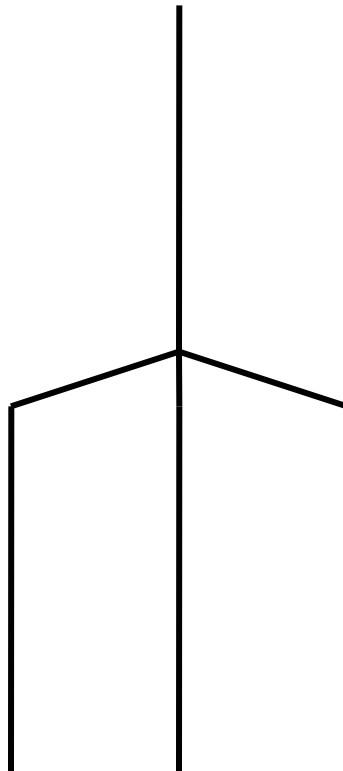


SplitJoins are Beautiful

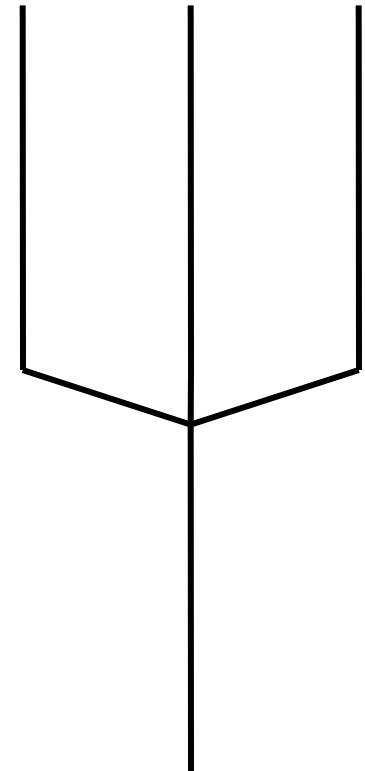
split duplicate



split roundrobin(N)

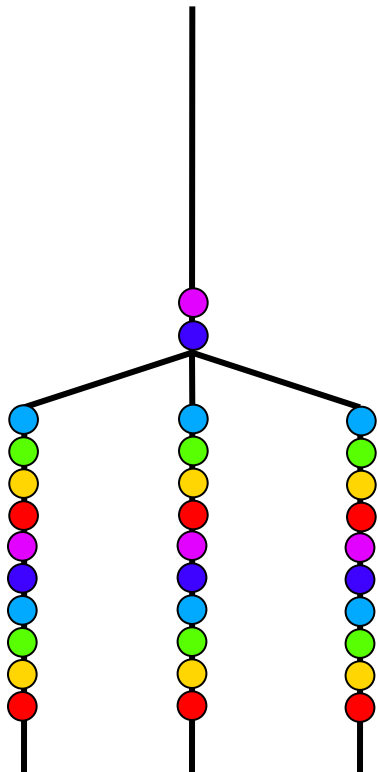


join roundrobin(N)

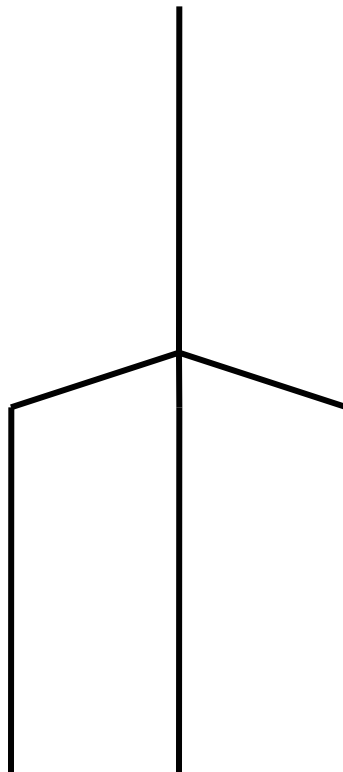


SplitJoins are Beautiful

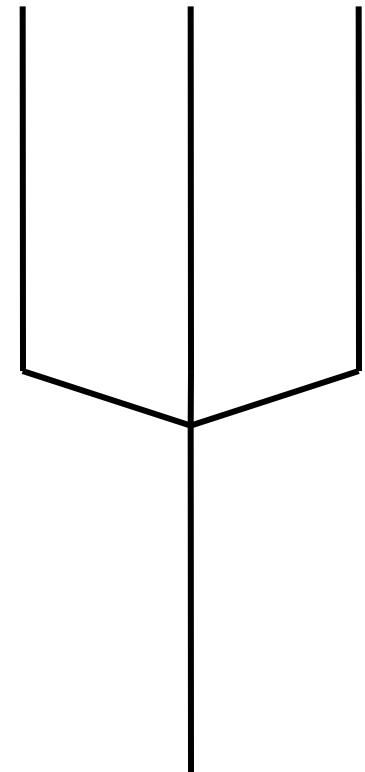
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split roundrobin(N)

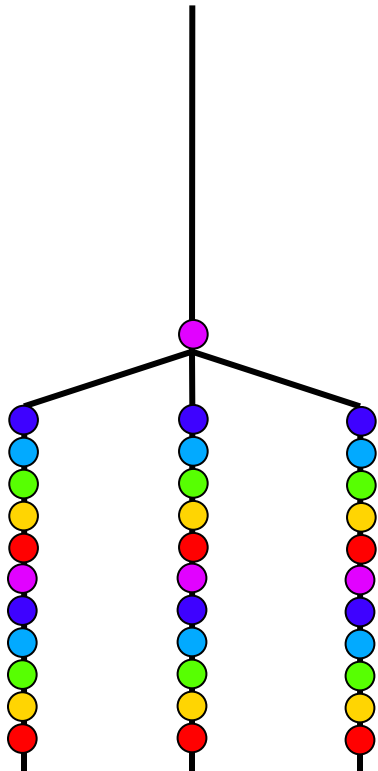


join roundrobin(N)

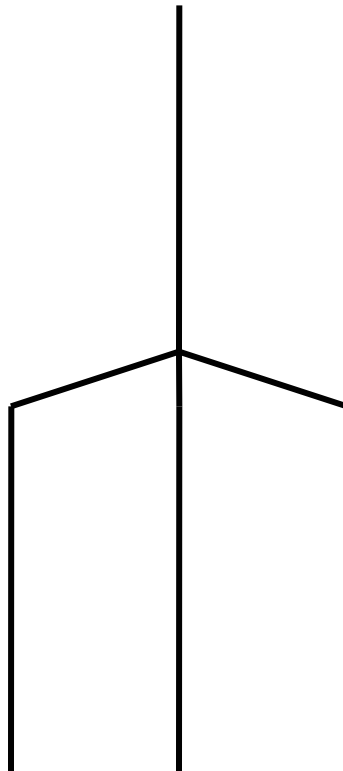


SplitJoins are Beautiful

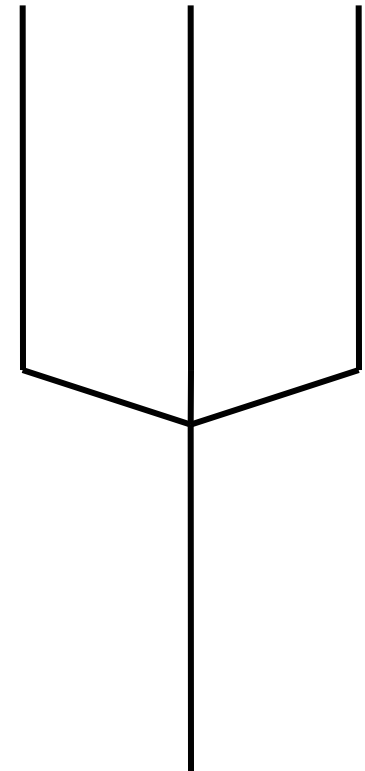
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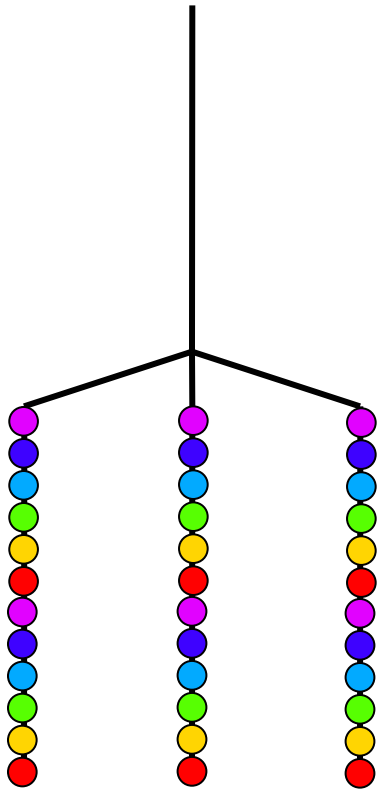


join roundrobin(N)

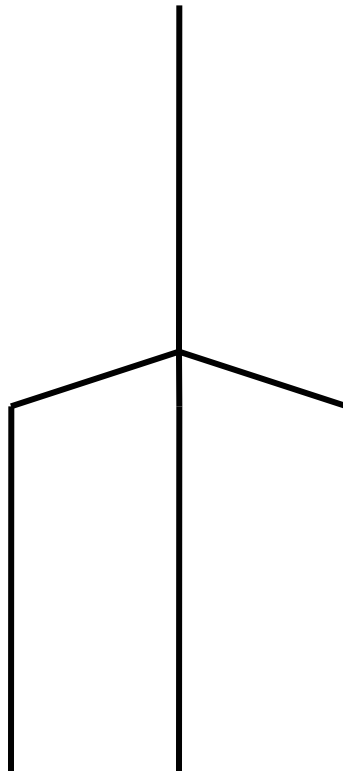


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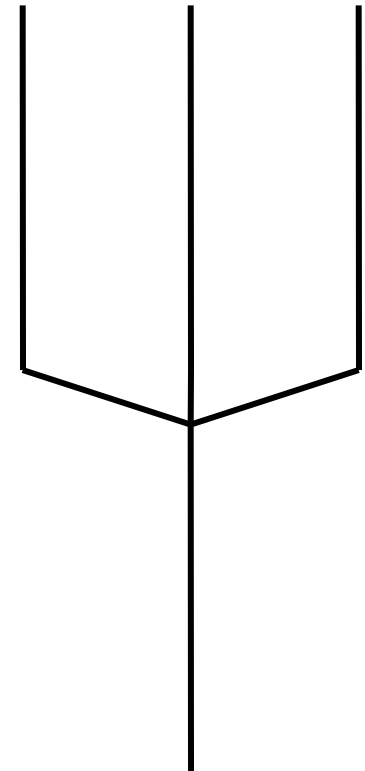
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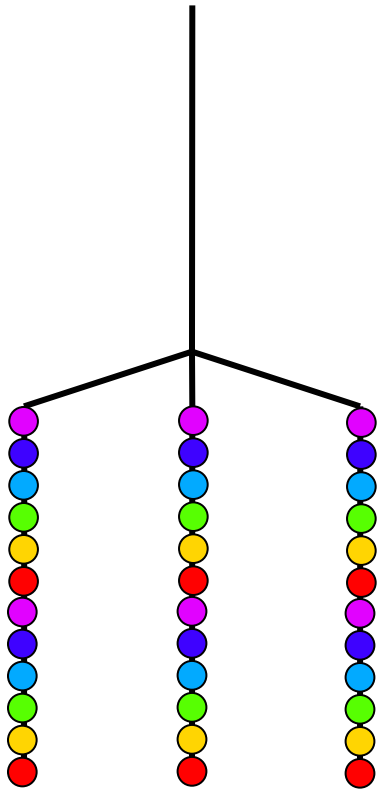


join roundrobin(N)

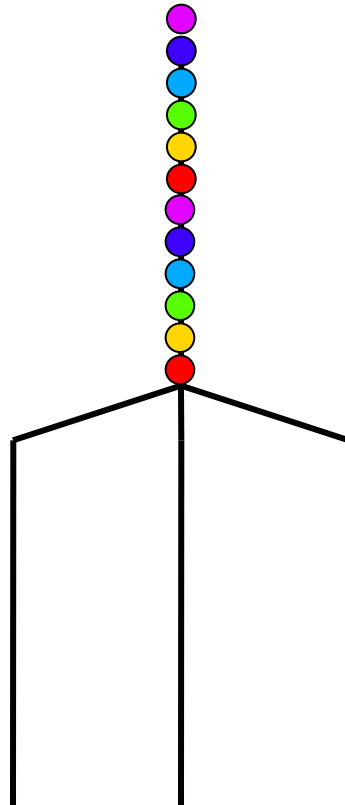


SplitJoins are Beautiful

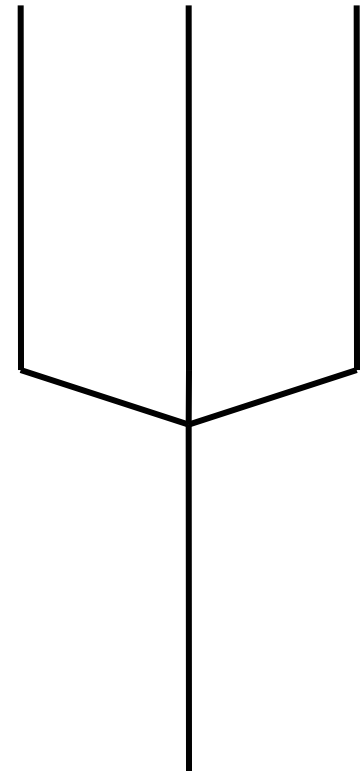
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split roundrobin(N)

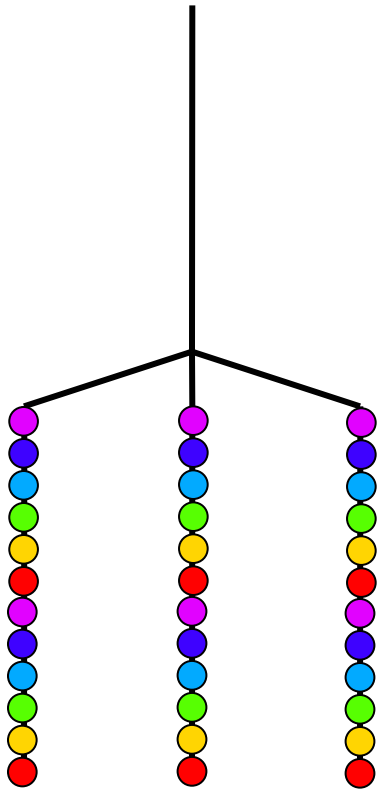


join roundrobin(N)

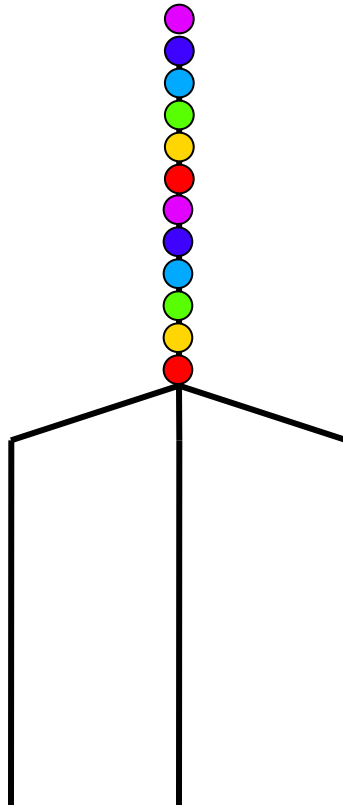


SplitJoins are Beautiful

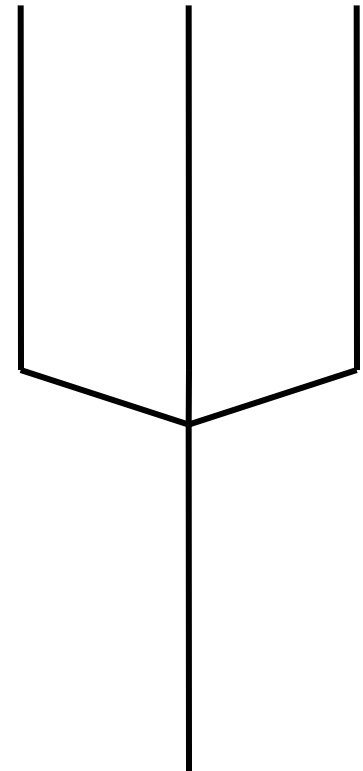
split duplicate



split roundrobin(1)

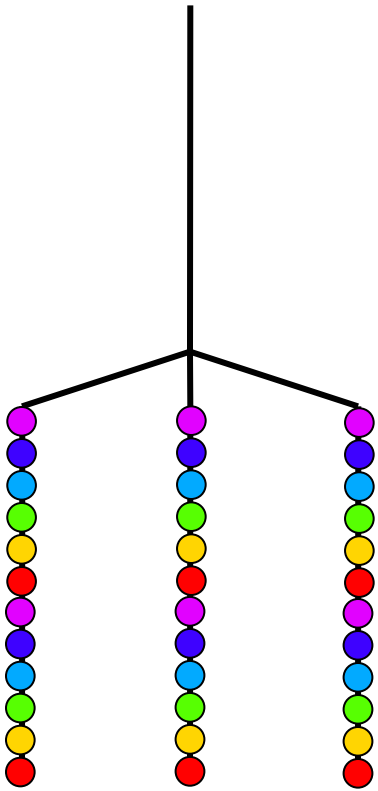


join roundrobin(1)

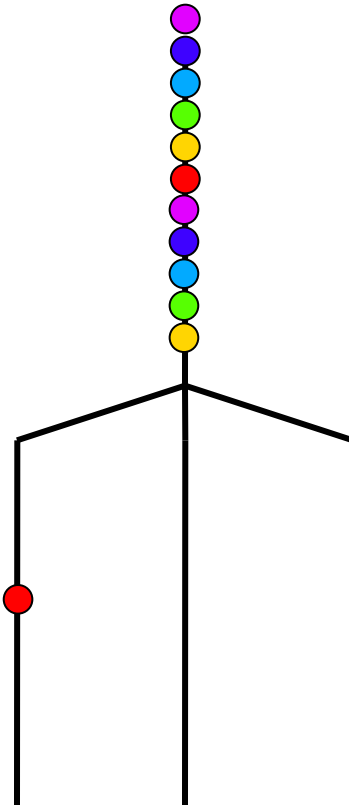


SplitJoins are Beautiful

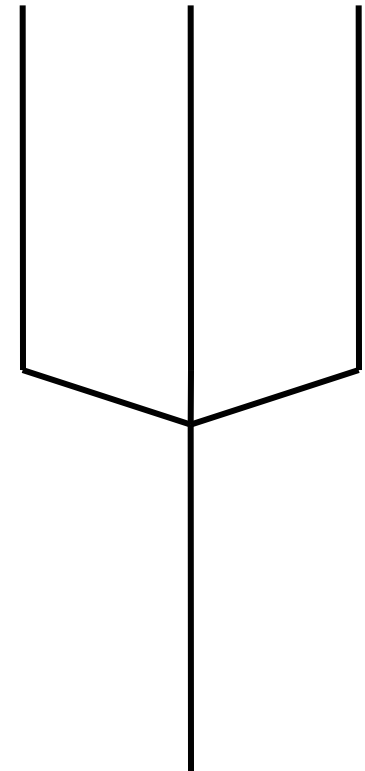
split duplicate



split roundrobin(1)

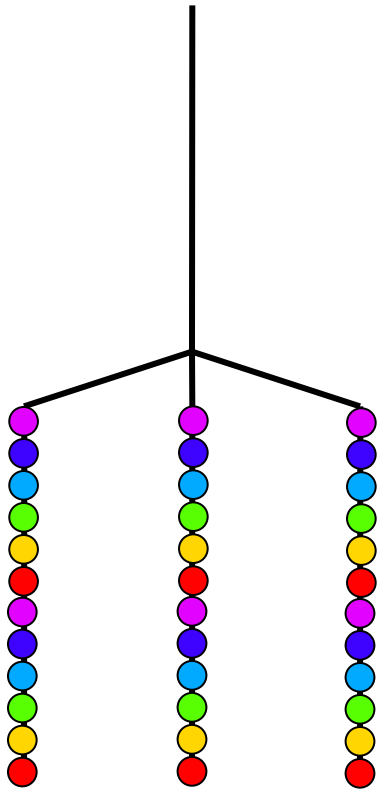


join roundrobin(1)

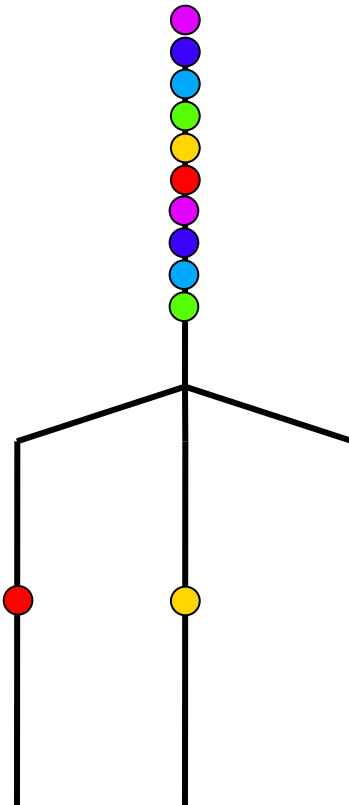


SplitJoins are Beautiful

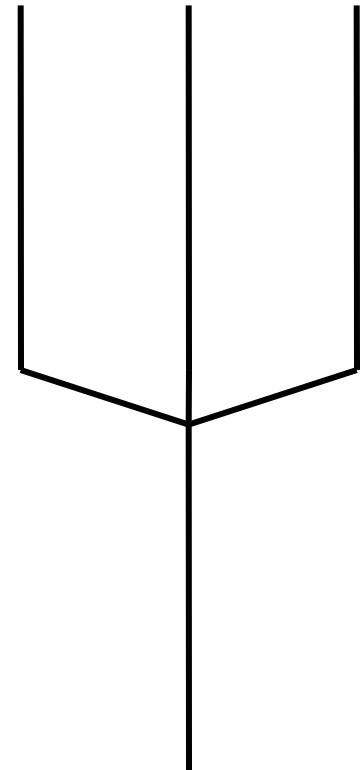
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split roundrobin(1)

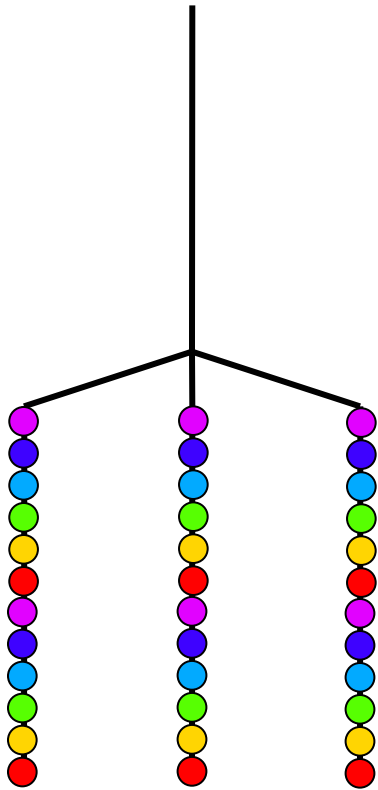


join roundrobin(1)

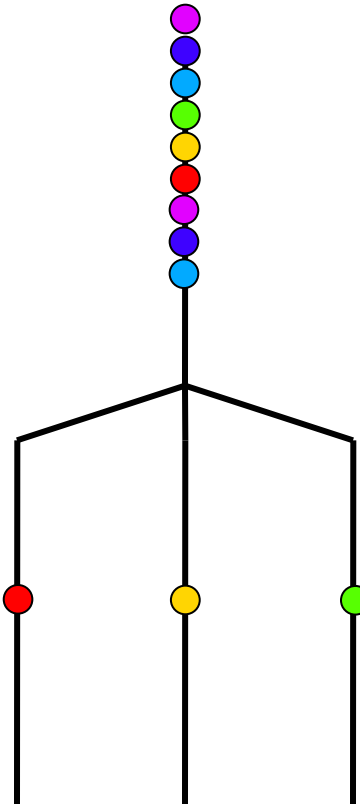


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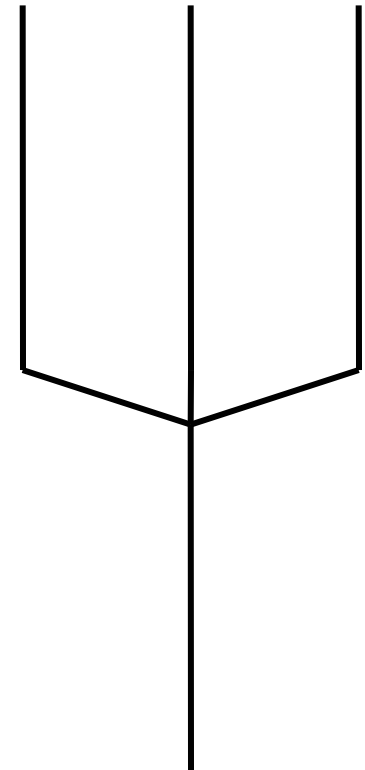
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split roundrobin(1)

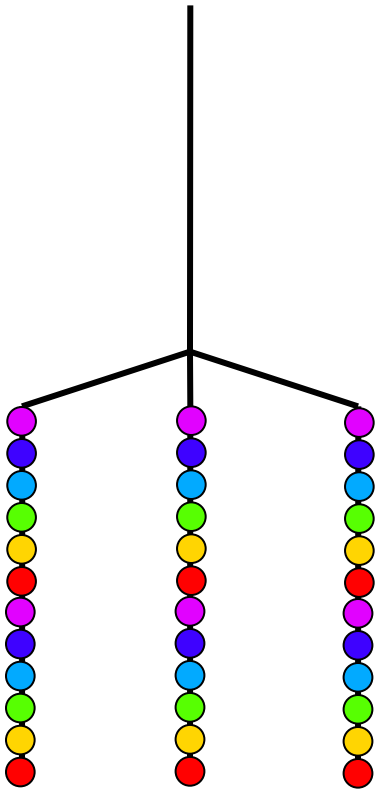


join roundrobin(1)

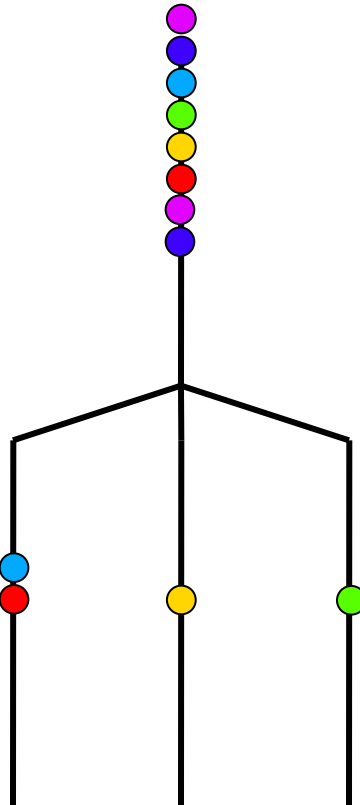


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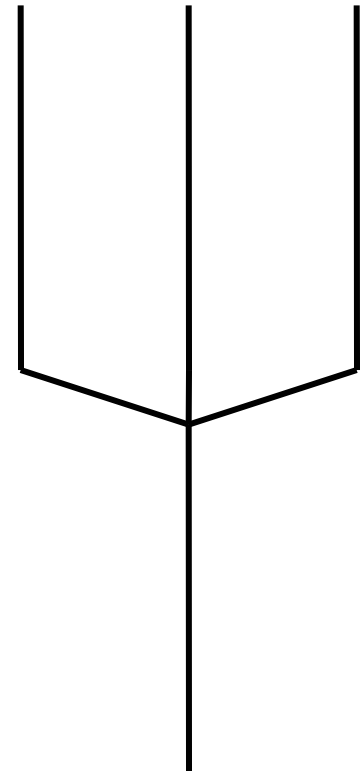
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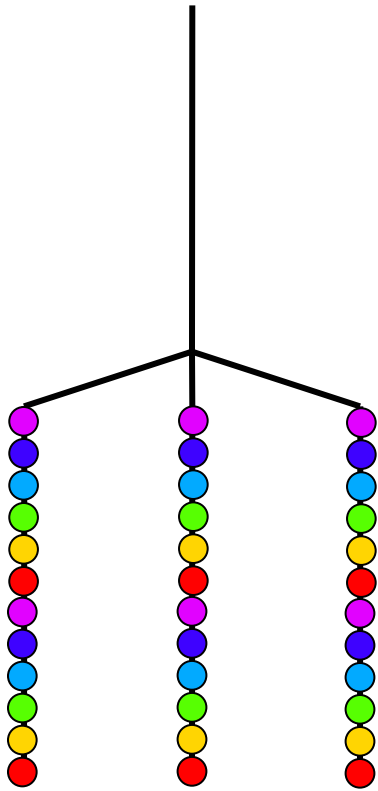


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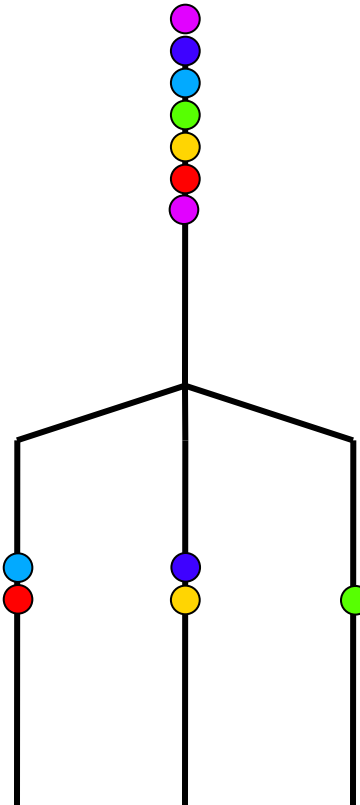


SplitJoins are Beautiful

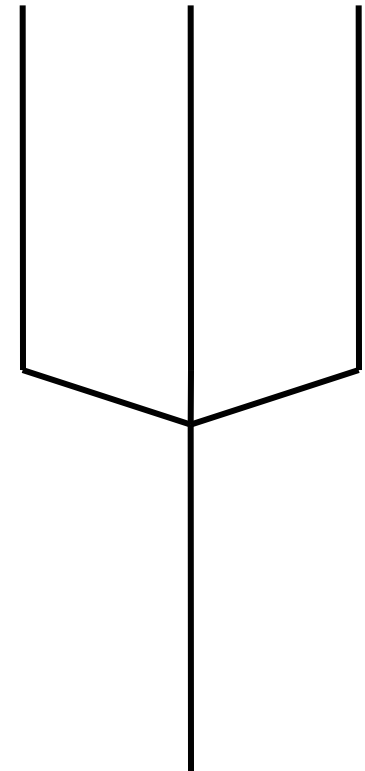
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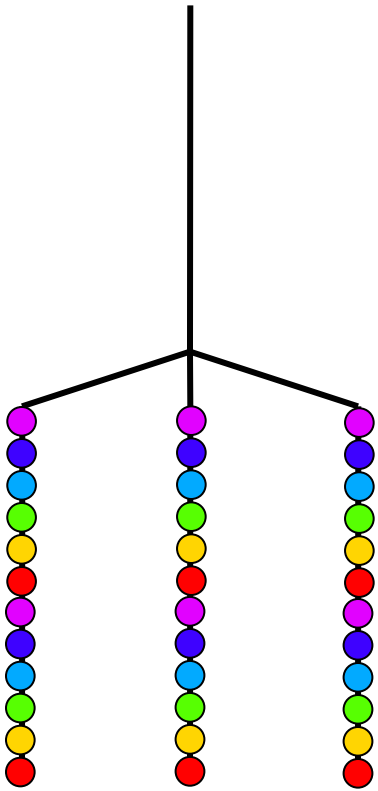


join roundrobin(1)

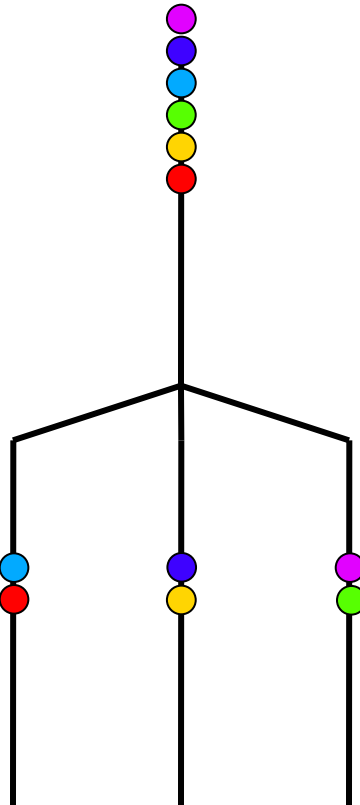


SplitJoins are Beautiful

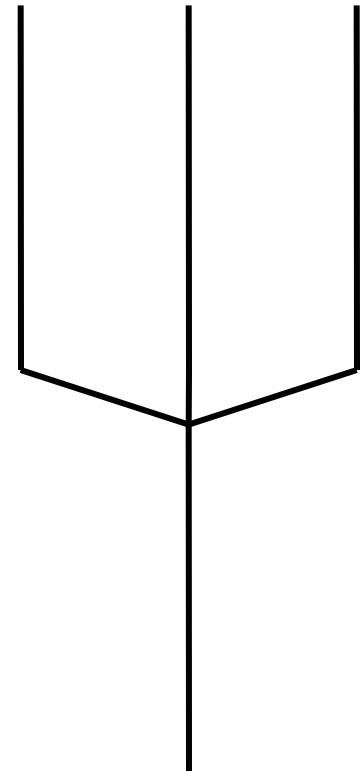
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split roundrobin(1)

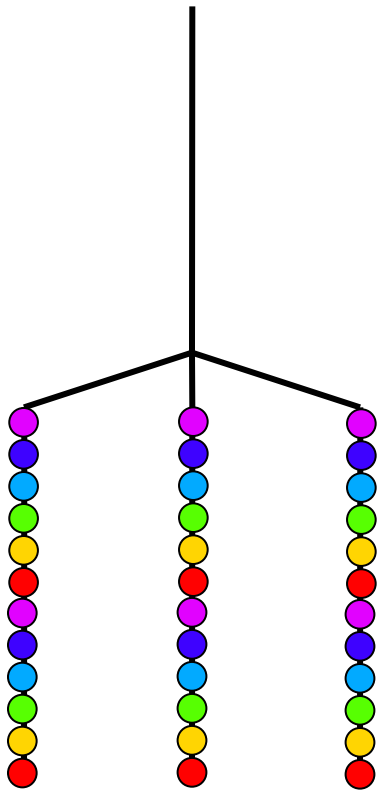


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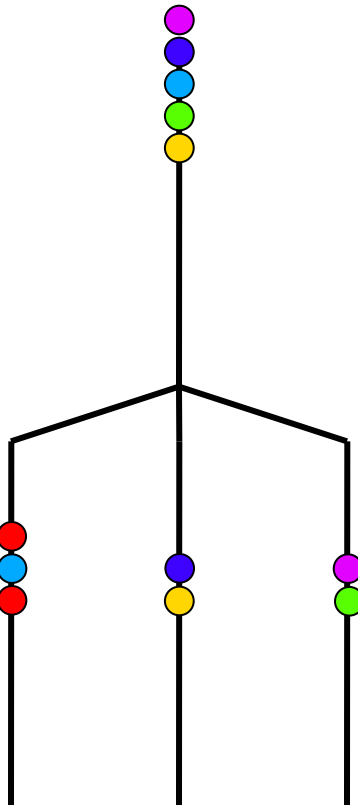


SplitJoins are Beautiful

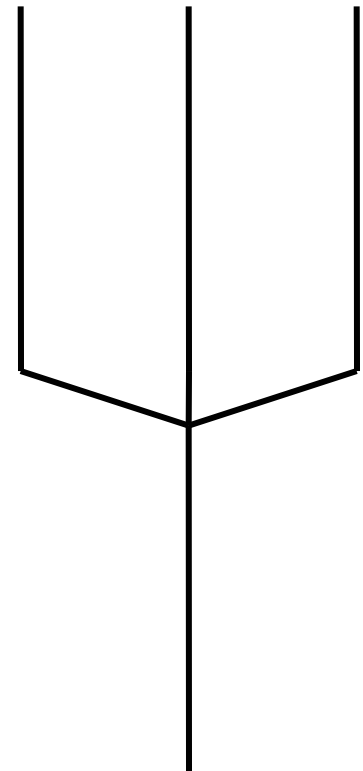
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split roundrobin(1)

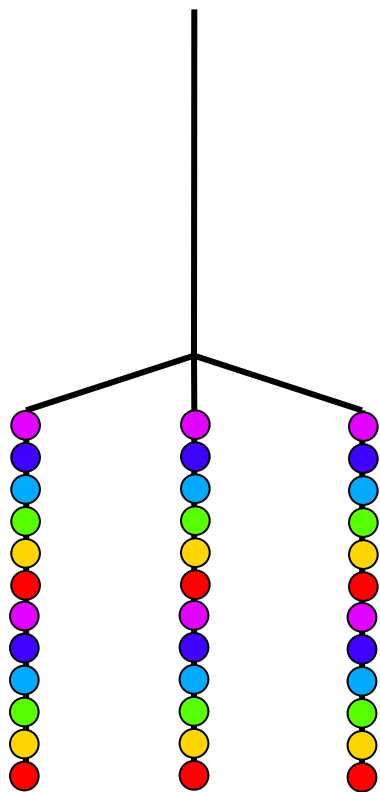


join roundrobin(1)

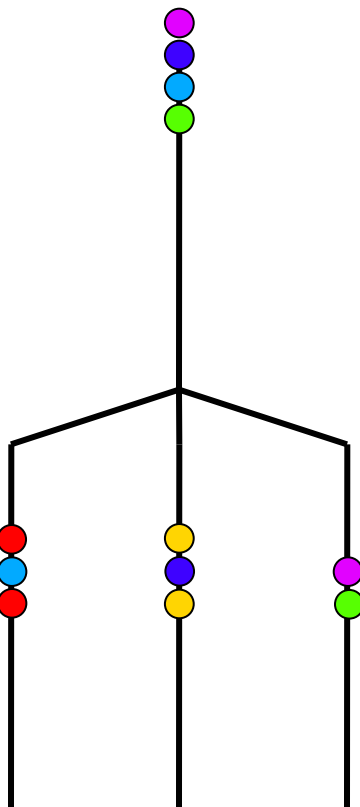


SplitJoins are Beautiful

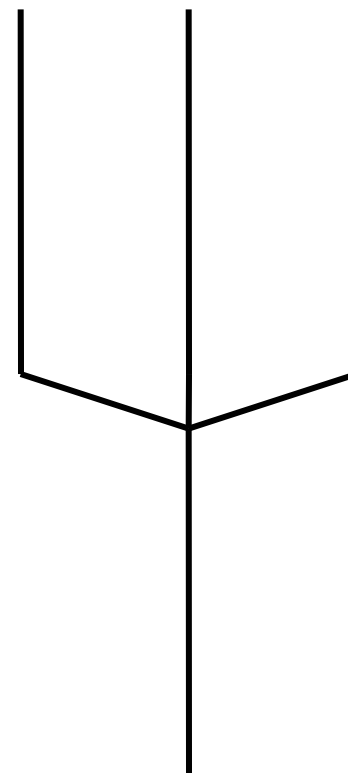
split duplicate



split roundrobin(1)

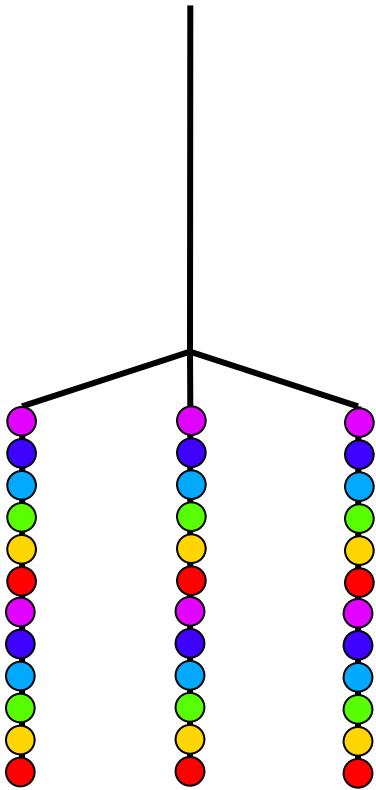


join roundrobin(1)

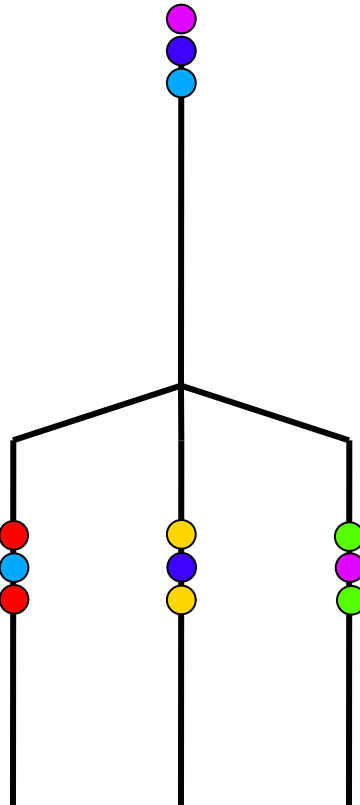


SplitJoins are Beautiful

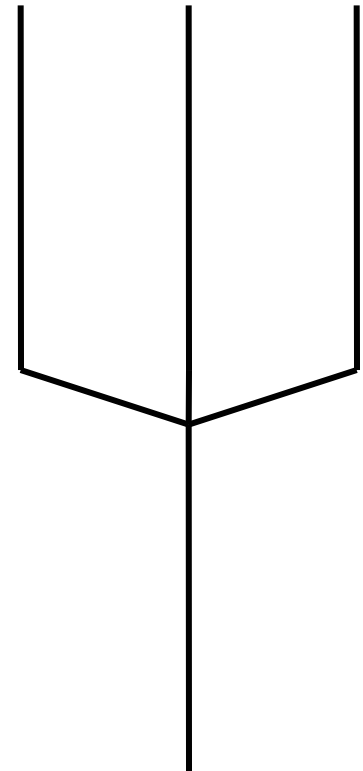
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split roundrobin(1)

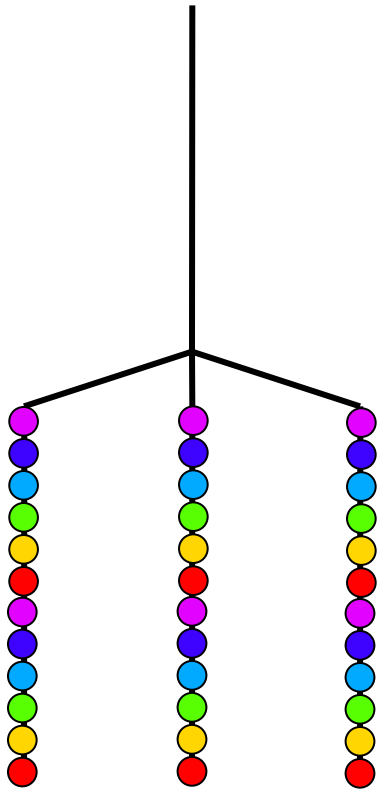


join roundrobin(1)

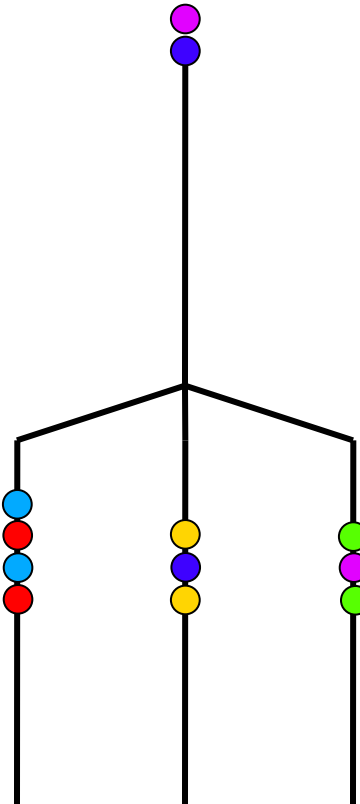


SplitJoins are Beautiful

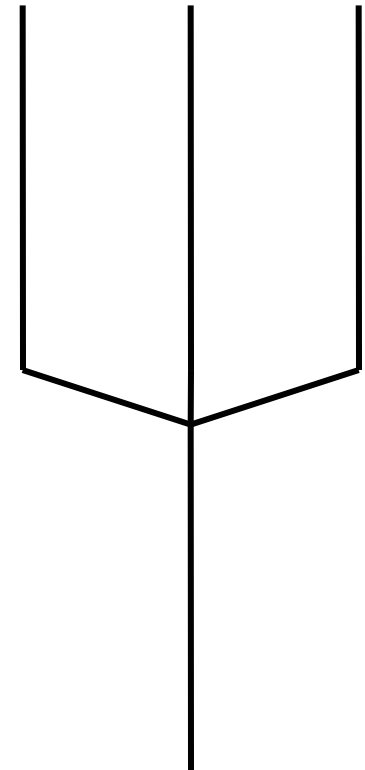
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split roundrobin(1)

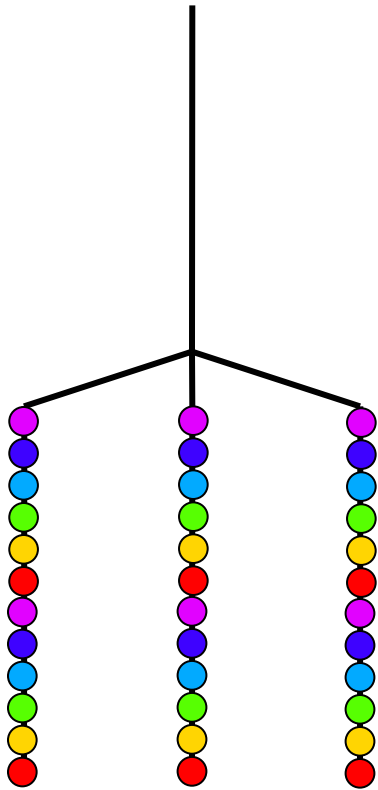


join roundrobin(1)

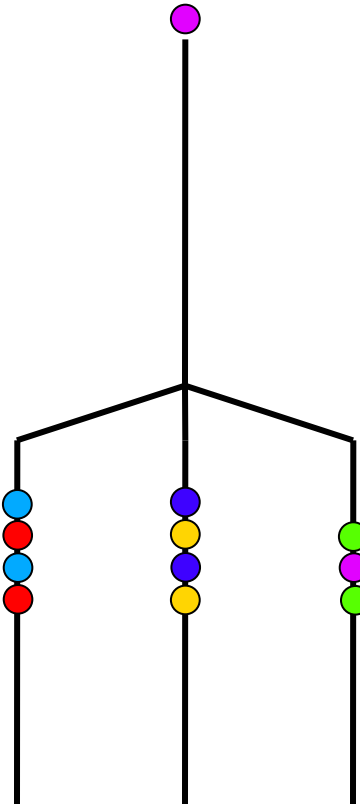


SplitJoins are Beautiful

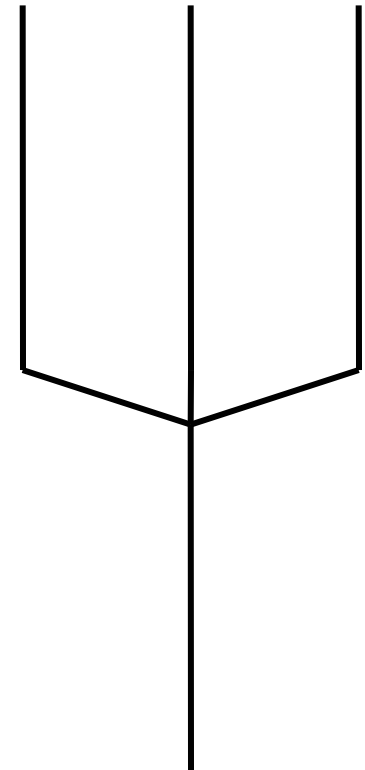
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split roundrobin(1)

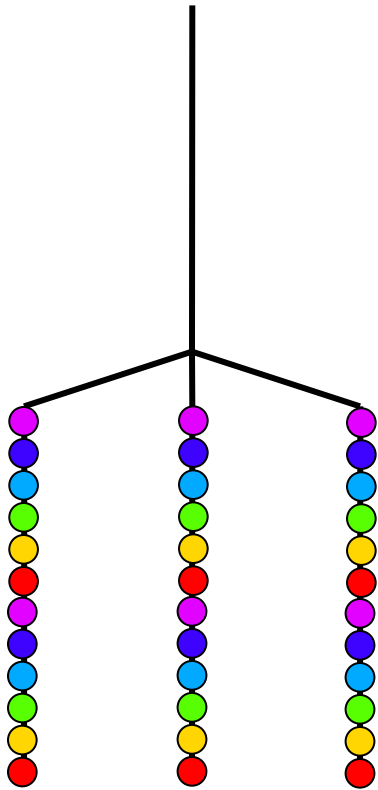


join roundrobin(1)

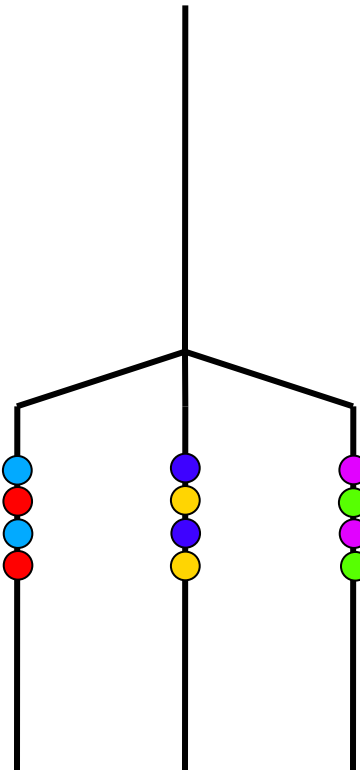


SplitJoins are Beautiful

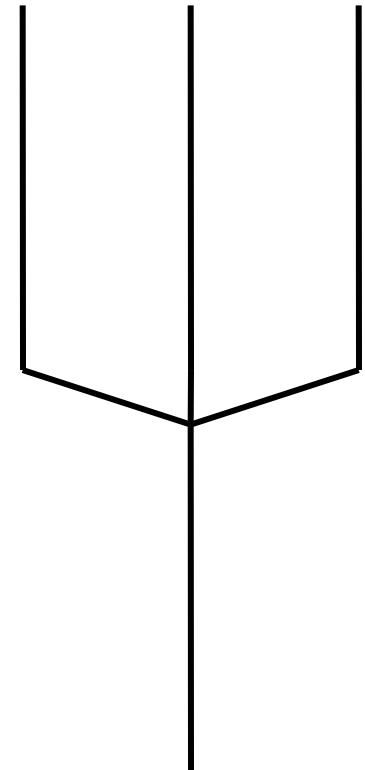
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split roundrobin(1)

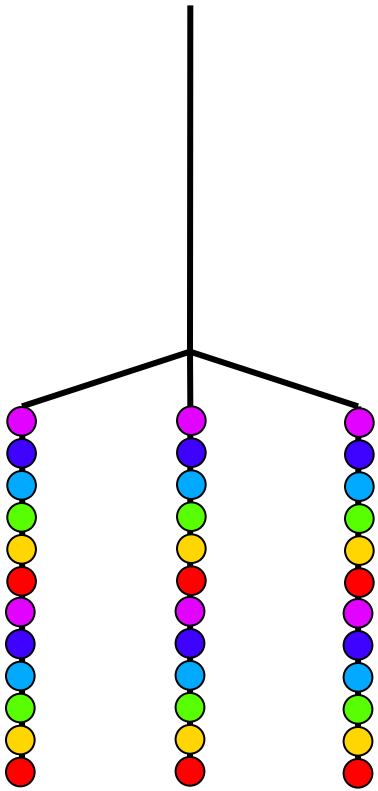


join roundrobin(1)

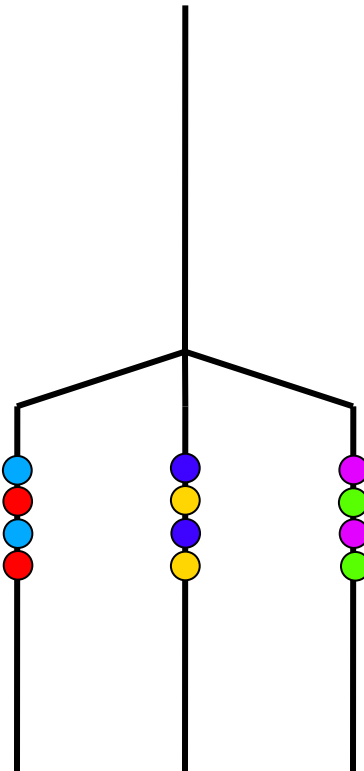


SplitJoins are Beautiful

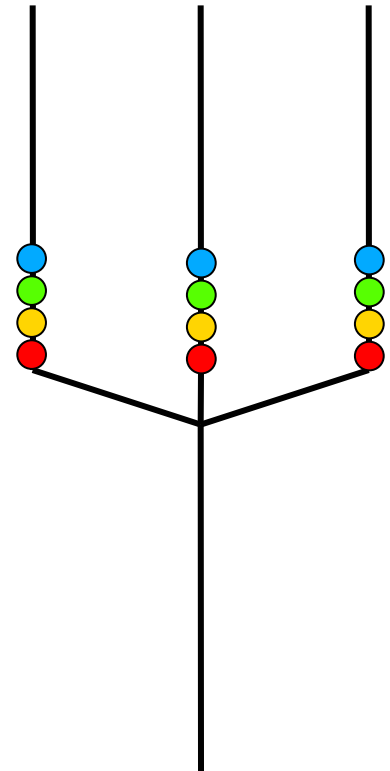
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split roundrobin(1)

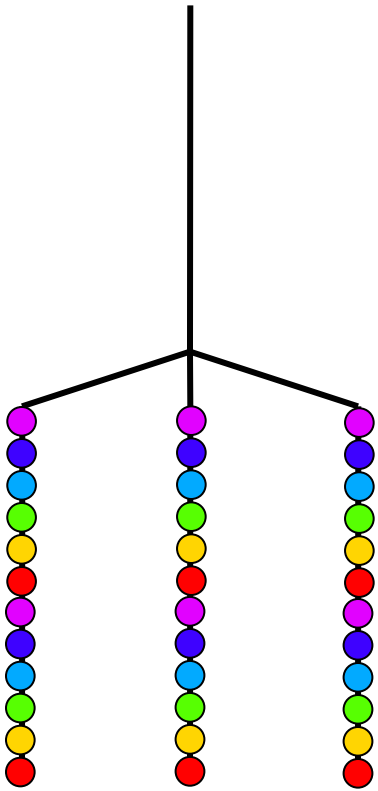


join roundrobin(1)

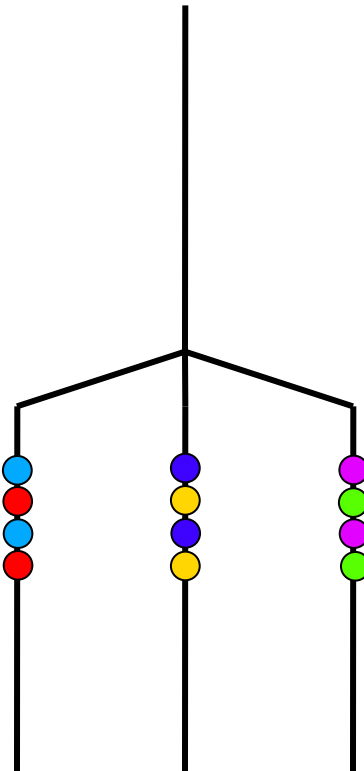


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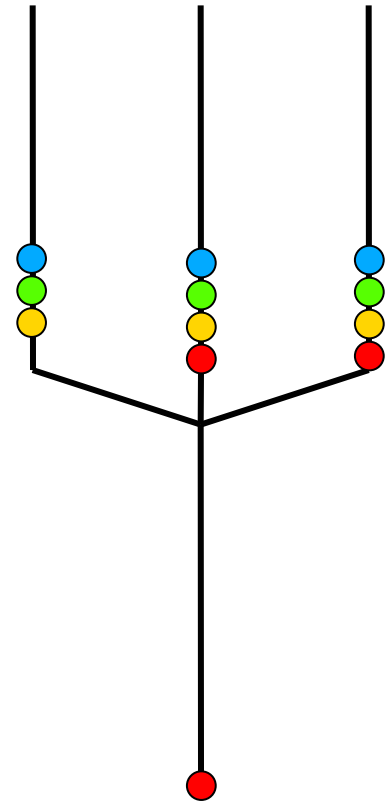
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split roundrobin(1)

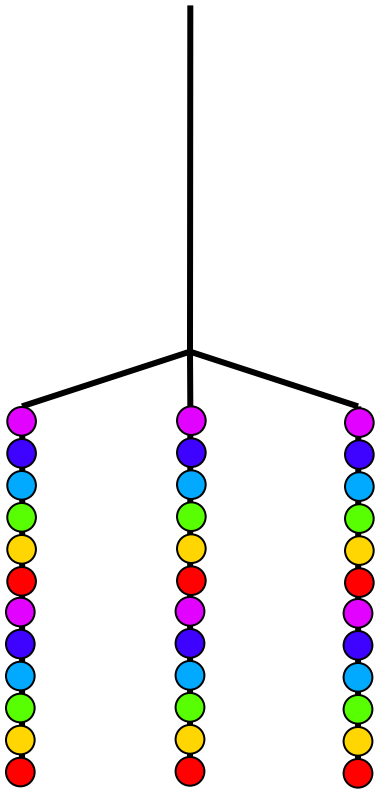


join roundrobin(1)

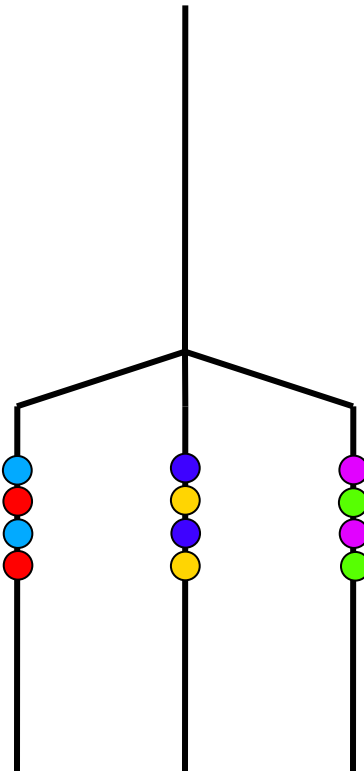


SplitJoins are Beautiful

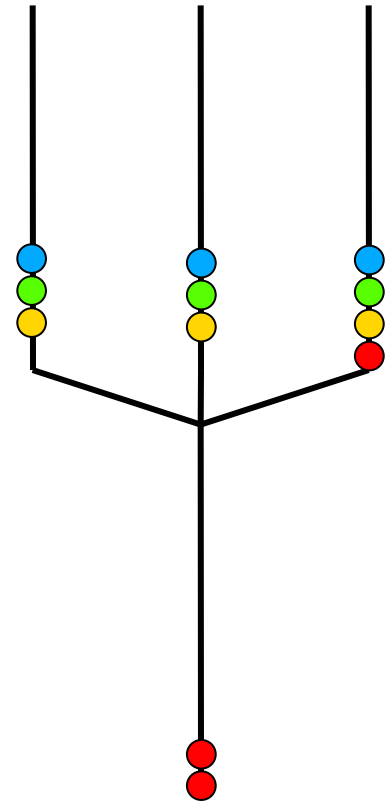
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split roundrobin(1)

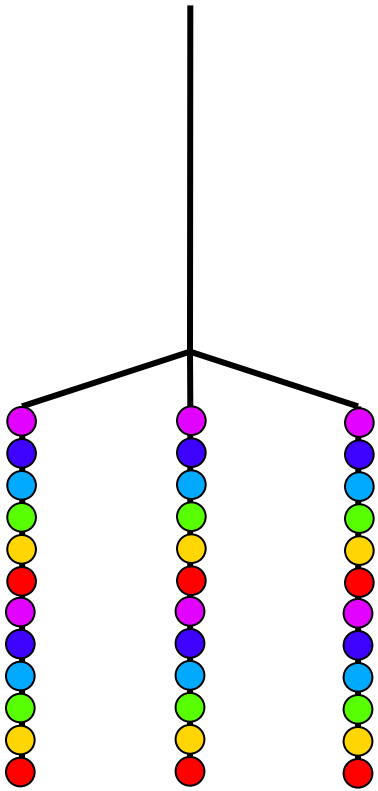


join roundrobin(1)

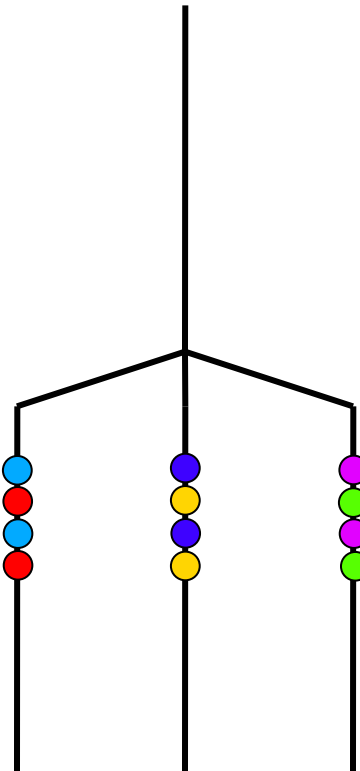


SplitJoins are Beautiful

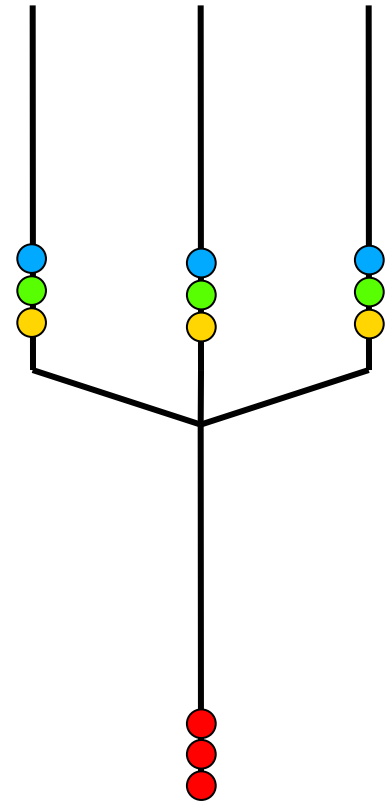
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split roundrobin(1)

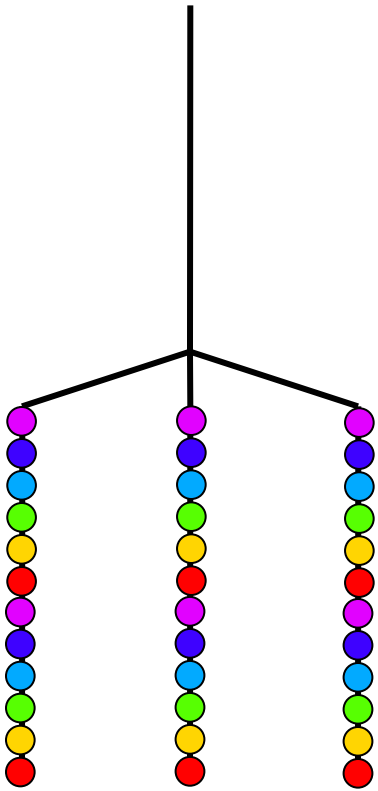


join roundrobin(1)

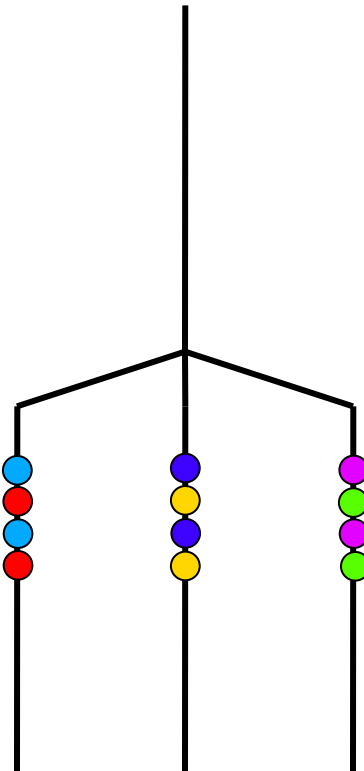


SplitJoins are Beautiful

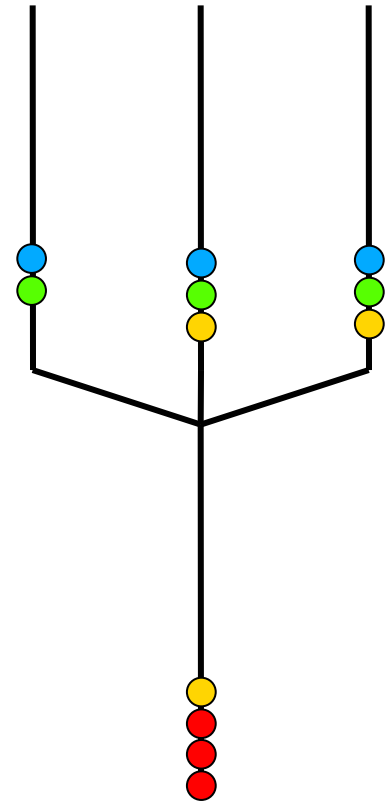
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split roundrobin(1)

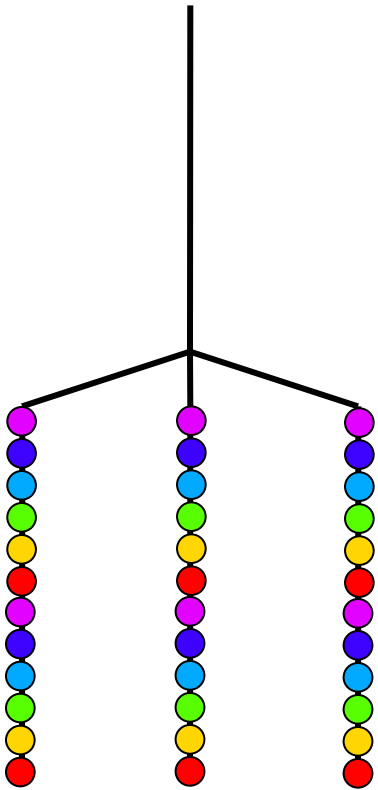


join roundrobin(1)

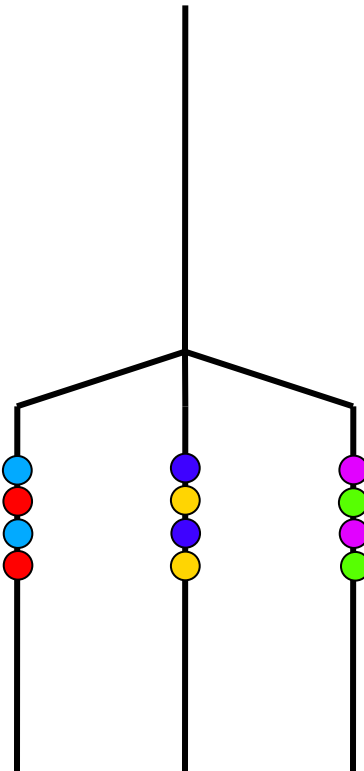


SplitJoins are Beautiful

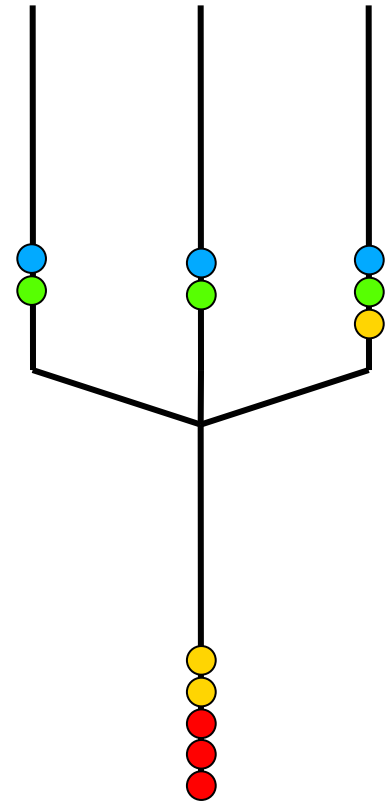
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split roundrobin(1)

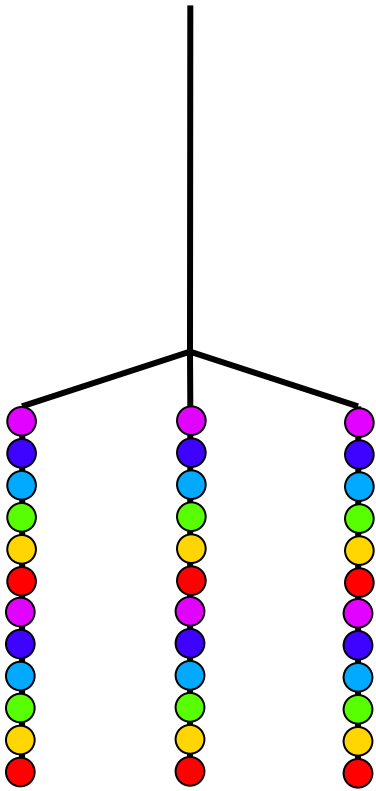


join roundrobin(1)

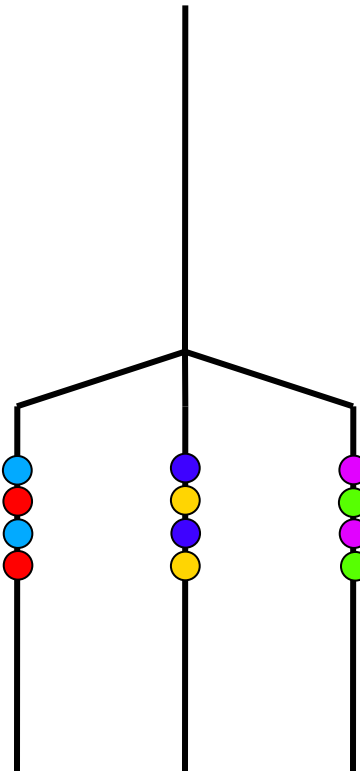


SplitJoins are Beautiful

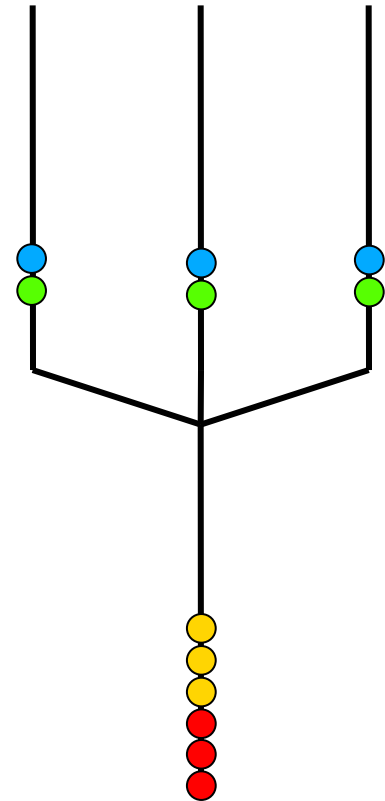
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split roundrobin(1)

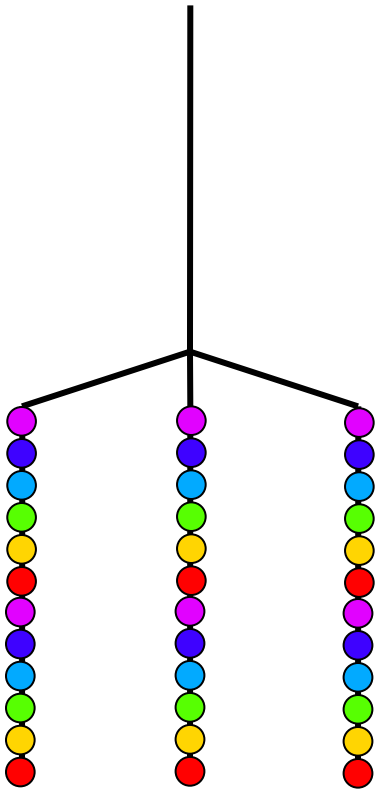


join roundrobin(1)

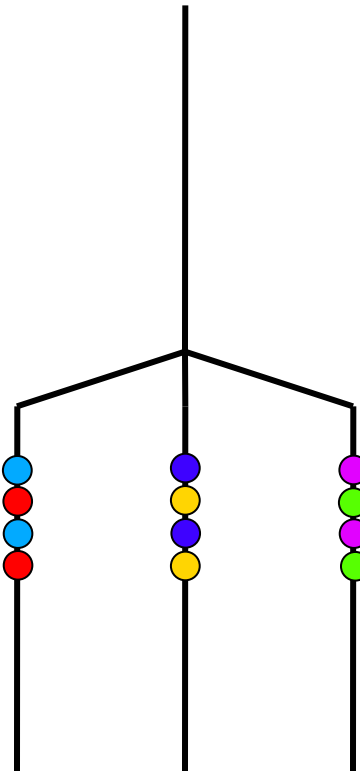


SplitJoins are Beautiful

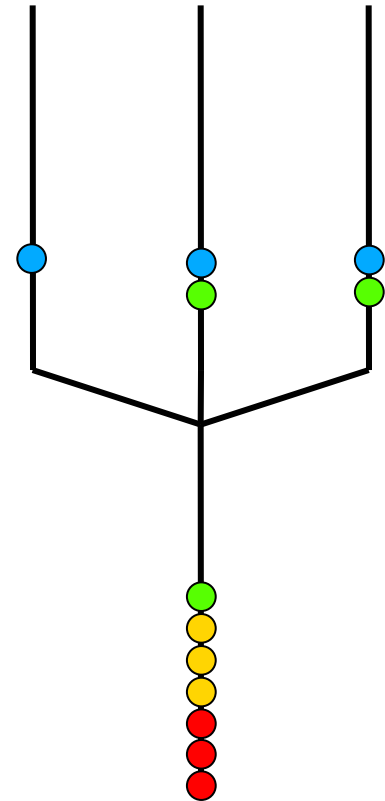
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split roundrobin(1)

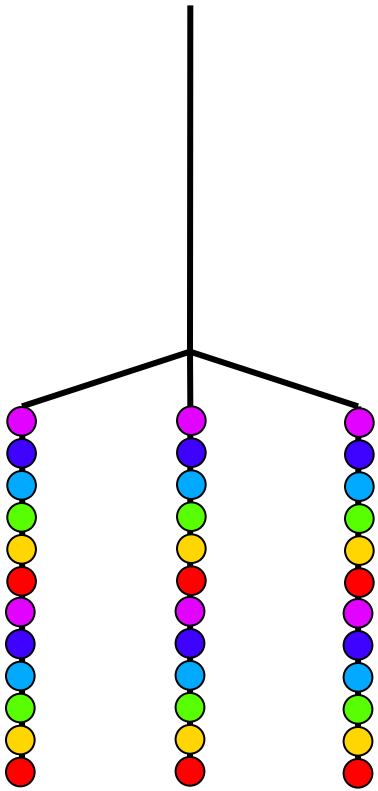


join roundrobin(1)

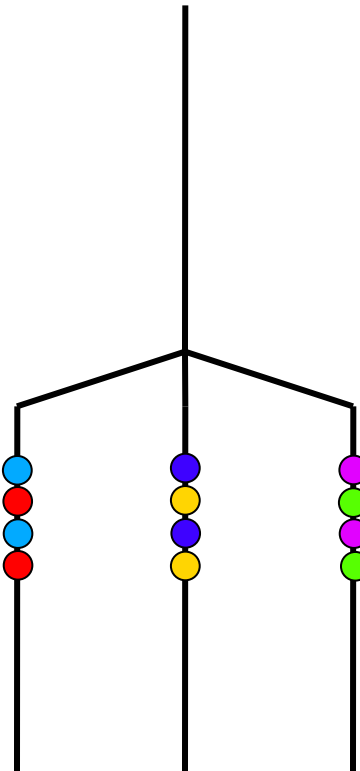


SplitJoins are Beautiful

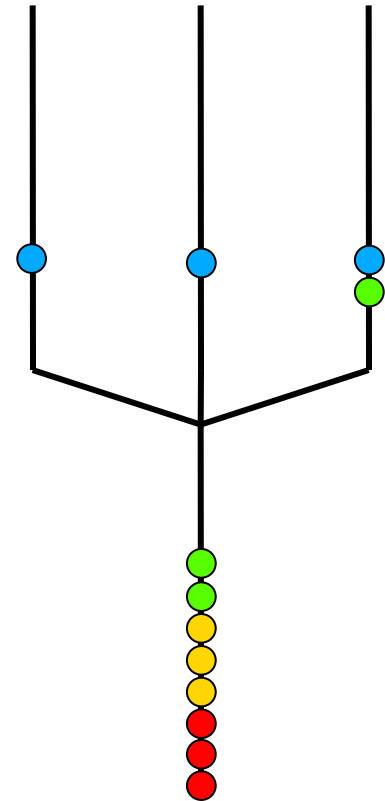
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split roundrobin(1)

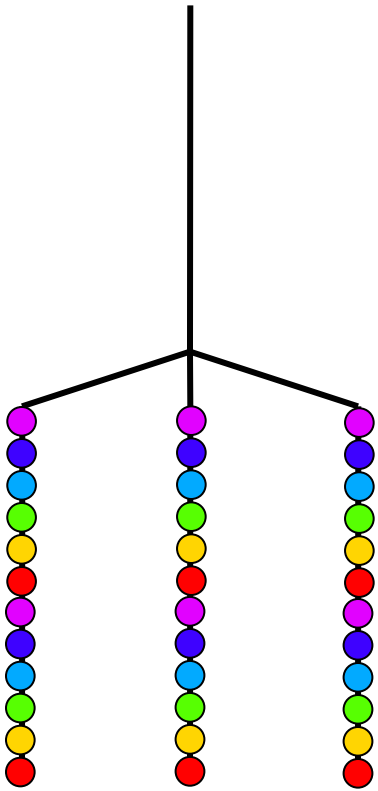


join roundrobin(1)

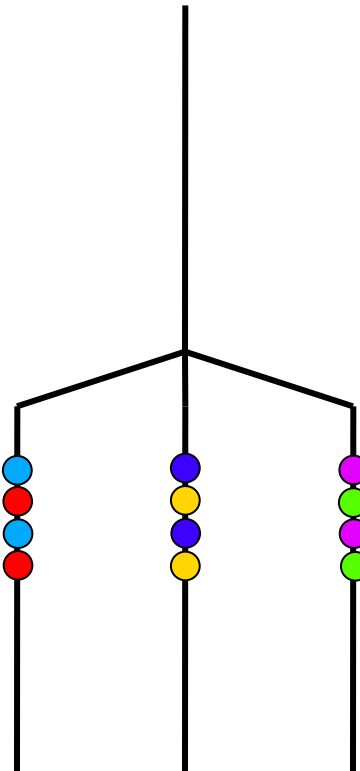


SplitJoins are Beautiful

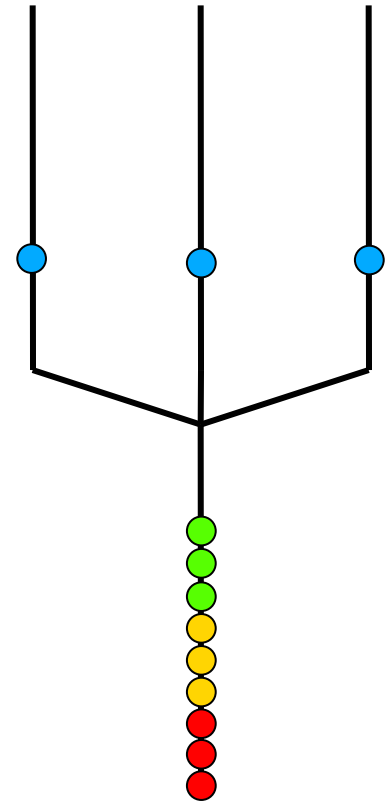
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split roundrobin(1)

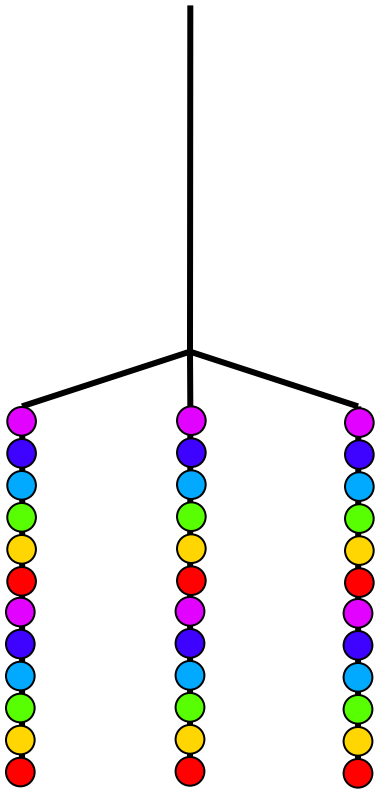


join roundrobin(1)

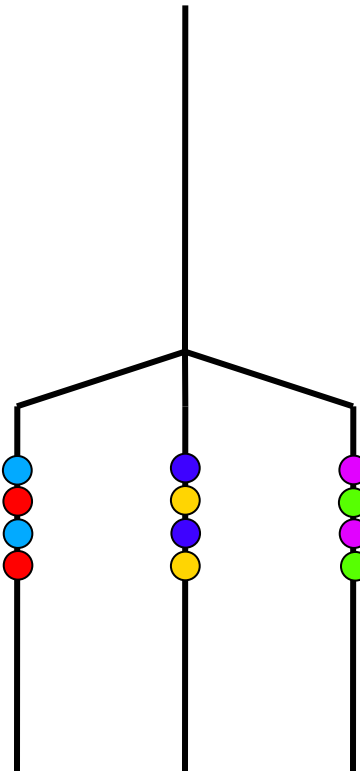


SplitJoins are Beautiful

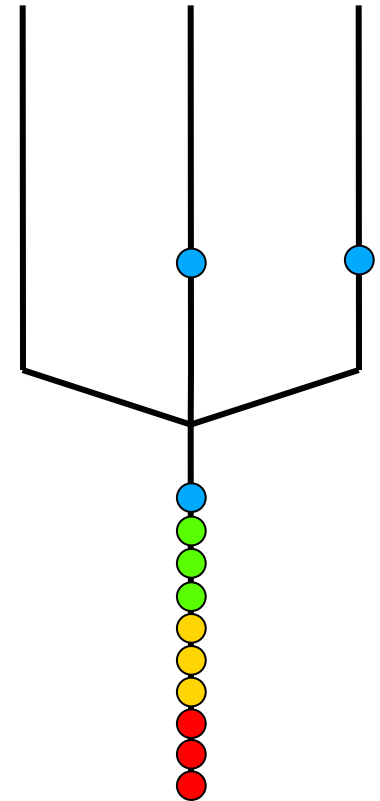
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split roundrobin(1)

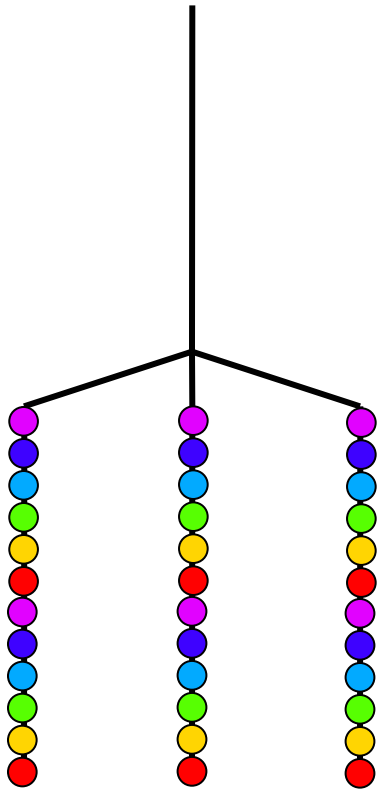


join roundrobin(1)

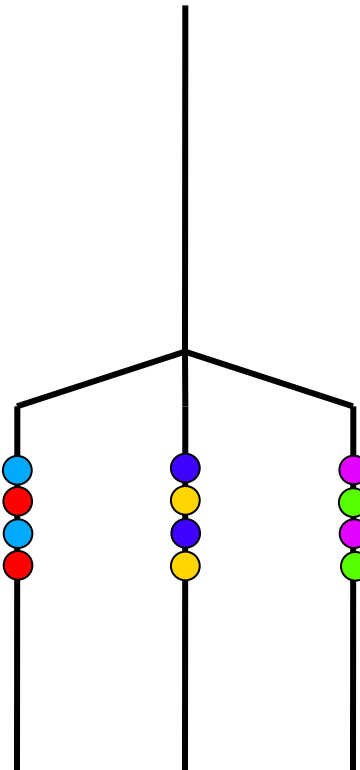


SplitJoins are Beautiful

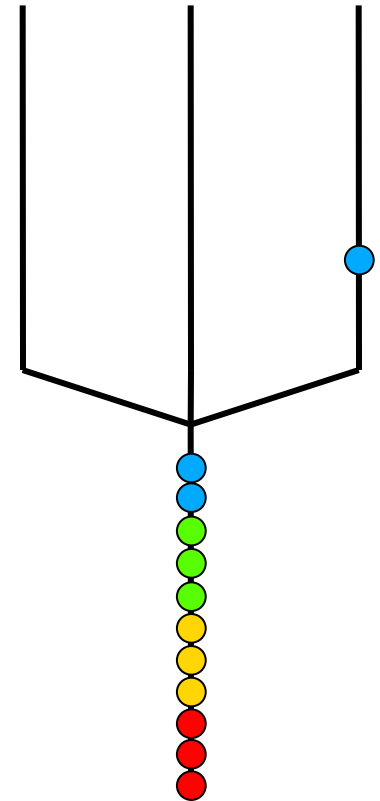
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split roundrobin(1)

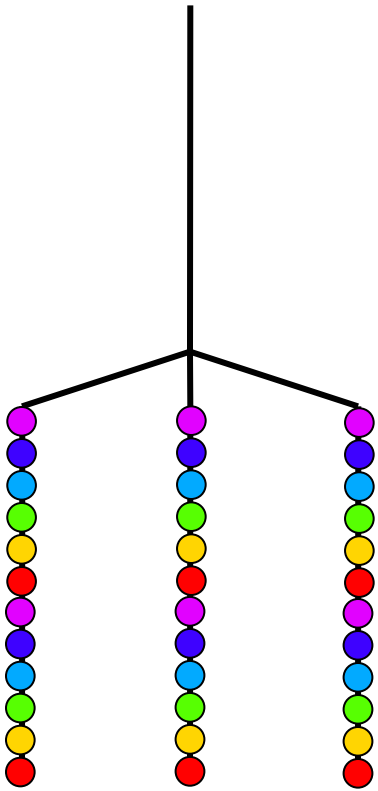


join roundrobin(1)

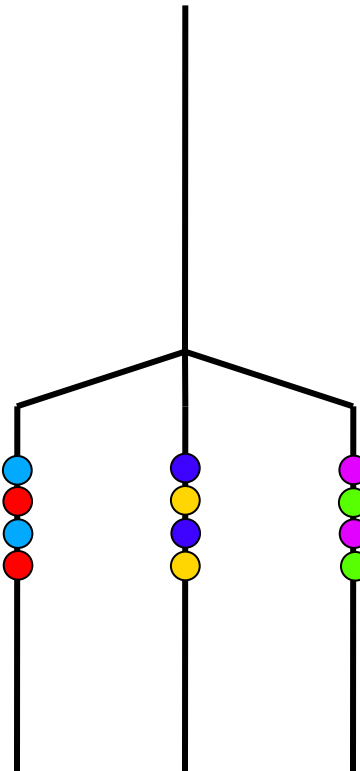


SplitJoins are Beautiful

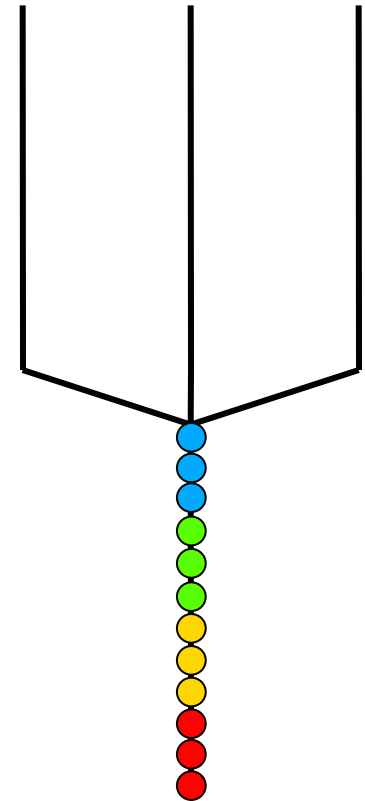
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split roundrobin(1)

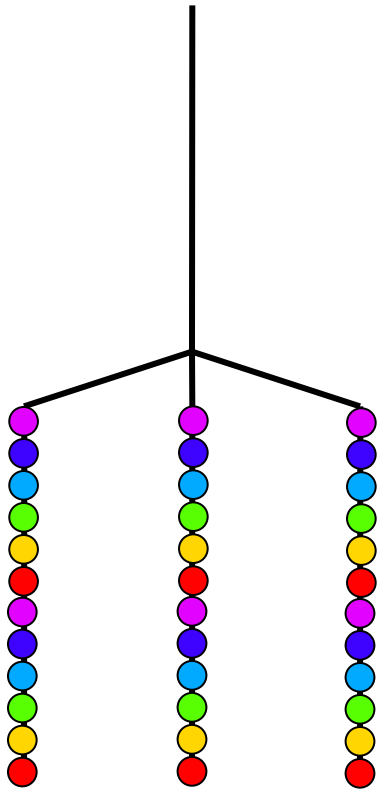


join roundrobin(1)

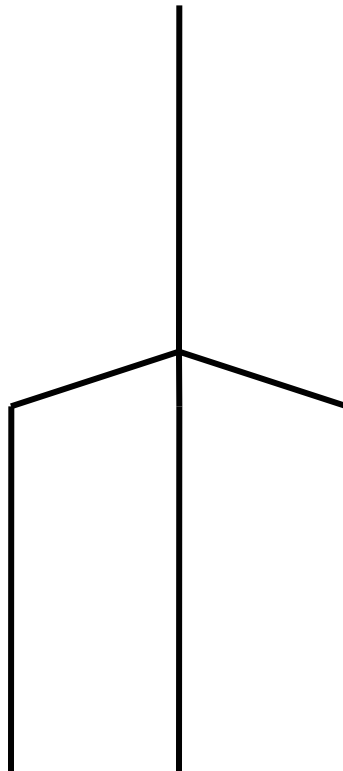


SplitJoins are Beautiful

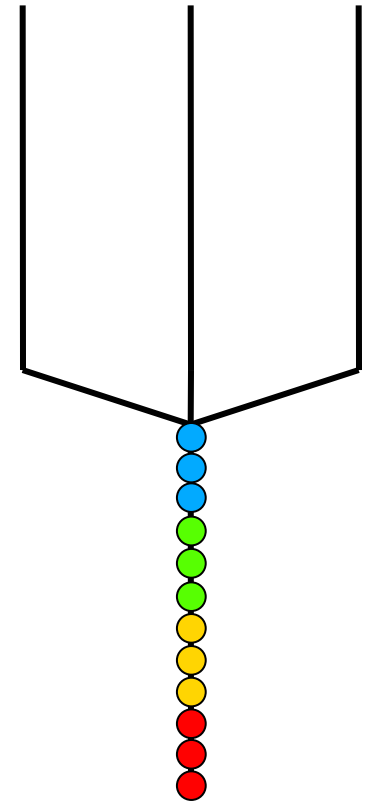
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split roundrobin(1)

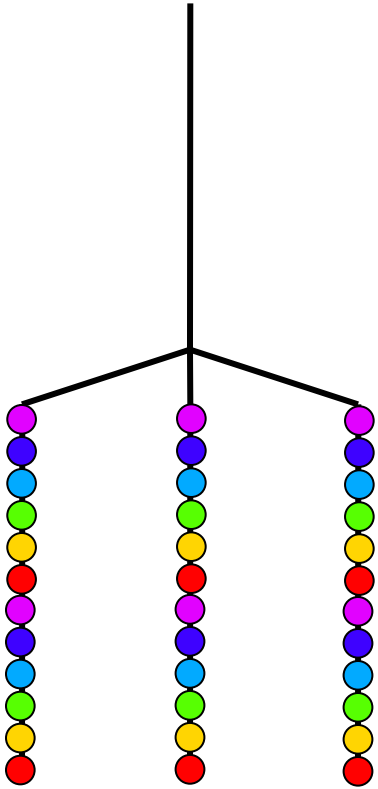


join roundrobin(1)

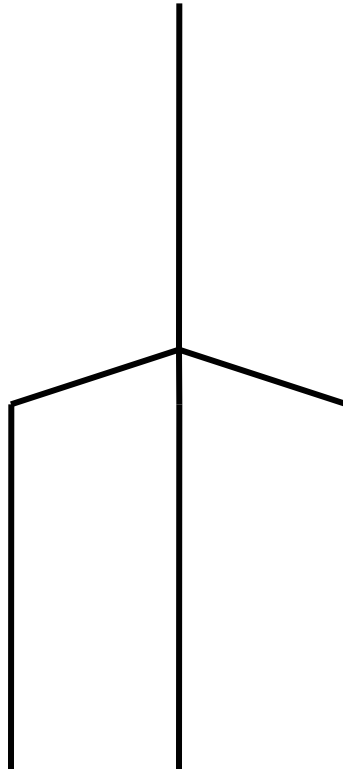


SplitJoins are Beautiful

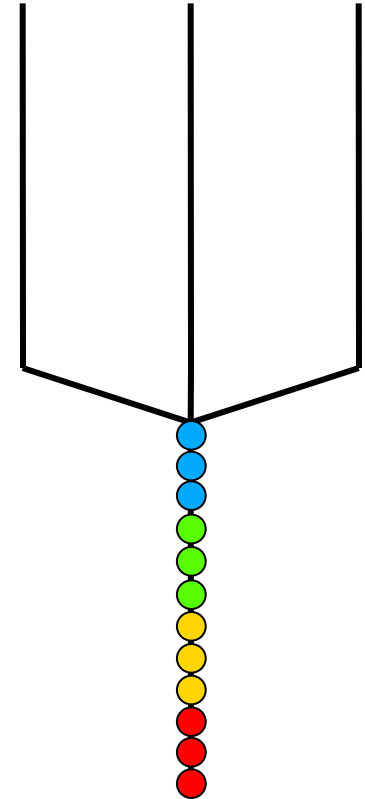
split duplicate



split roundrobin(2)

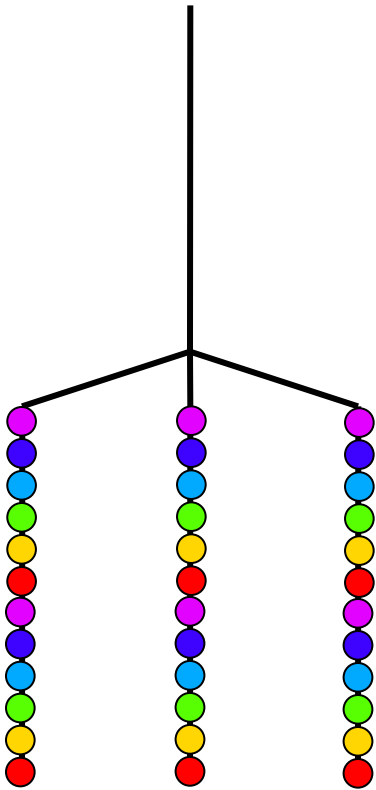


join roundrobin(1)

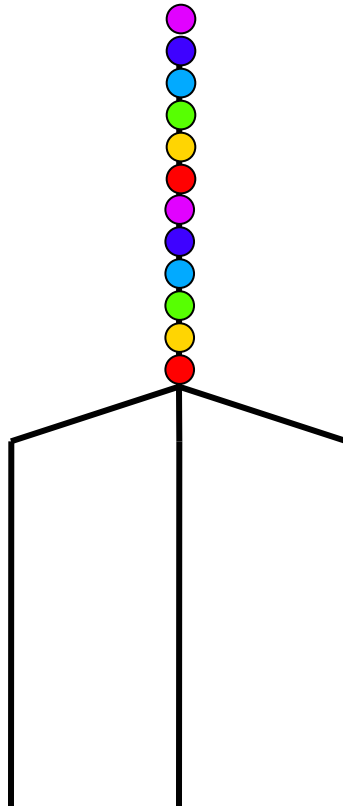


SplitJoins are Beautiful

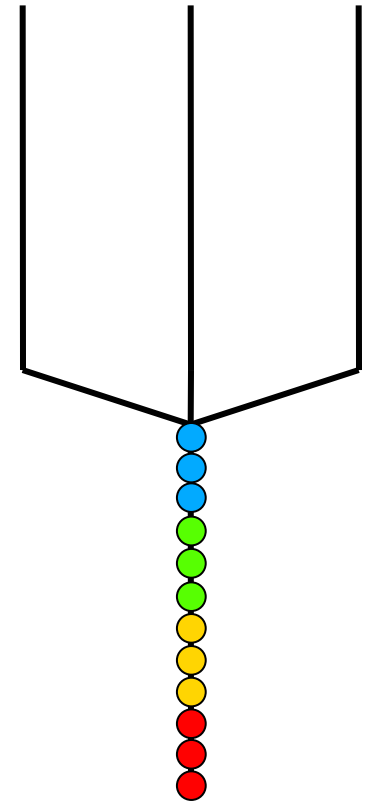
split duplicate



split roundrobin(2)

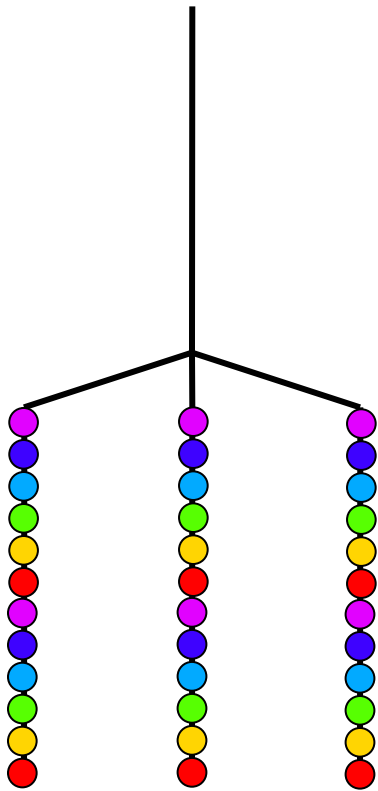


join roundrobin(1)

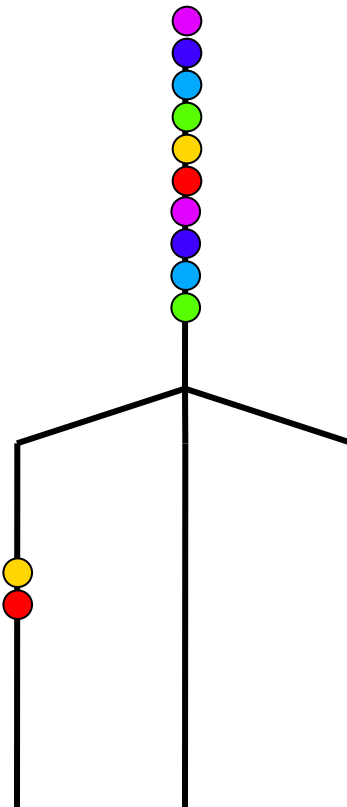


SplitJoins are Beautiful

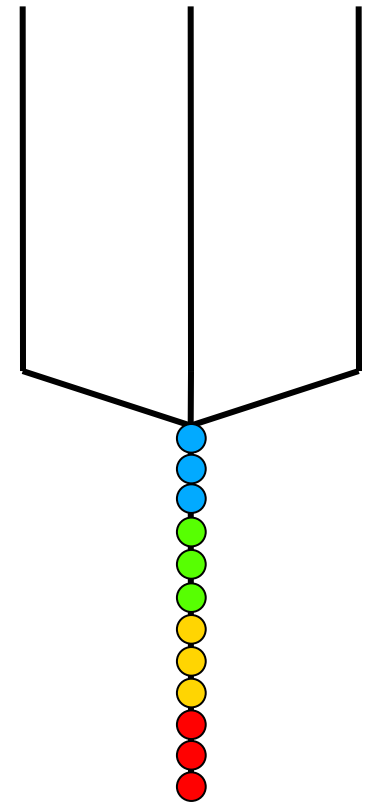
split duplicate



split roundrobin(2)

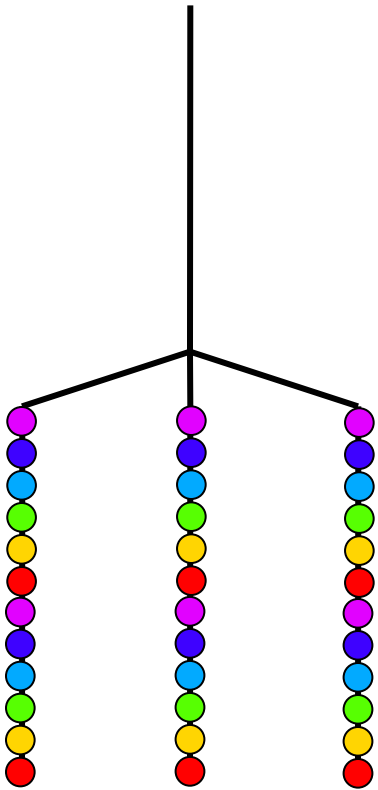


join roundrobin(1)

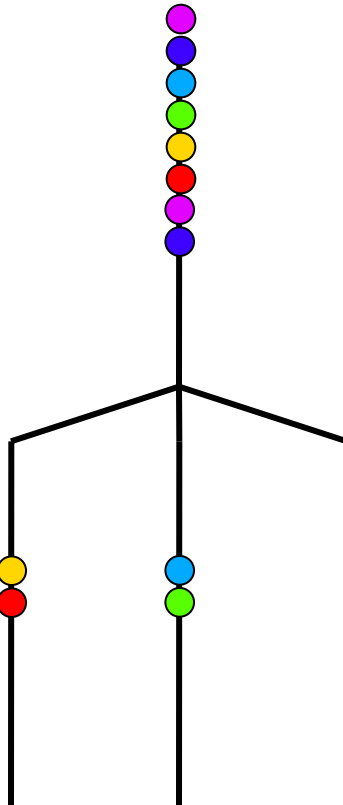


SplitJoins are Beautiful

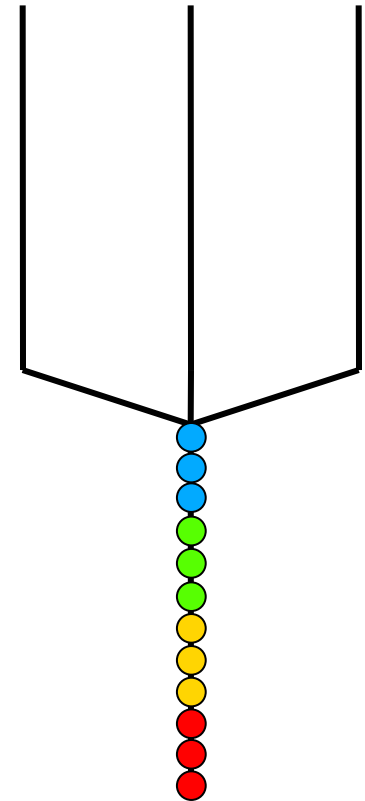
split duplicate



split roundrobin(2)

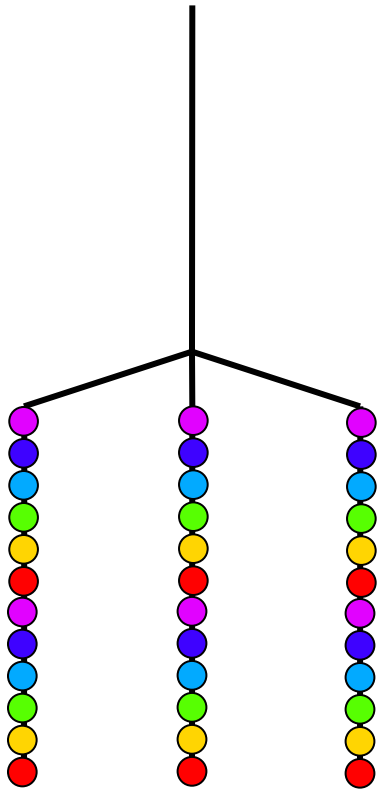


join roundrobin(1)

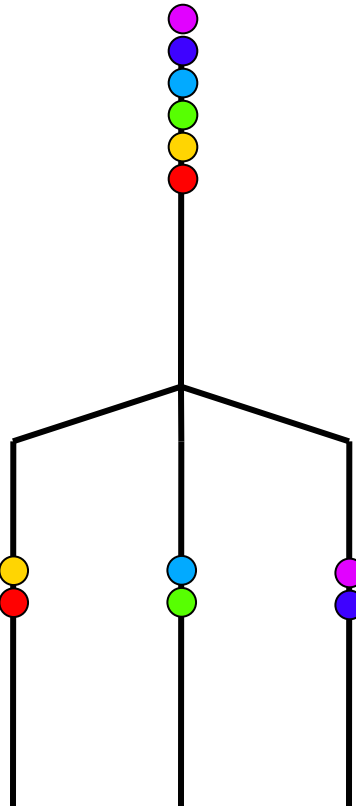


SplitJoins are Beautiful

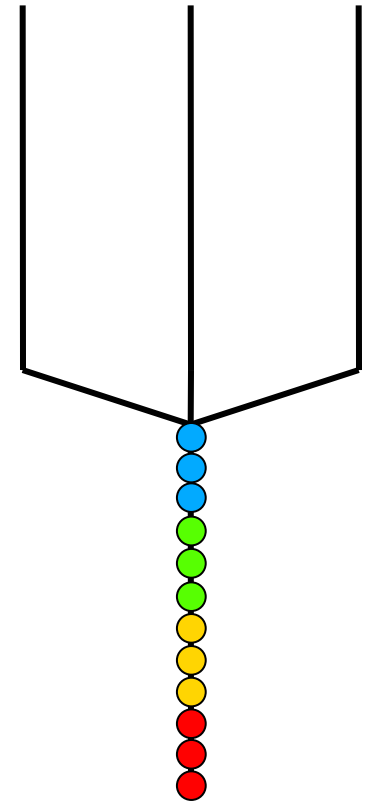
split duplicate



split roundrobin(2)

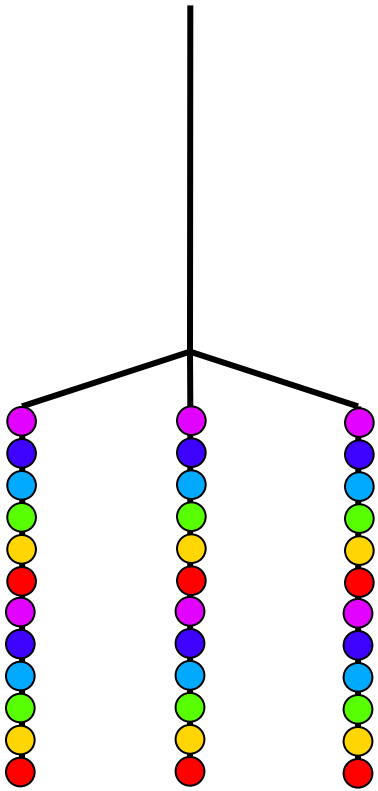


join roundrobin(1)

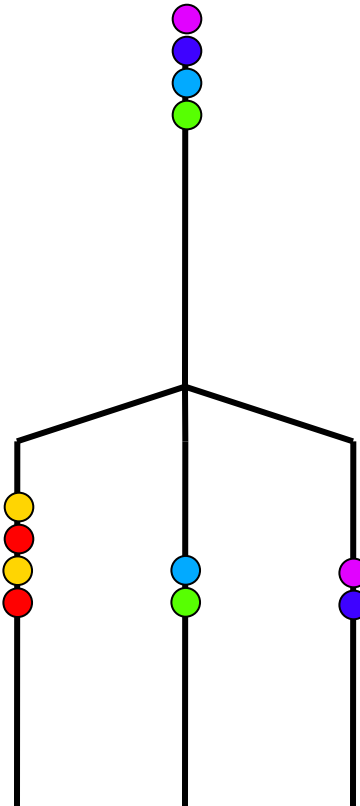


SplitJoins are Beautiful

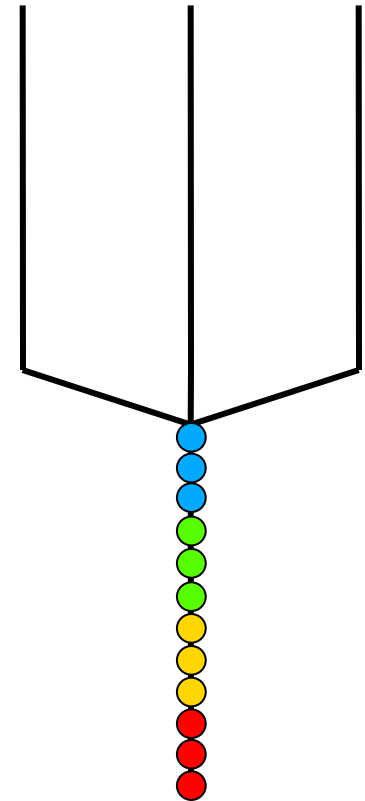
split duplicate



split roundrobin(2)

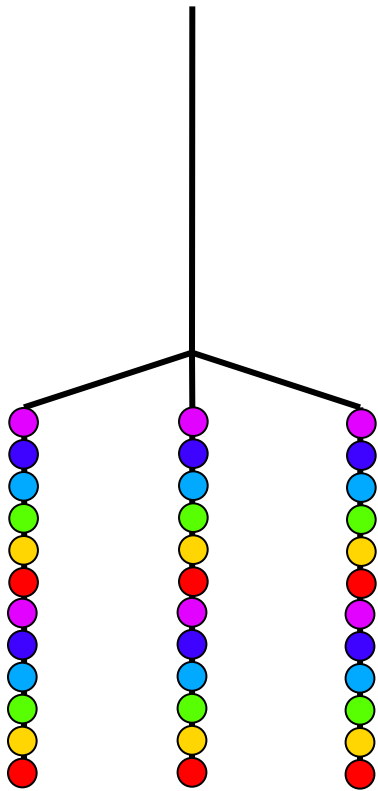


join roundrobin(1)

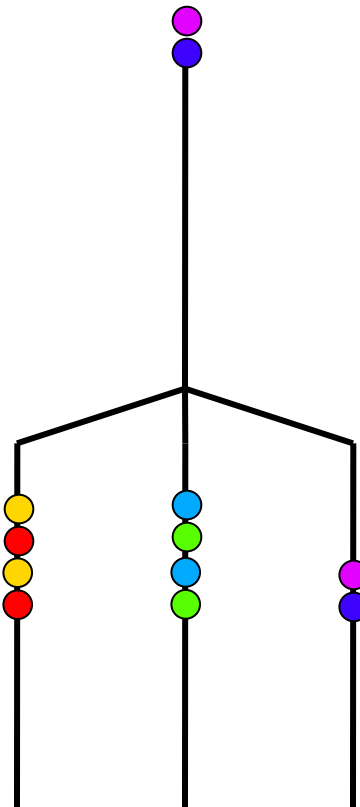


SplitJoins are Beautiful

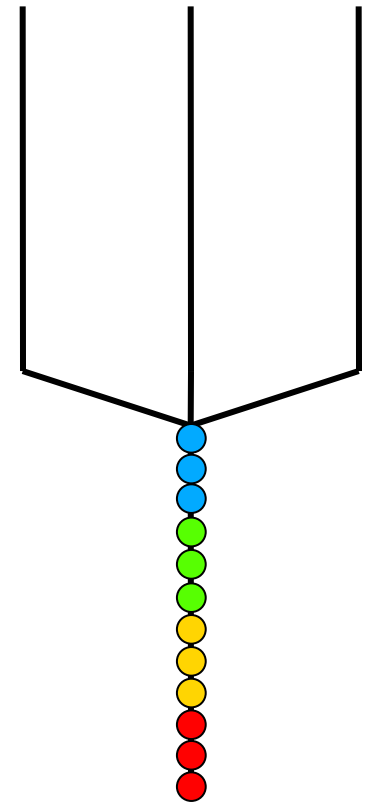
split duplicate



split roundrobin(2)

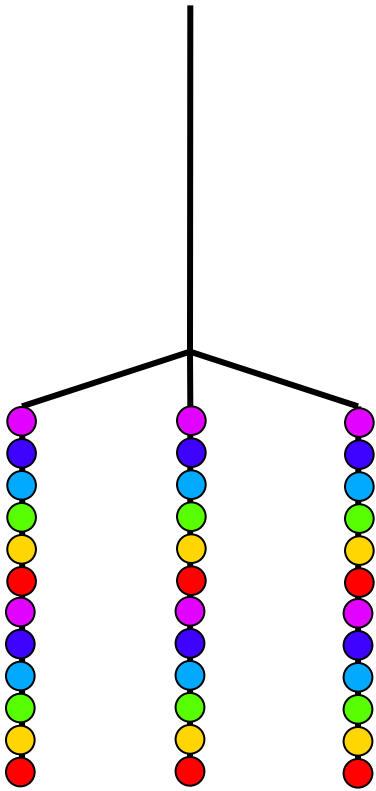


join roundrobin(1)

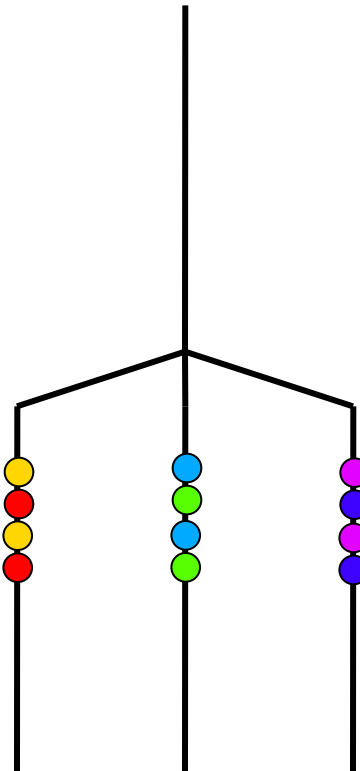


SplitJoins are Beautiful

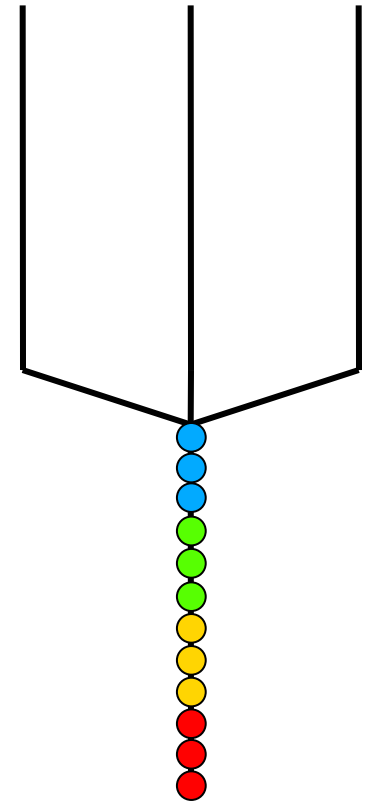
split duplicate



split roundrobin(2)

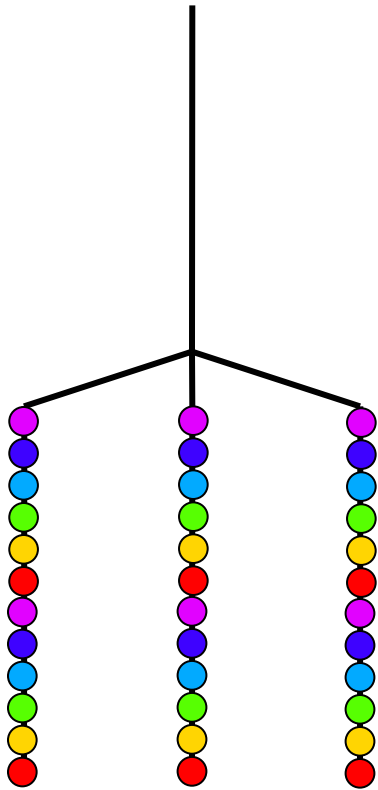


join roundrobin(1)

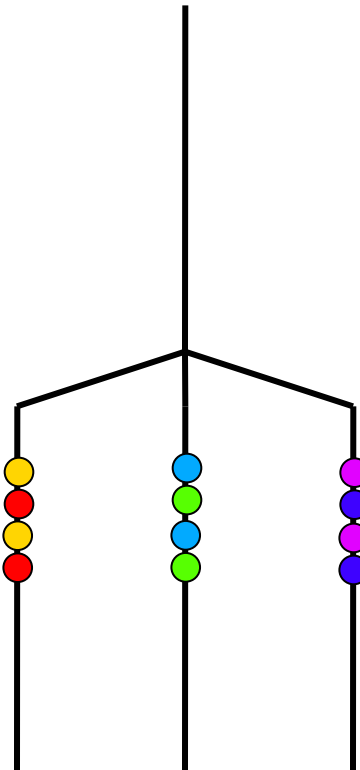


SplitJoins are Beautiful

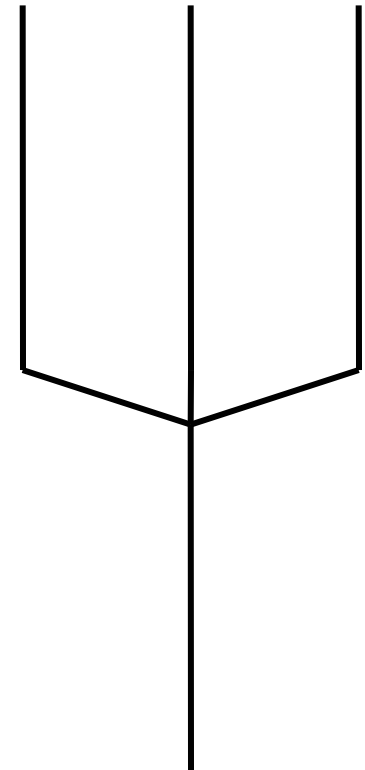
split duplicate



split roundrobin(2)

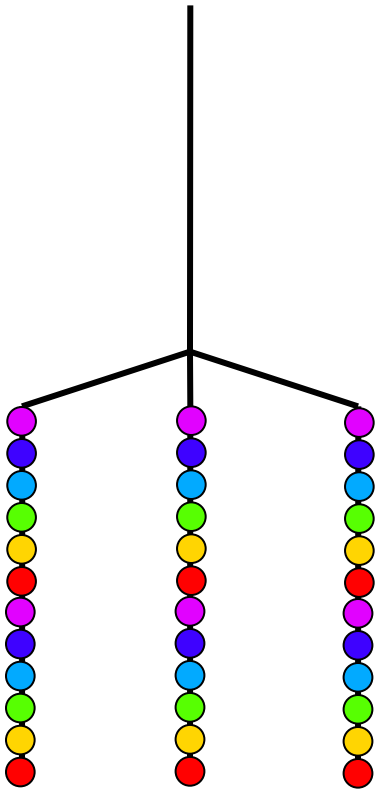


join roundrobin(1)

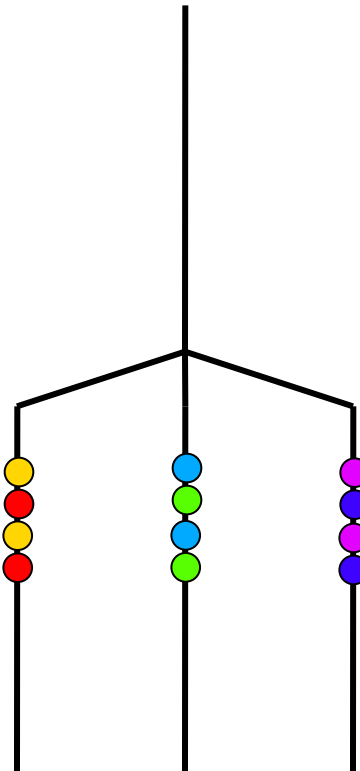


SplitJoins are Beautiful

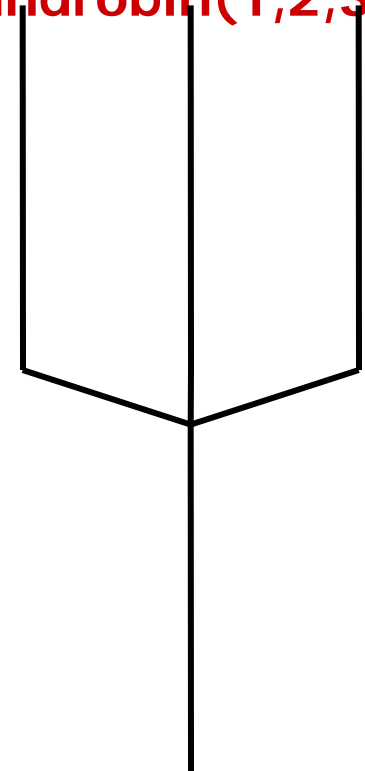
split duplicate



split roundrobin(2)

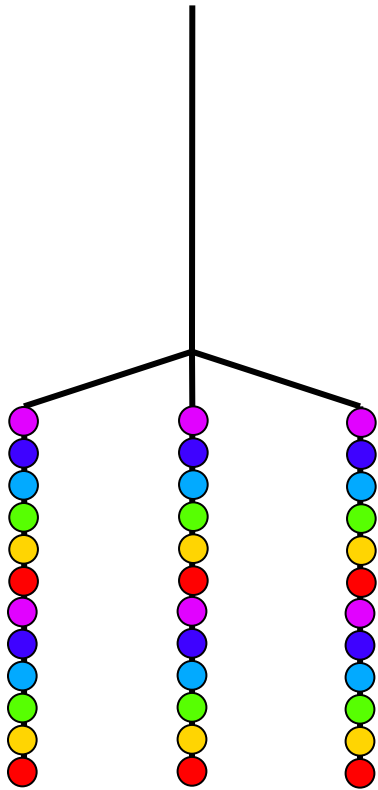


join roundrobin(1,2,3)

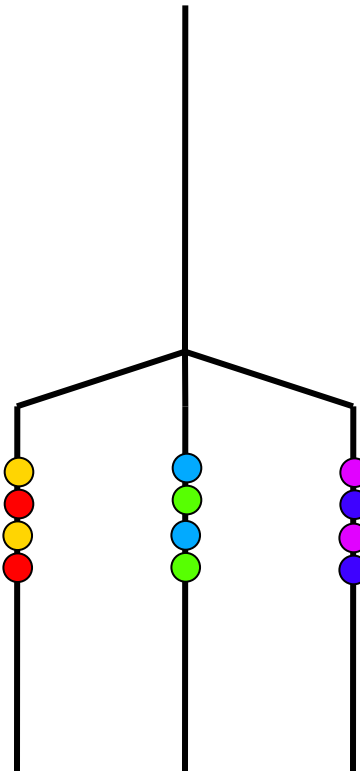


SplitJoins are Beautiful

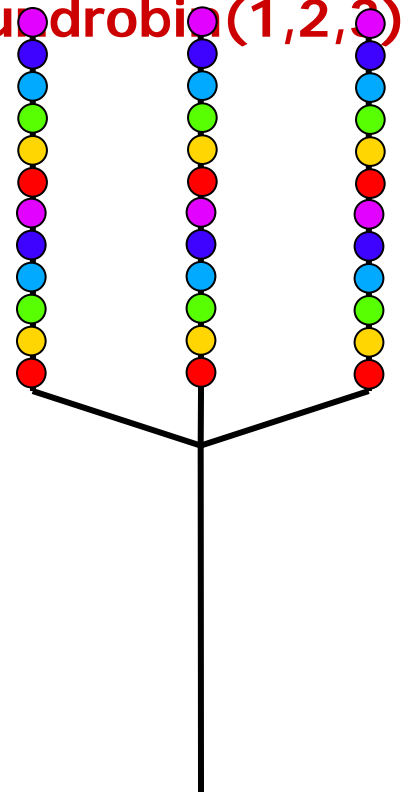
split duplicate



split roundrobin(2)

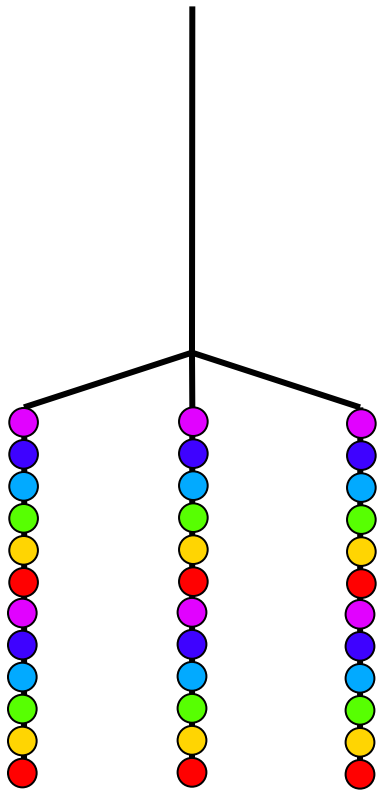


join roundrobin(1,2,3)

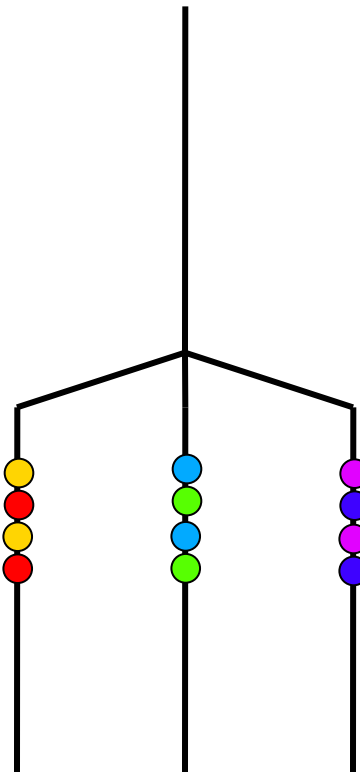


SplitJoins are Beautiful

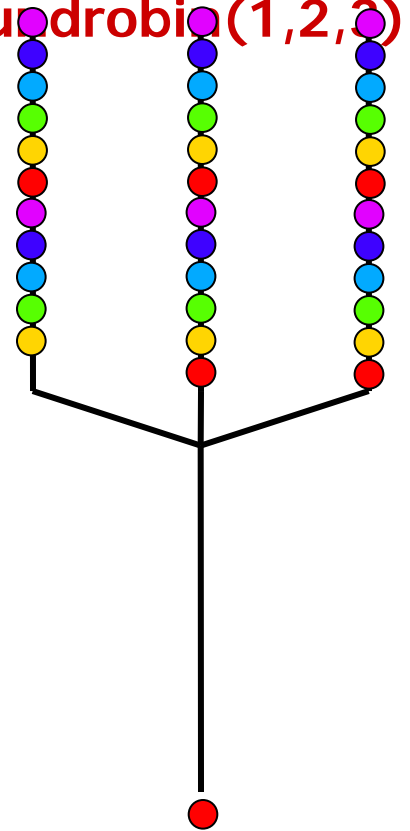
split duplicate



split roundrobin(2)

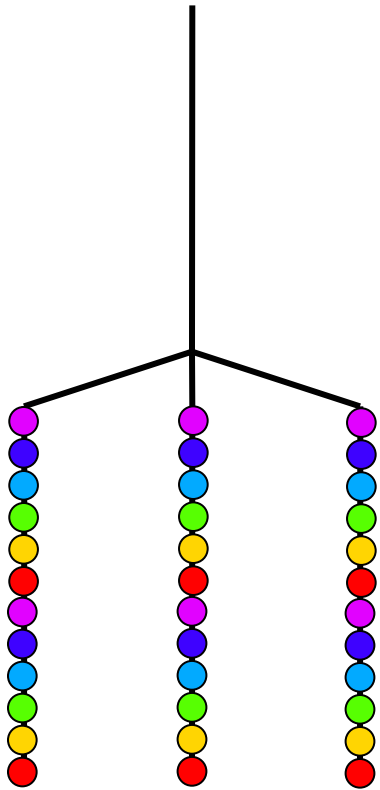


join roundrobin(1,2,3)

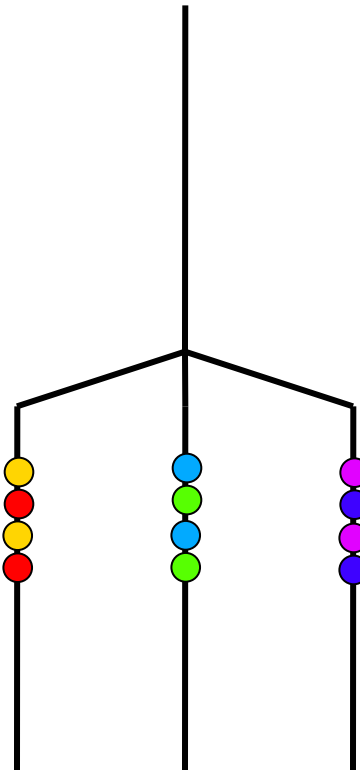


SplitJoins are Beautiful

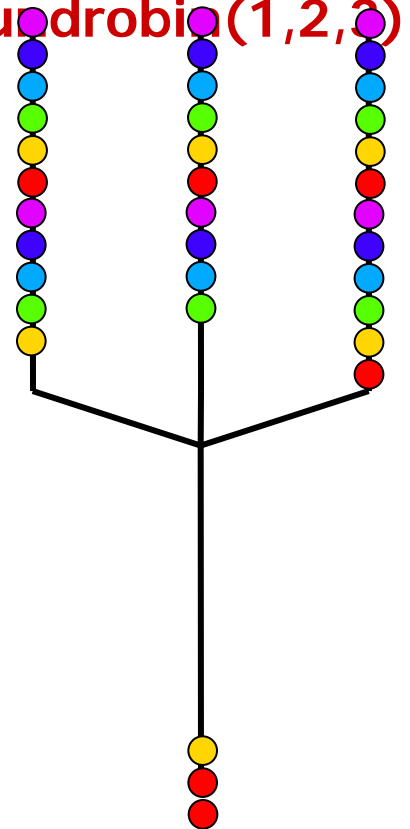
split duplicate



split roundrobin(2)

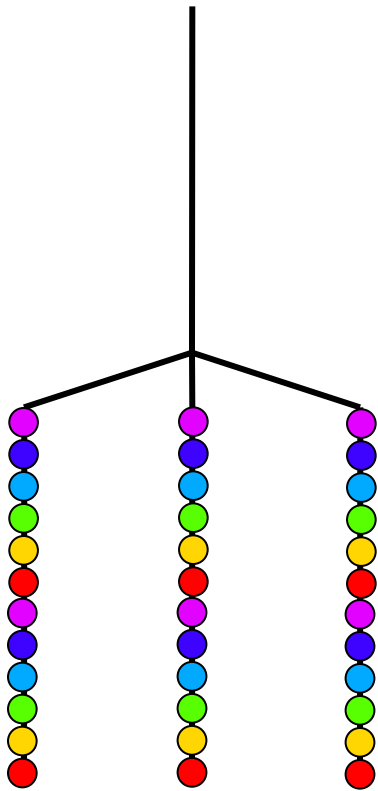


join roundrobin(1,2,3)

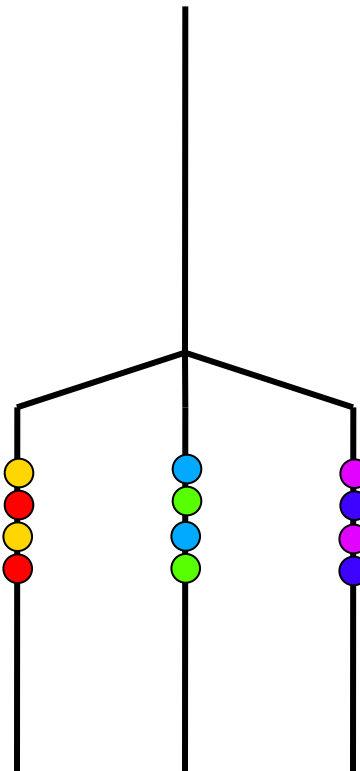


SplitJoins are Beautiful

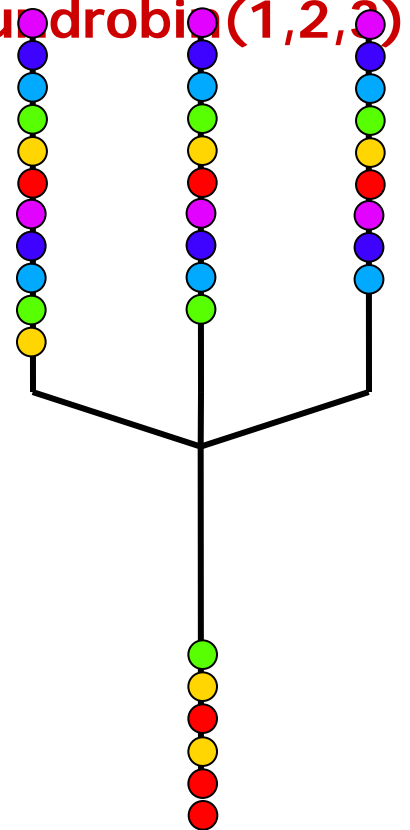
split duplicate



split roundrobin(2)

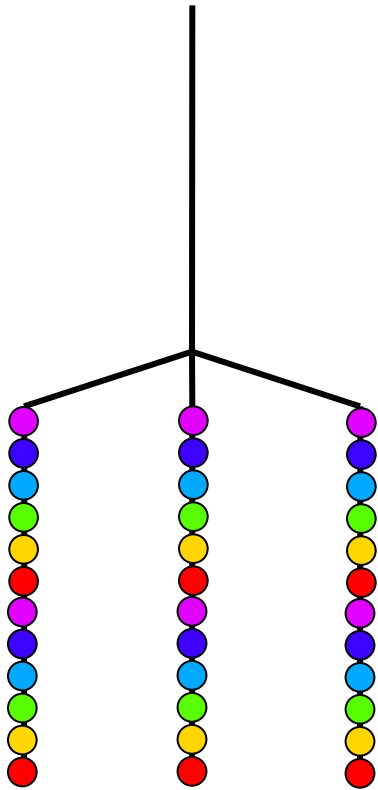


join roundrobin(1,2,3)

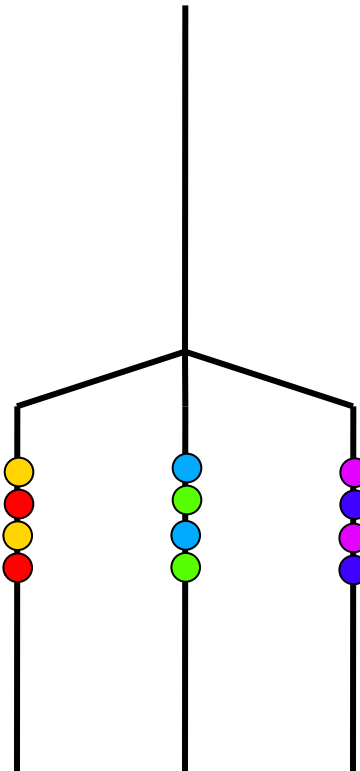


SplitJoins are Beautiful

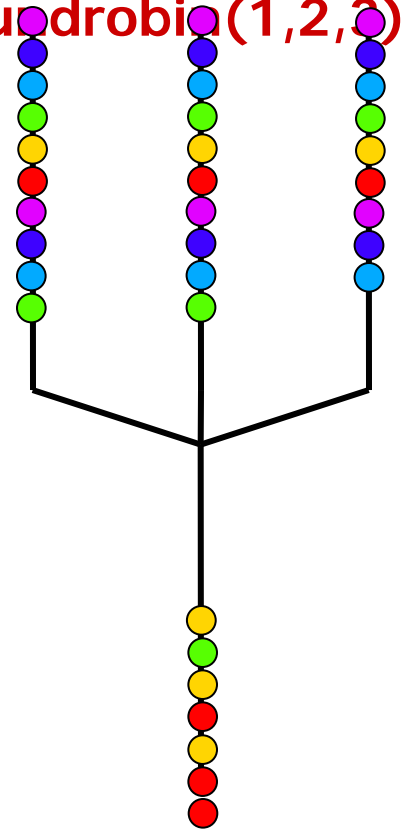
split duplicate



split roundrobin(2)

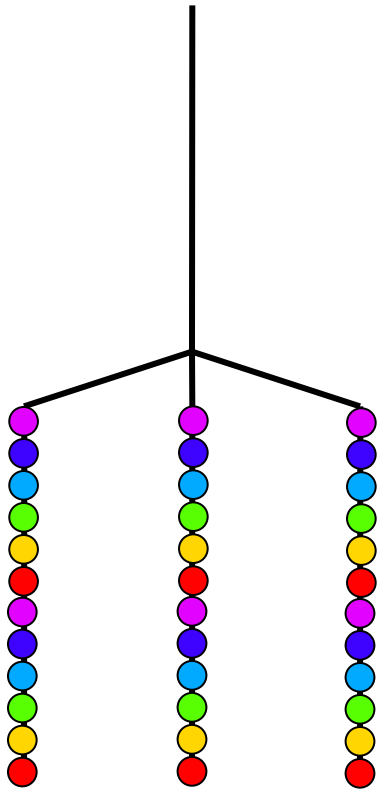


join roundrobin(1,2,3)

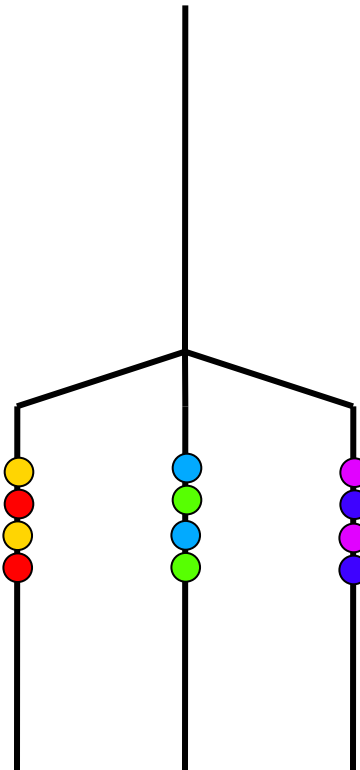


SplitJoins are Beautiful

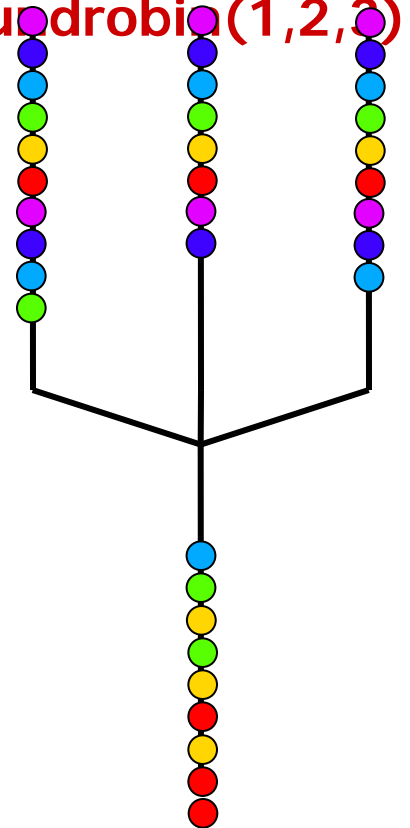
split duplicate



split roundrobin(2)

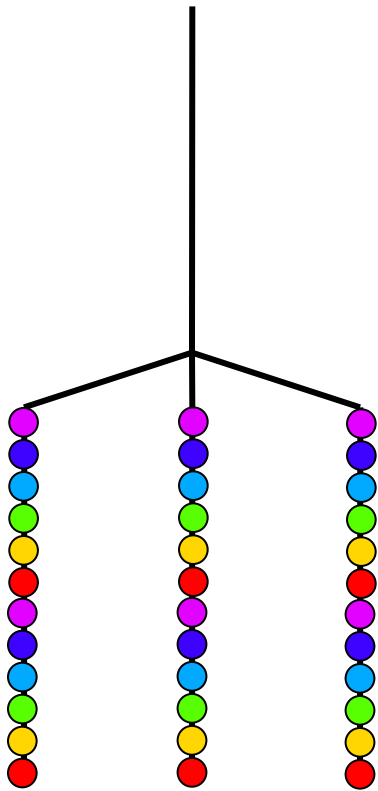


join roundrobin(1,2,3)

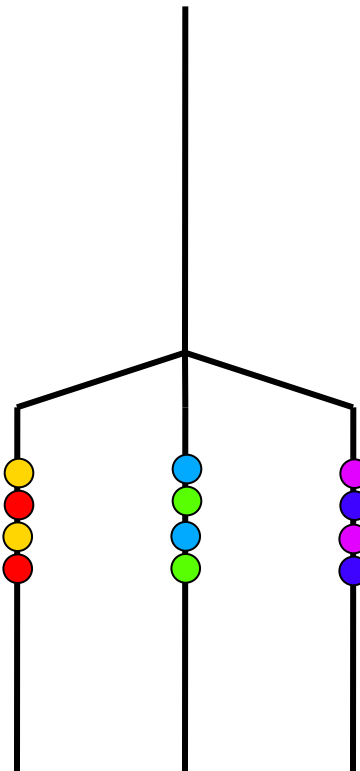


SplitJoins are Beautiful

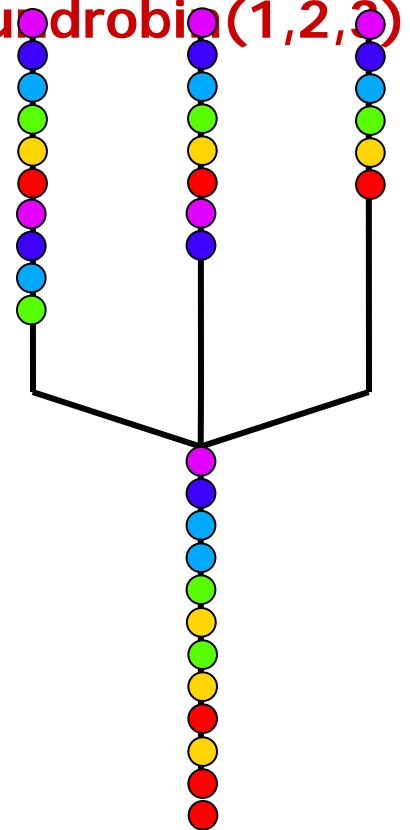
split duplicate



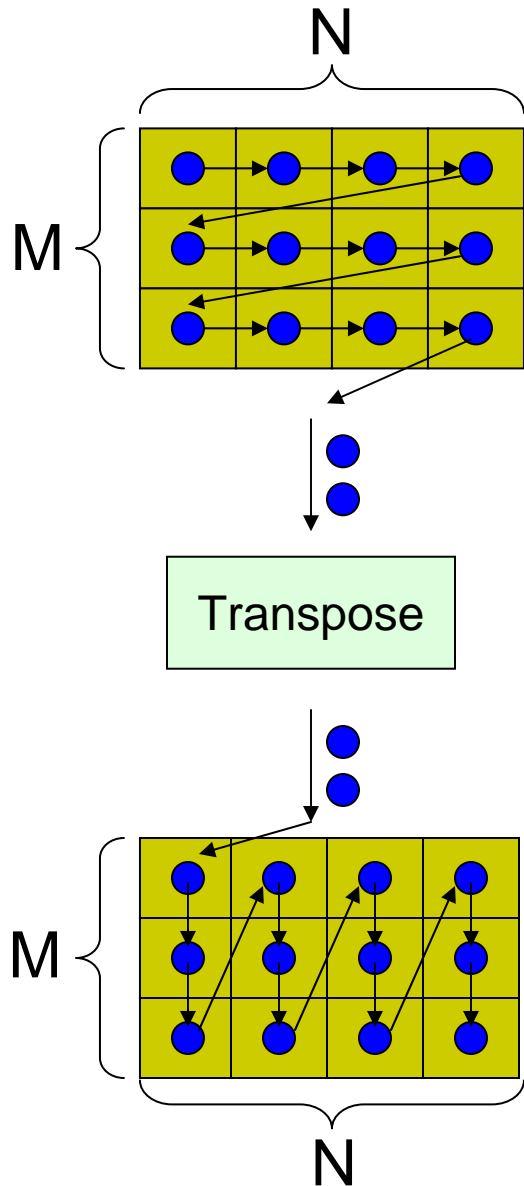
split roundrobin(2)



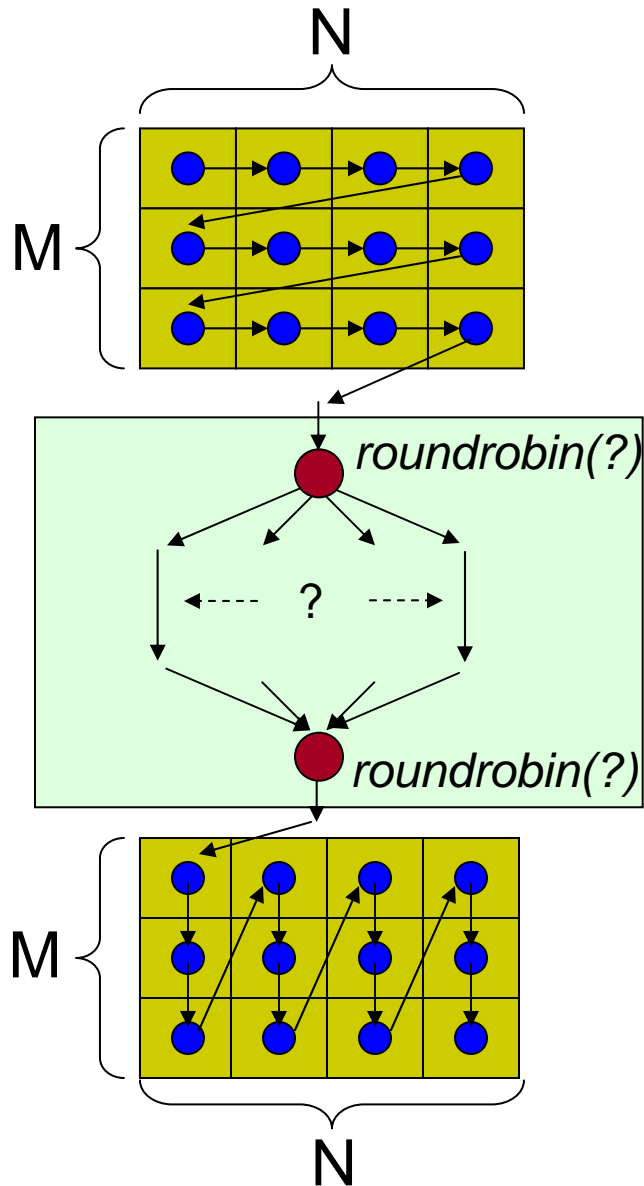
join roundrobin(1,2,3)



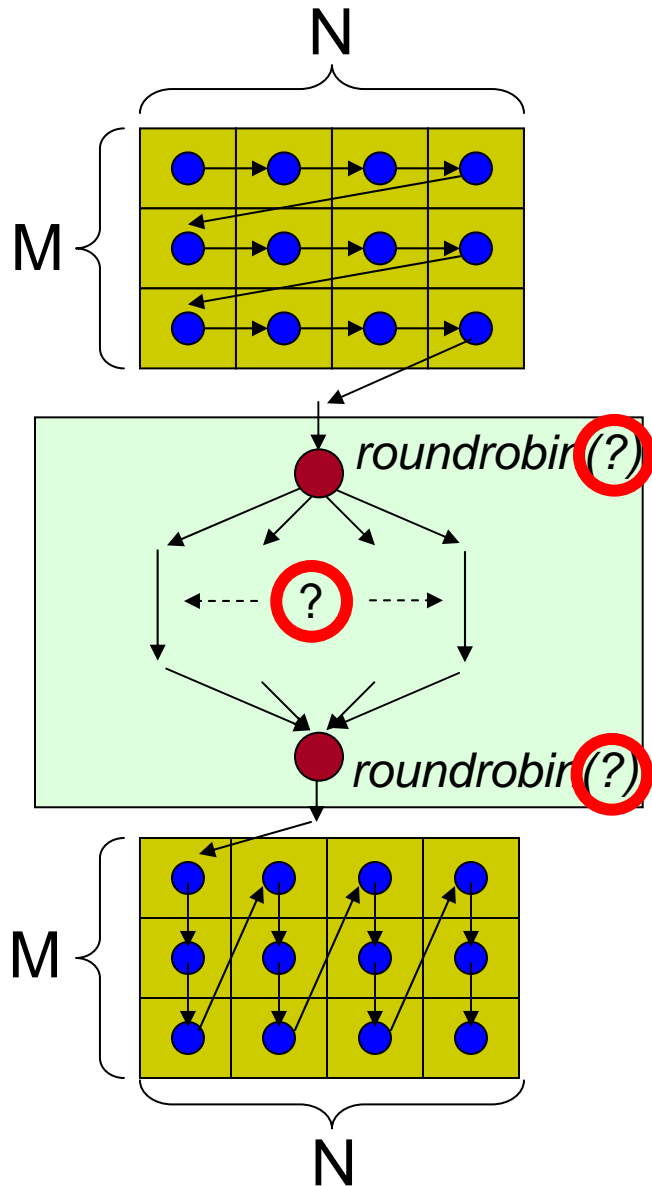
Matrix Transpose



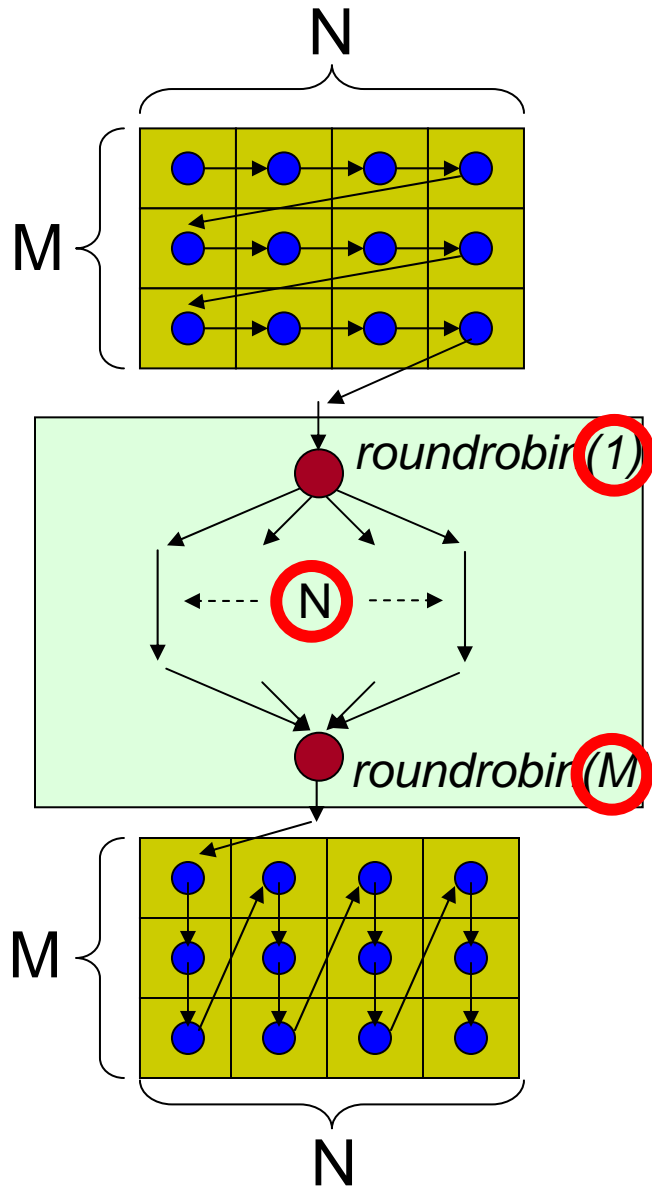
Matrix Transpose



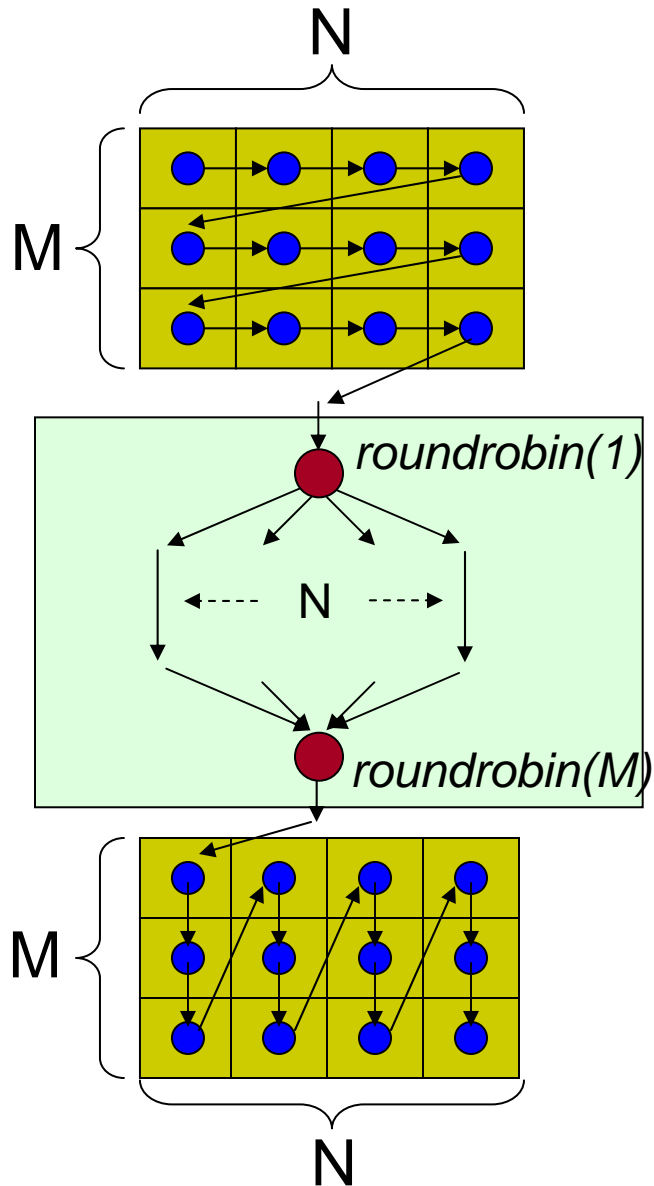
Matrix Transpose



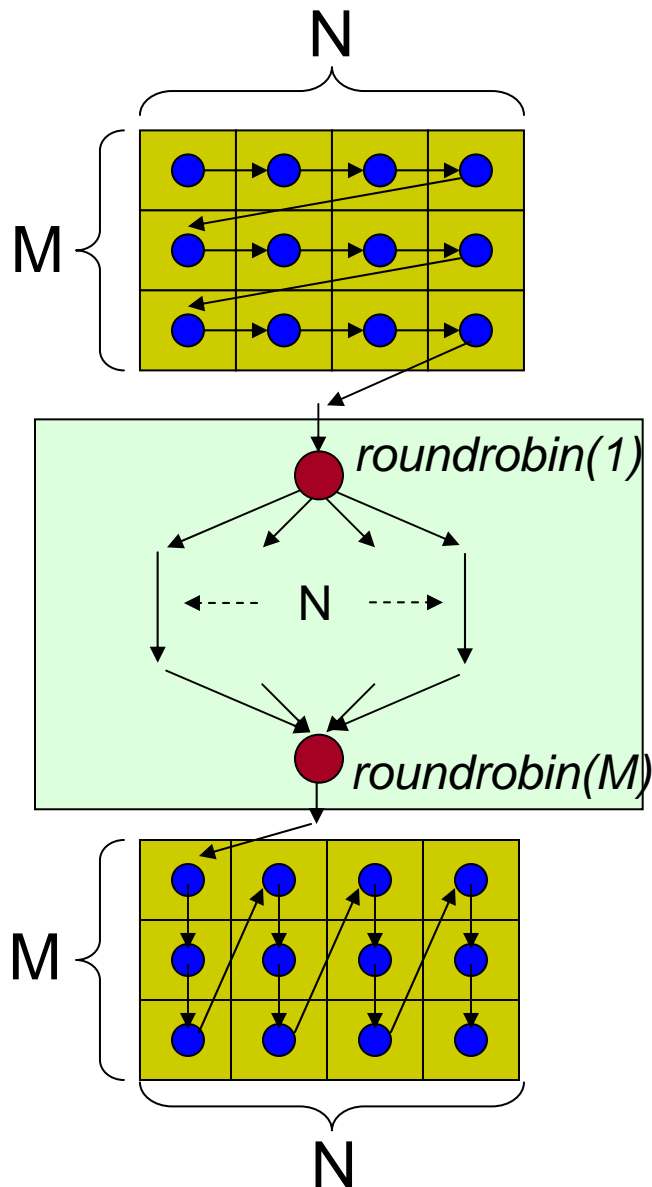
Matrix Transpose



Matrix Transpose



Matrix Transpose



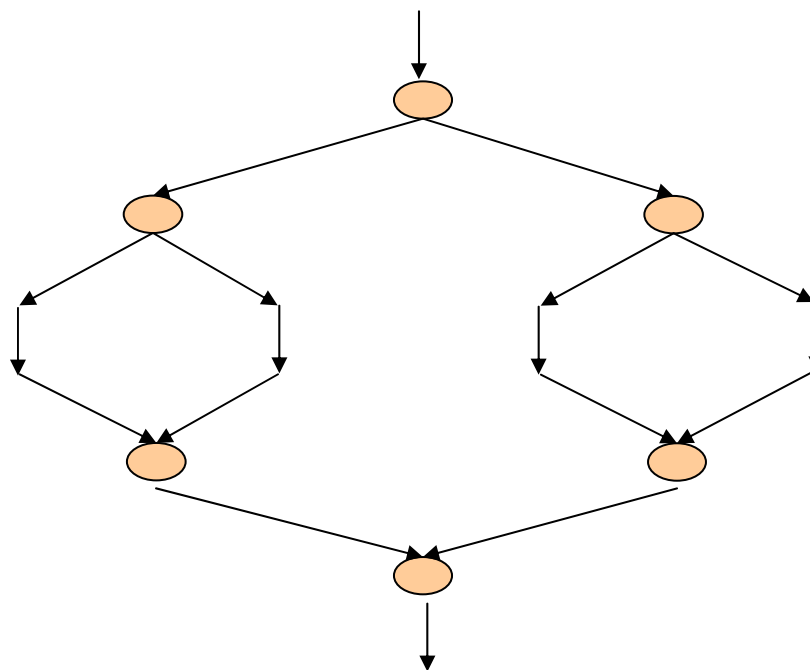
```
float->float splitjoin Transpose (int M,  
                                     int N) {  
    split roundrobin(1);  
    for (int i = 0; i < N; i++) {  
        add Identity<float>;  
    }  
    join roundrobin(M);  
}
```

Bit-reversed ordering

- Many FFT algorithms require a bit-reversal stage
- If item is at index n (with binary digits $b_0 b_1 \dots b_k$), then it is transferred to reversed index $b_k \dots b_1 b_0$
- For 3-digit binary numbers:

```
00001111
00110011
01010101
↓ ↓ ↓ ↓ ↓
00001111
00110011
01010101
```

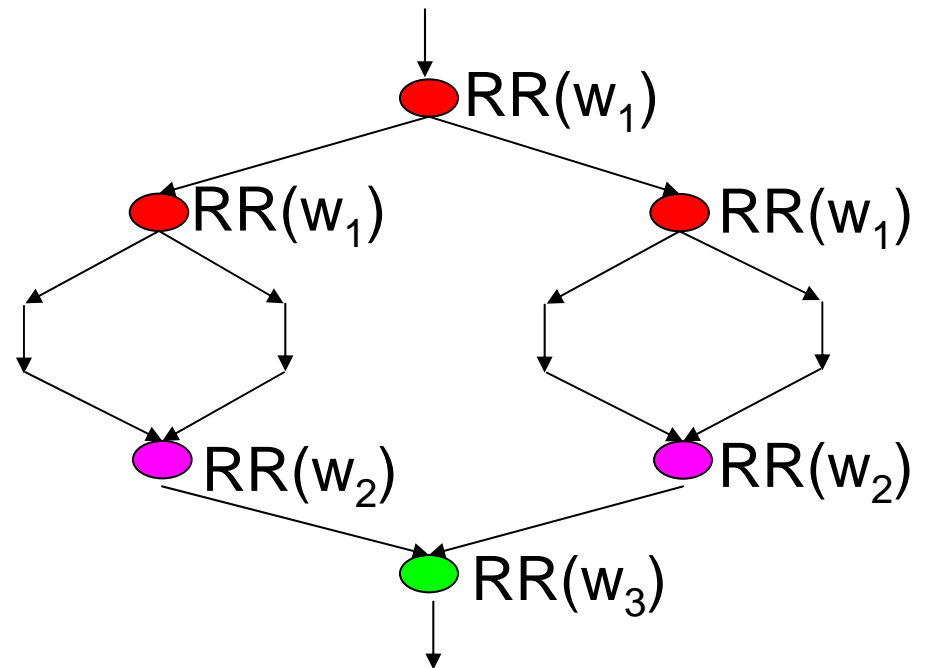
The diagram shows three rows of 8-bit binary numbers. The first row is 00001111, the second is 00110011, and the third is 01010101. Below these, a set of arrows indicates a bit-reversal operation. The first and last bits of each row are swapped, as are the second and seventh, and the third and sixth. The resulting rows are identical to the original ones, illustrating that these three rows are already in bit-reversed order.



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00001111
00110011
01010101
↓ ↓ ↓ ↓ ↓
00001111
00110011
01010101

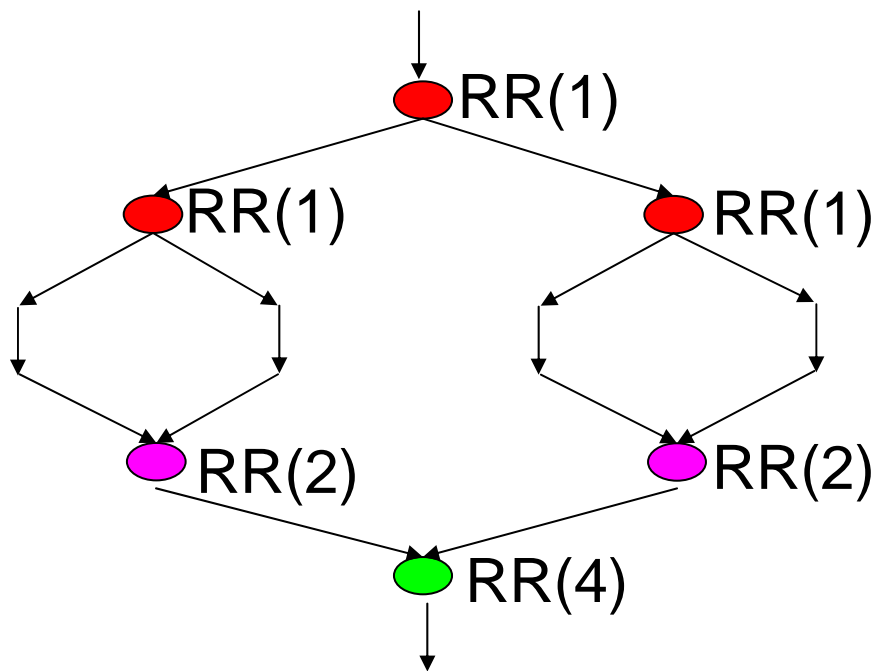


Bit-reversed ordering

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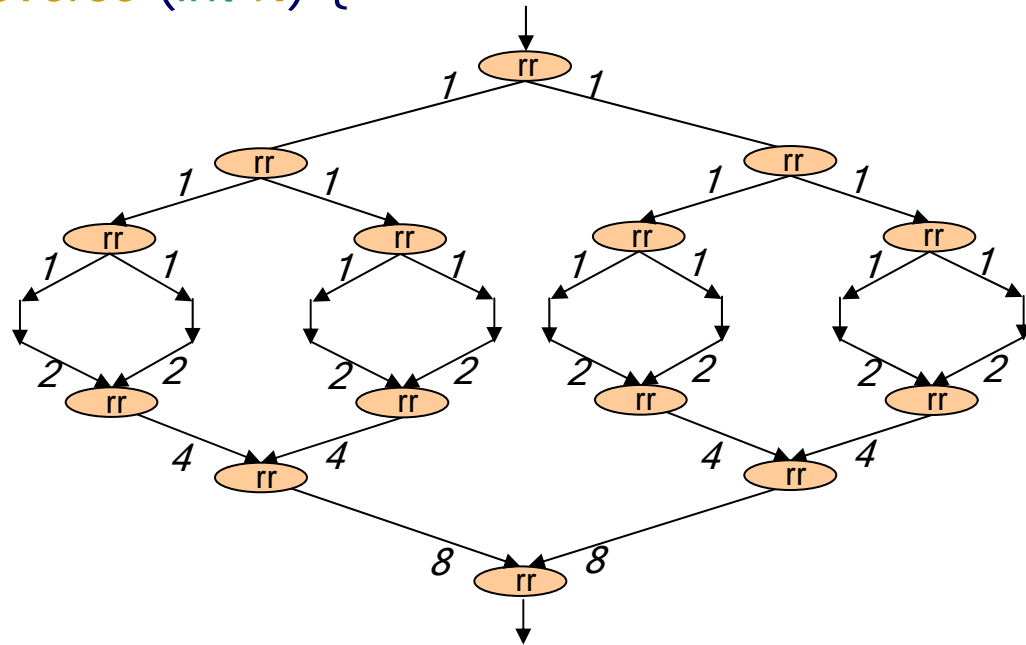
```
00001111
00110011
01010101
↓ ↓ ↓ ↓
00001111
00110011
01010101
```

The diagram shows three rows of 8-bit binary numbers. The first row is 00001111, the second is 00110011, and the third is 01010101. Below these, four vertical arrows point down to the corresponding bits of the second row. Four diagonal arrows cross between the first and third rows, indicating a bit-reversal operation: the first bit of the first row goes to the eighth bit of the third row, the second to the seventh, the third to the sixth, and the fourth to the fifth.



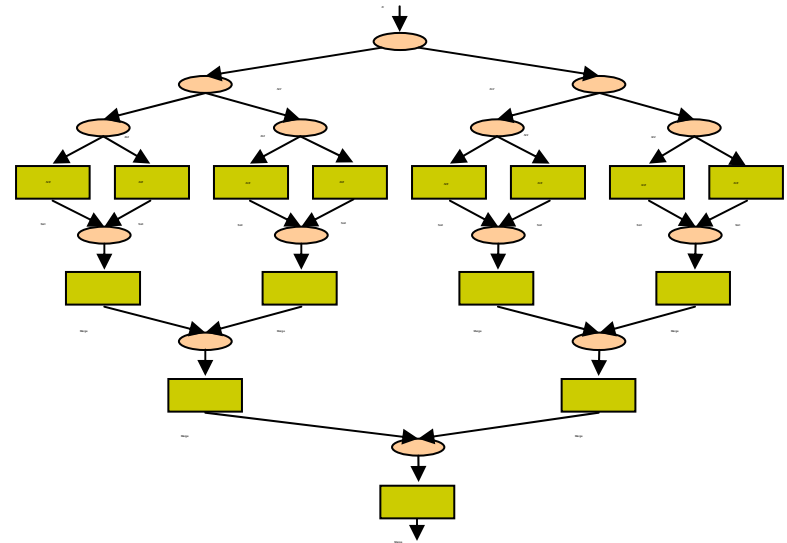
Bit-reversed ordering

```
complex->complex pipeline BitReverse (int N) {  
  if (N==2) {  
    add Identity<complex>;  
  } else {  
    add splitjoin {  
      split roundrobin(1);  
      add BitReverse(N/2);  
      add BitReverse(N/2);  
      join roundrobin(N/2);  
    }  
  }  
}
```

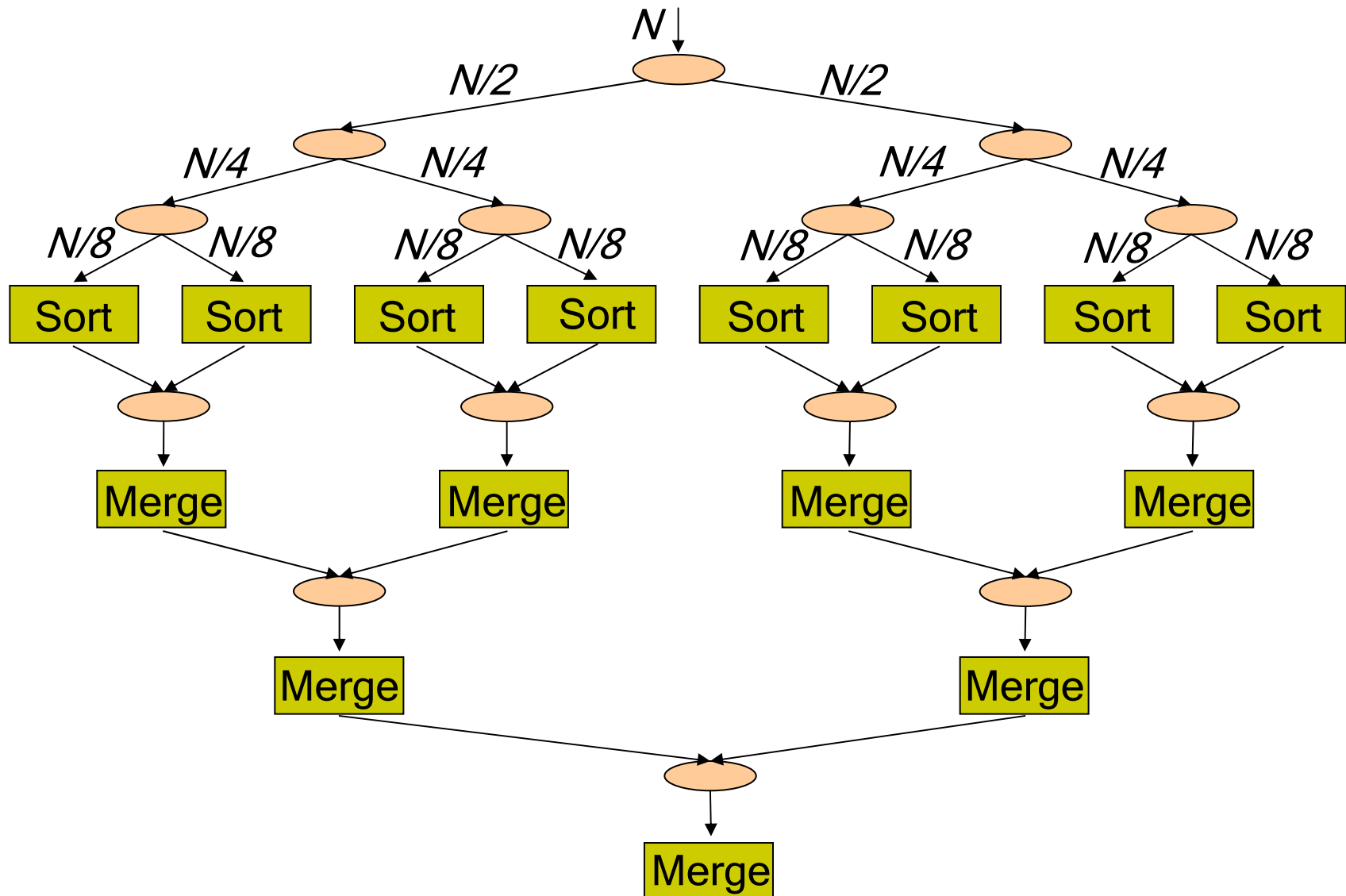


N-Element Merge Sort

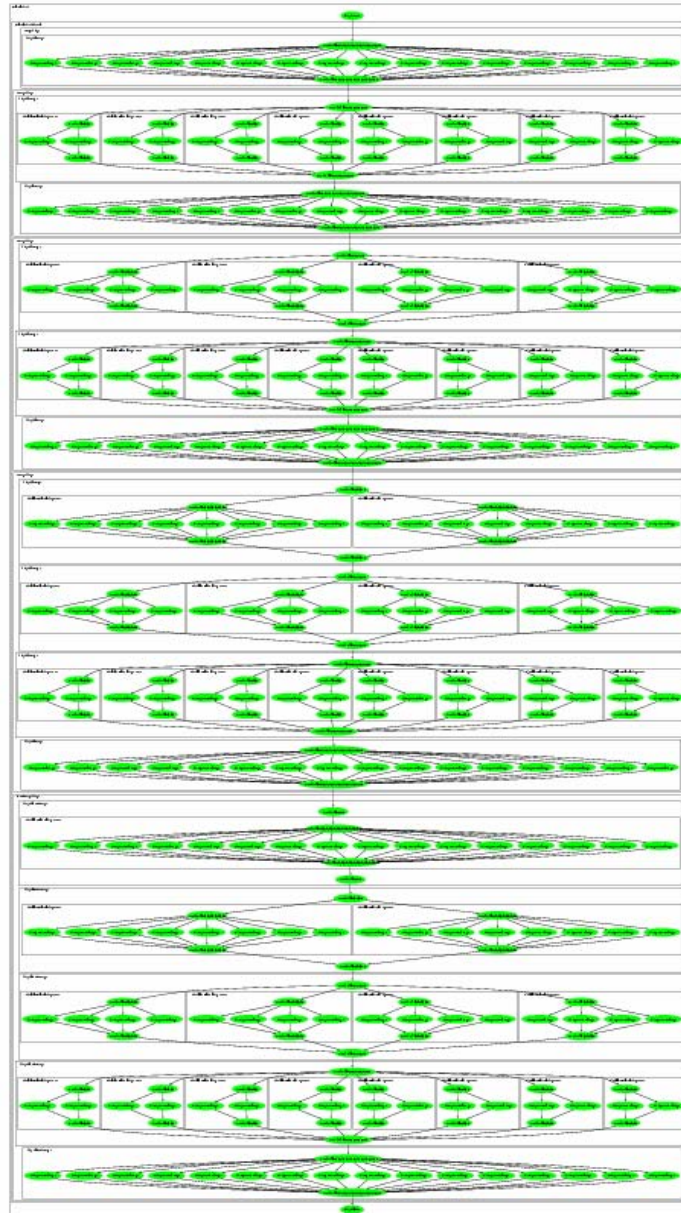
```
int->int pipeline MergeSort (int N) {  
  if (N==2) {  
    add Sort(N);  
  } else {  
    add splitjoin {  
      split roundrobin(N/2);  
      add MergeSort(N/2);  
      add MergeSort(N/2);  
      join roundrobin(N/2);  
    }  
  }  
  add Merge(N);  
}
```



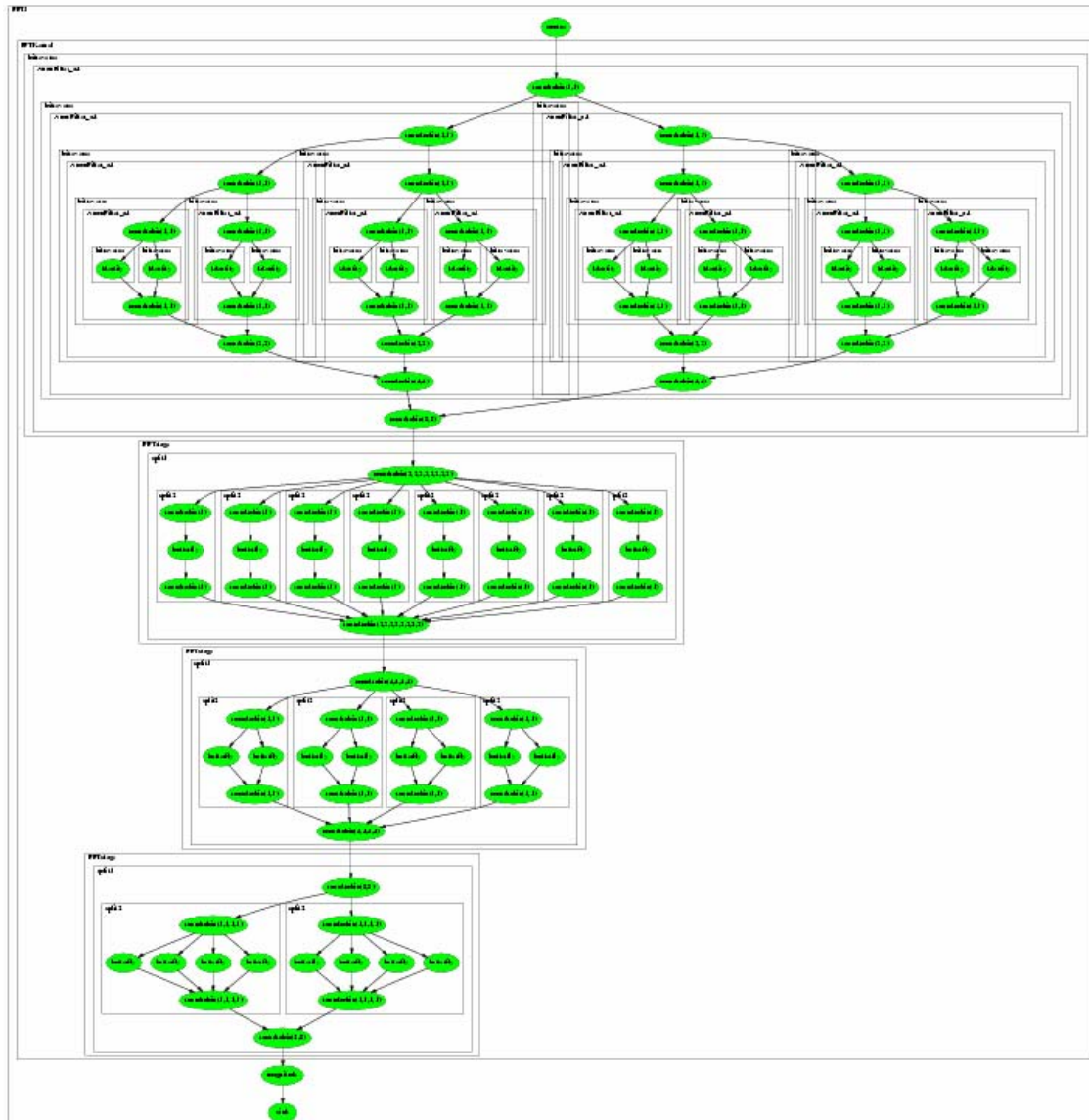
N-Element Merge Sort (3-level)



Bitonic Sort

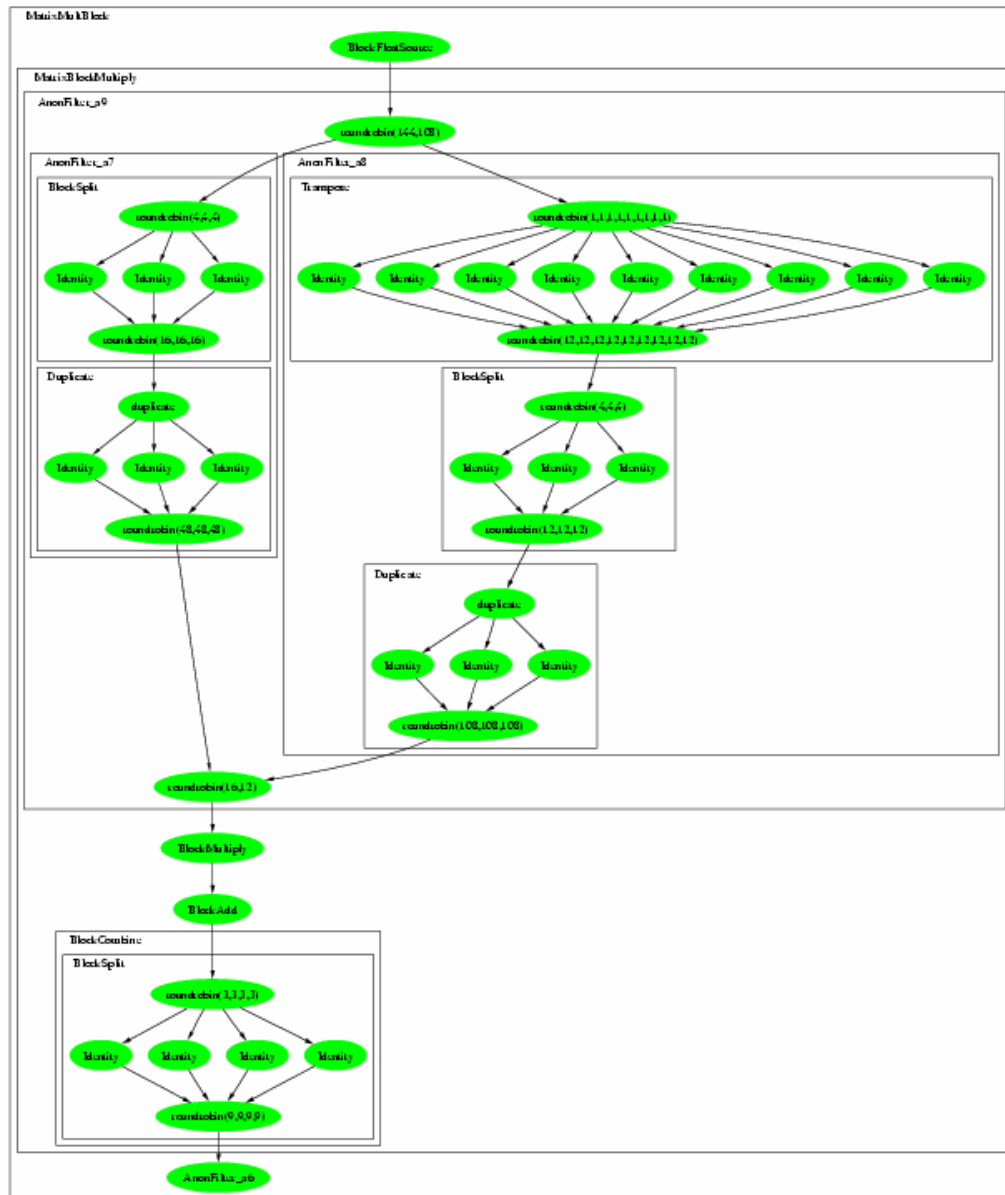


FFT



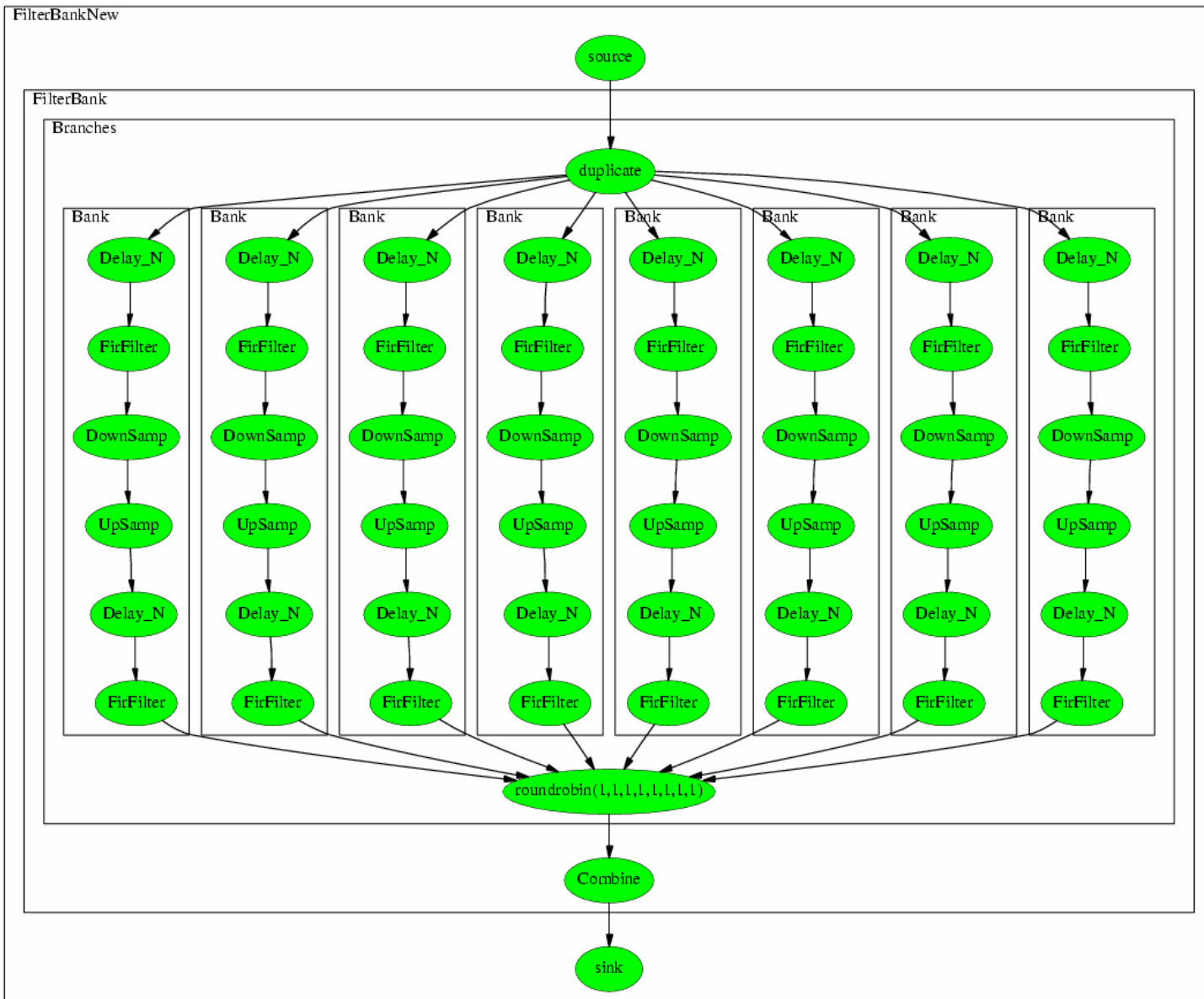
Courtesy of William Thies.
Used with permission.

Block Matrix Multiply



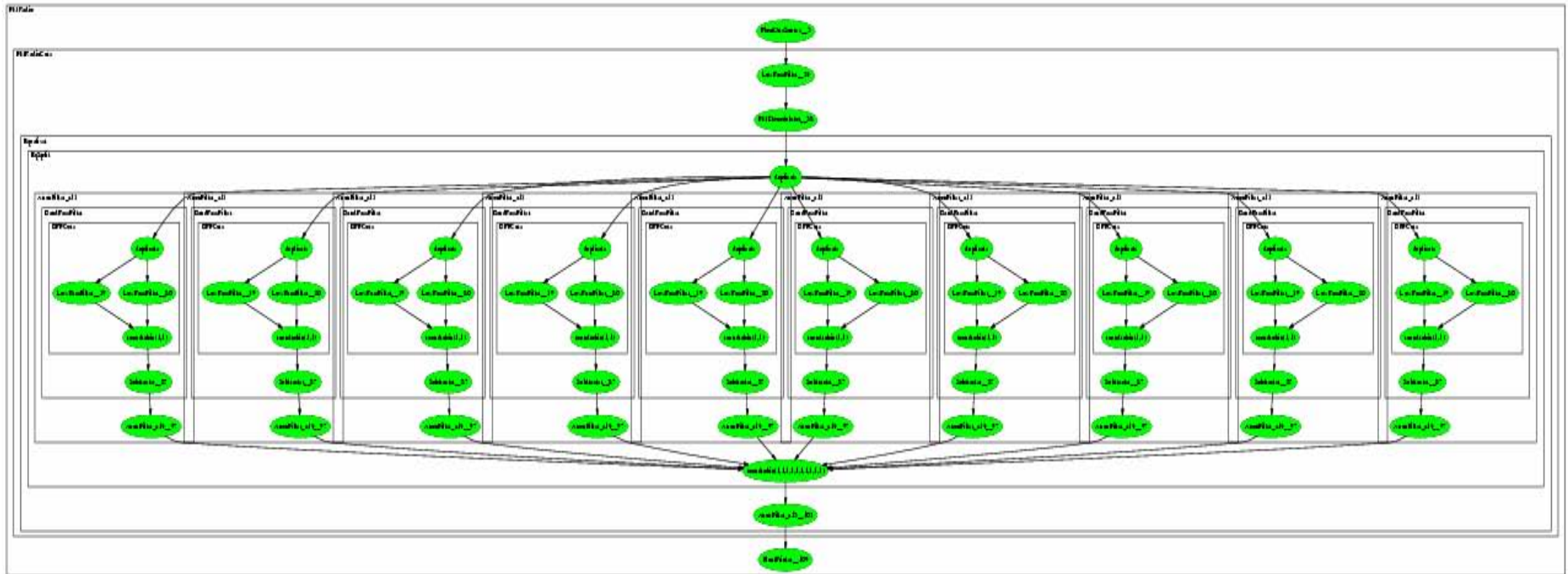
Courtesy of William Thies.
Used with permission.

Filterbank



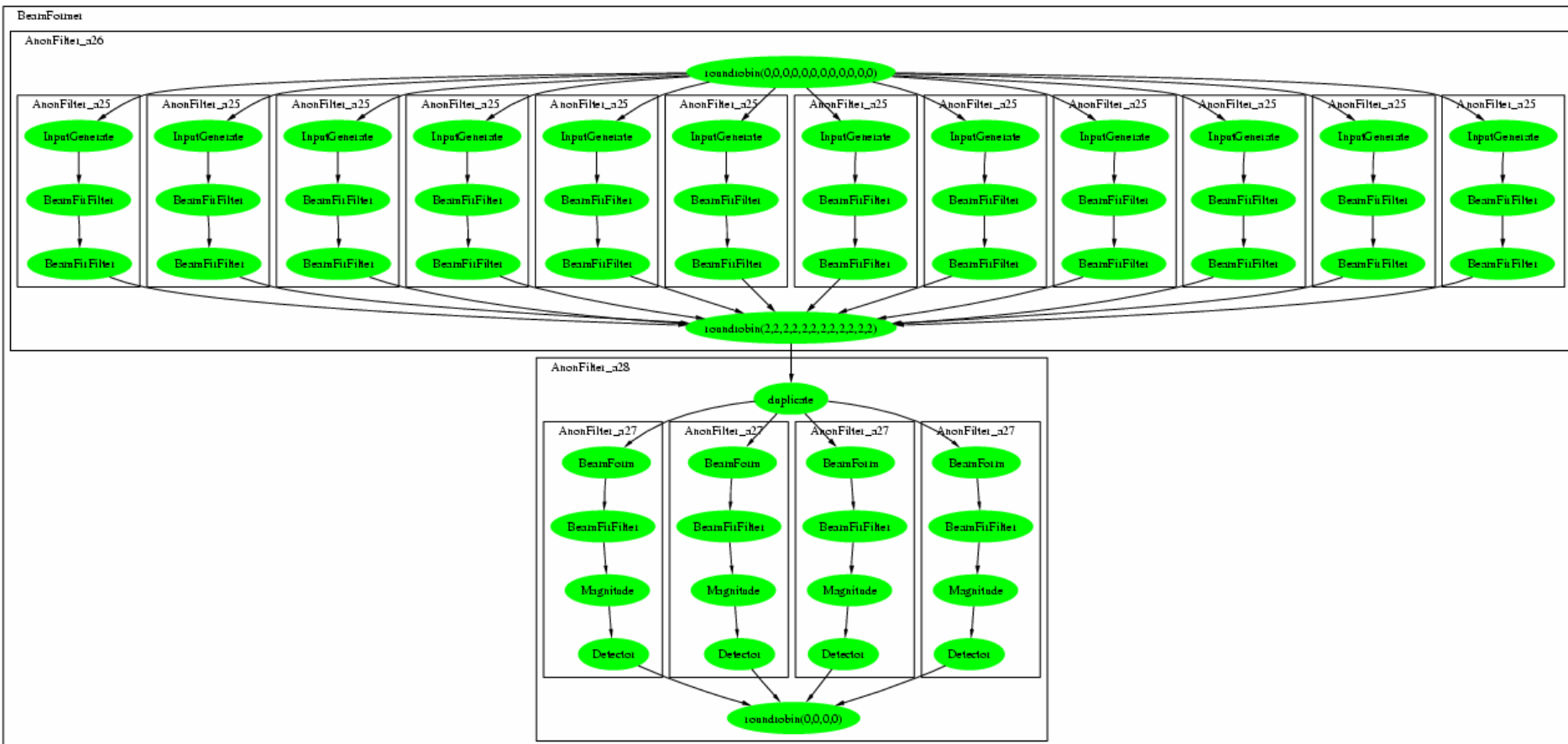
Courtesy of William Thies.
Used with permission.

FM Radio with Equalizer



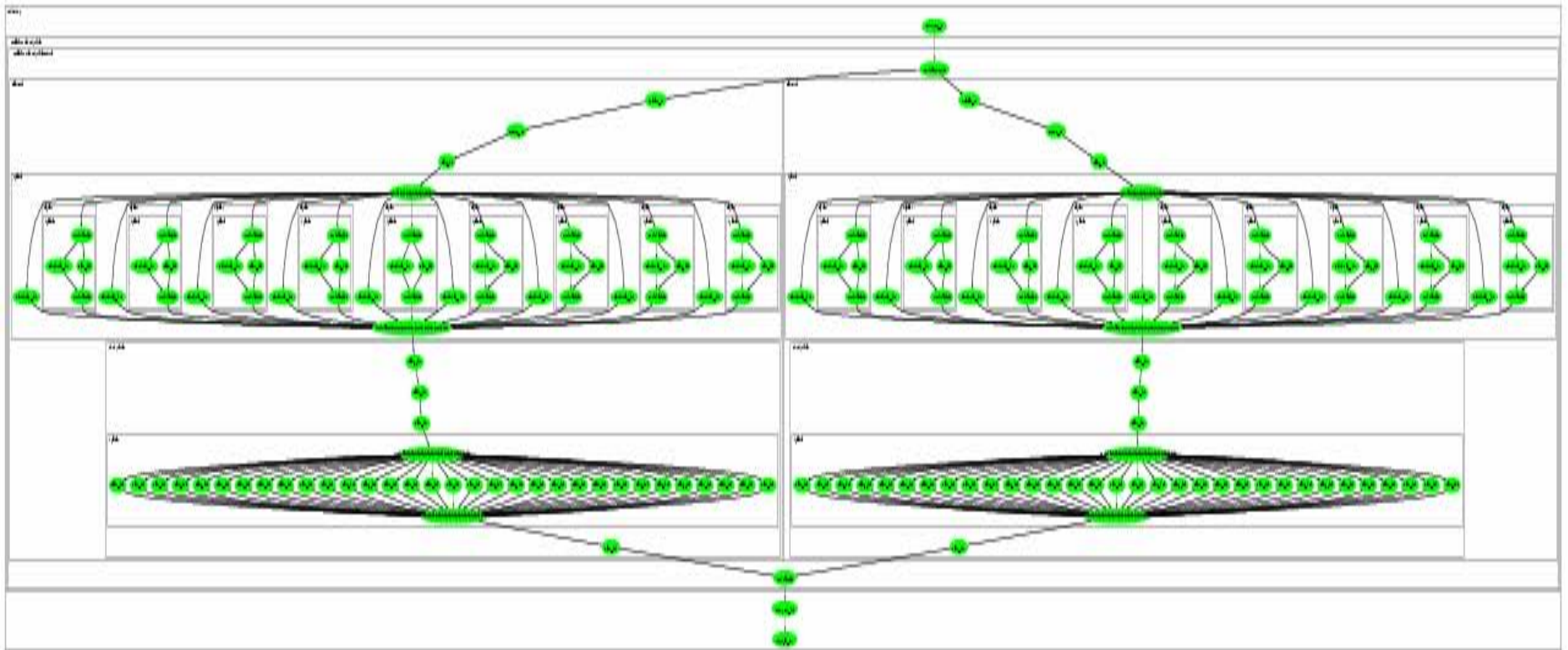
Courtesy of William Thies.
Used with permission.

Radar-Array Front End



Courtesy of William Thies.
Used with permission.

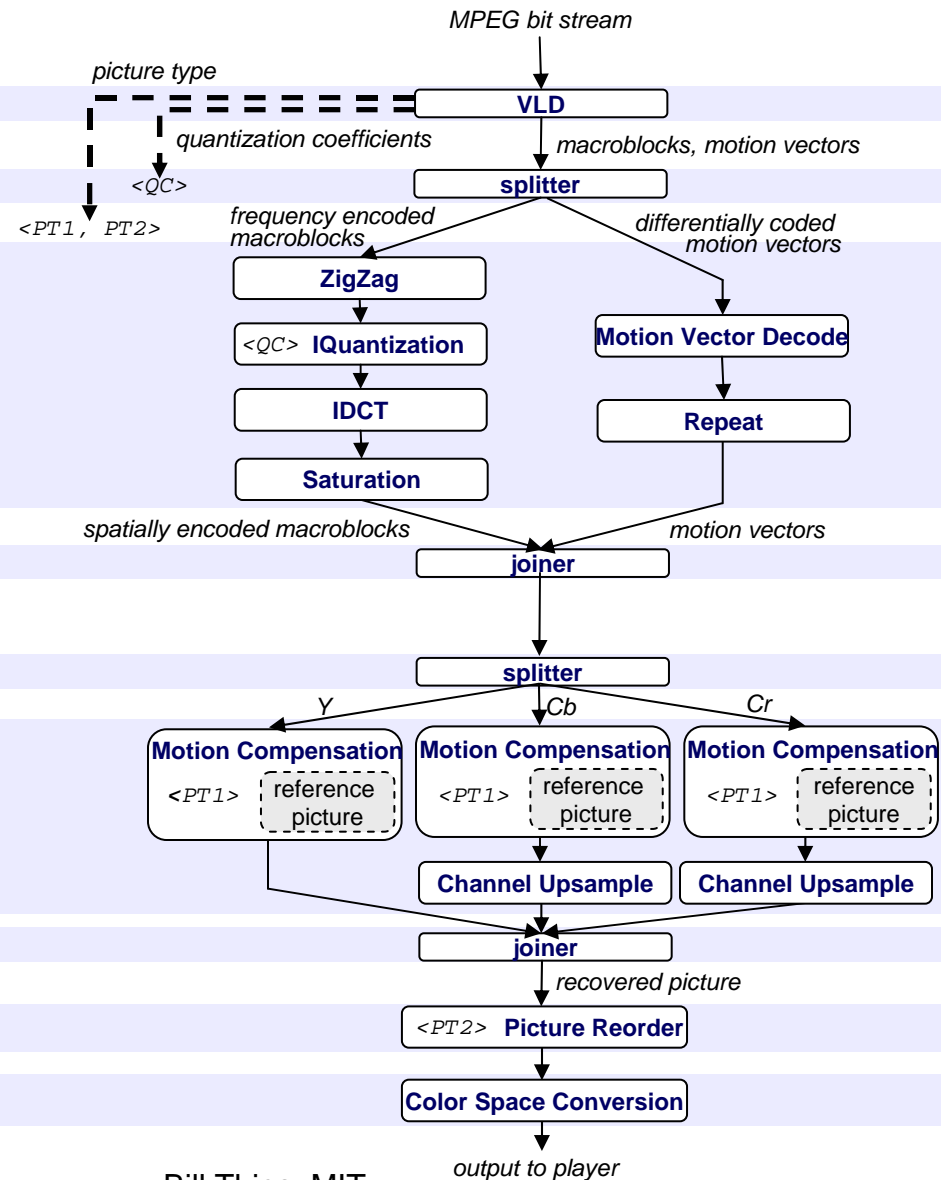
MP3 Decoder



Courtesy of William Thies.
Used with permission.

Case Study: MPEG-2 Decoder in StreamIt

MPEG-2 Decoder in StreamIt



```

add VLD(QC, PT1, PT2);
add splitjoin {
    split roundrobin(N*B, V);

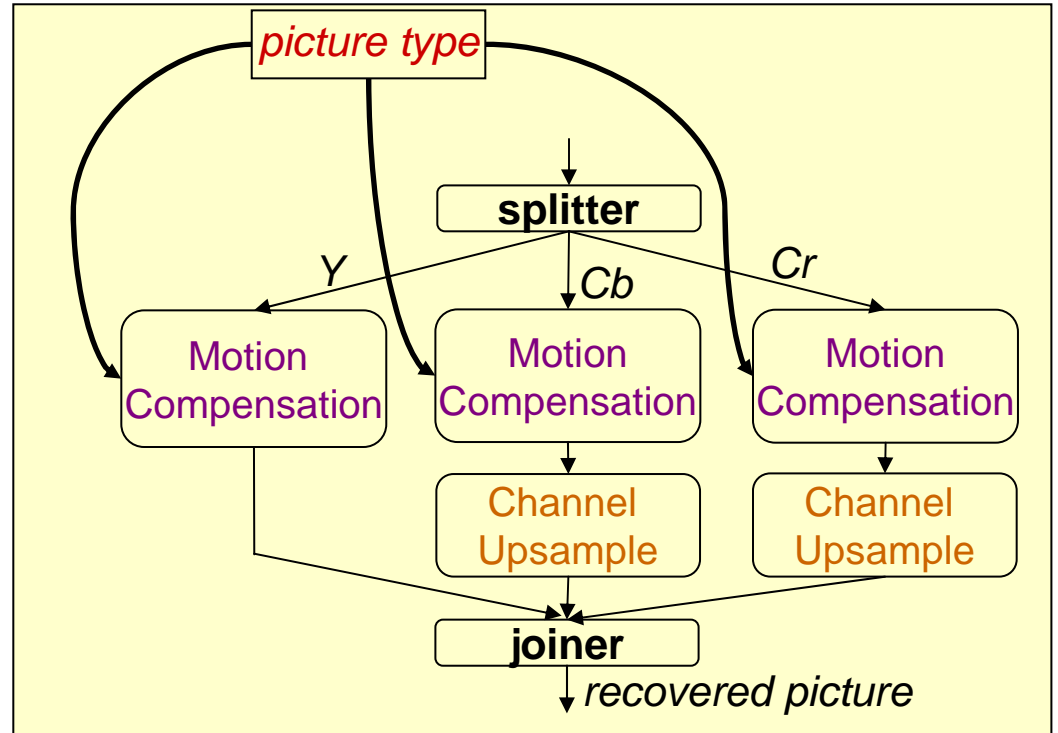
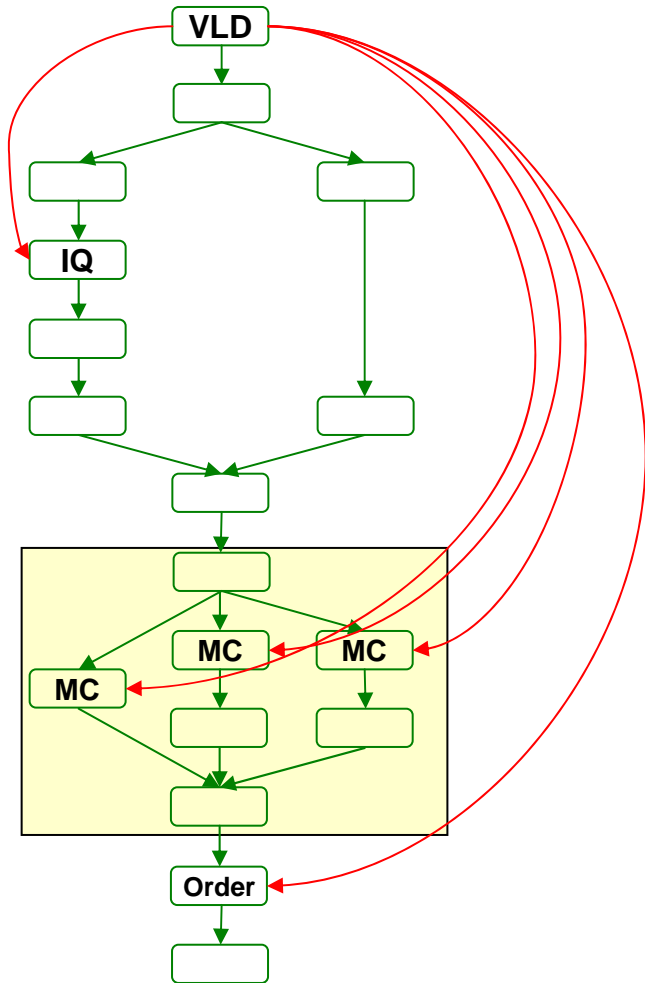
    add pipeline {
        add ZigZag(B);
        add IQquantization(B) to QC;
        add IDCT(B);
        add Saturation(B);
    }
    add pipeline {
        add MotionVectorDecode();
        add Repeat(V, N);
    }
}
join roundrobin(B, V);
}
add splitjoin {
    split roundrobin(4*(B+V), B+V, B+V);

    add MotionCompensation(4*(B+V)) to PT1;
    for (int i = 0; i < 2; i++) {
        add pipeline {
            add MotionCompensation(B+V) to PT1;
            add ChannelUpsample(B);
        }
    }
}
join roundrobin(1, 1, 1);
}
add PictureReorder(3*W*H) to PT2;

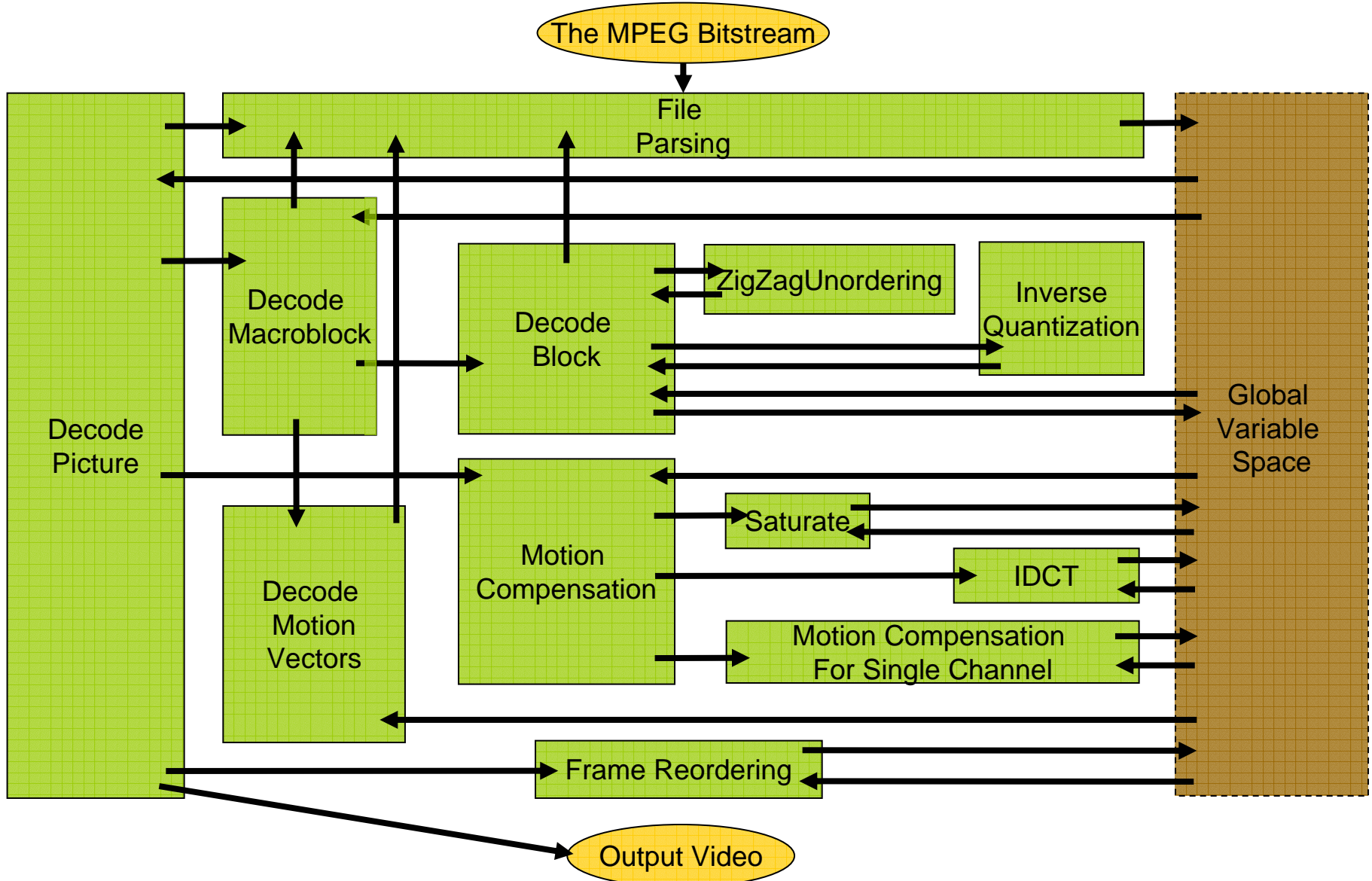
add ColorSpaceConversion(3*W*H);

```

Teleport Messaging in MPEG-2



Messaging Equivalent in C



MPEG-2 Implementation

- Fully-functional MPEG-2 decoder and encoder
- Developed by 1 programmer in 8 weeks
- 2257 lines of code
 - Vs. 3477 lines of C code in MPEG-2 reference
- 48 static streams, 643 instantiated filters

Conclusions

- StreamIt language preserves program structure
 - Natural for programmers
- Parallelism and communication naturally exposed
 - Compiler managed buffers, and portable parallelization technology
- StreamIt increases programmer productivity, enables parallel performance