# 6.864: Lecture 2, Fall 2005 Parsing and Syntax I

# **Overview**

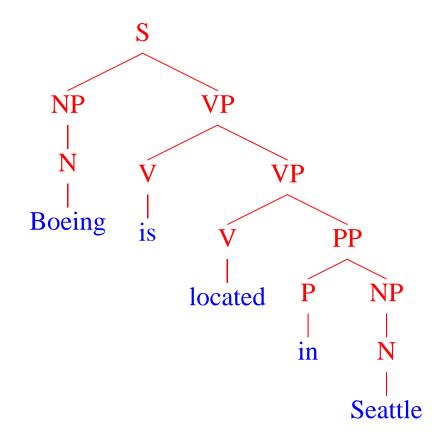
- An introduction to the parsing problem
- Context free grammars
- A brief(!) sketch of the syntax of English
- Examples of ambiguous structures
- PCFGs, their formal properties, and useful algorithms
- Weaknesses of PCFGs

# **Parsing (Syntactic Structure)**

**INPUT**:

Boeing is located in Seattle.

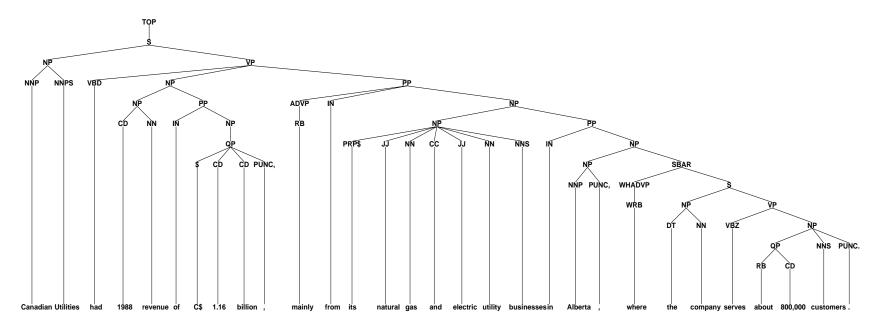
#### **OUTPUT:**



# **Data for Parsing Experiments**

- Penn WSJ Treebank = 50,000 sentences with associated trees
- Usual set-up: 40,000 training sentences, 2400 test sentences

## An example tree:

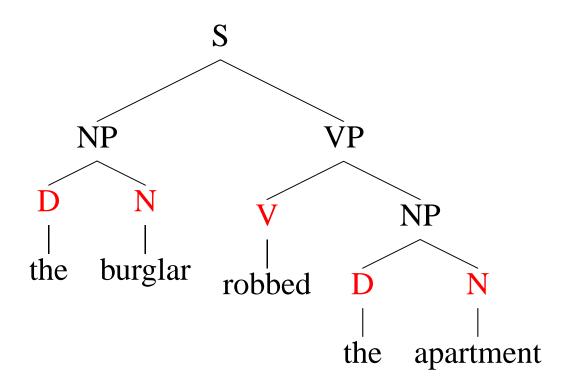


Canadian Utilities had 1988 revenue of C\$ 1.16 billion , mainly from its natural gas and electric utility businesses in Alberta , where the company serves about 800,000 customers .

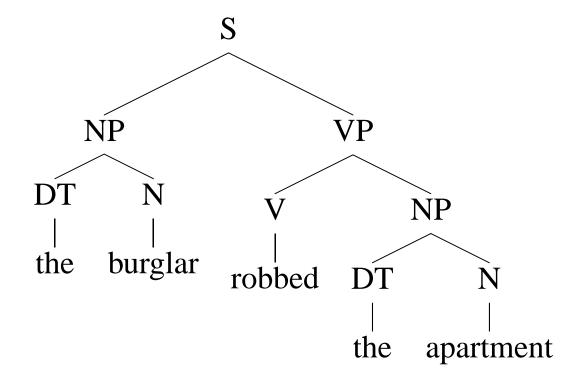
# The Information Conveyed by Parse Trees

1) Part of speech for each word

$$(N = noun, V = verb, D = determiner)$$



## 2) Phrases

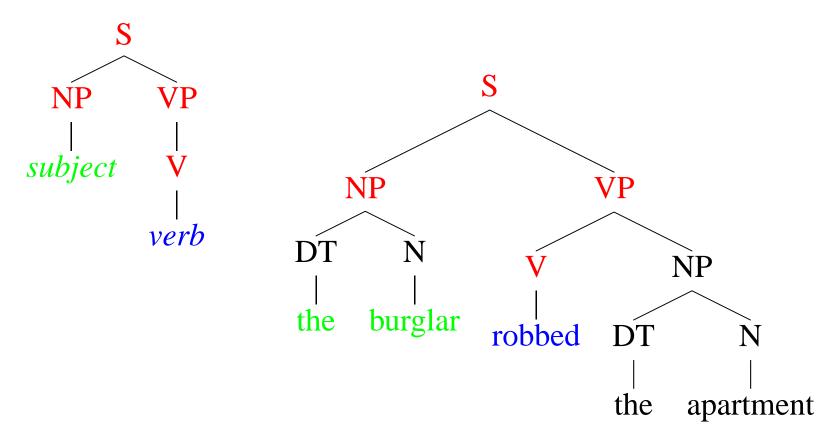


Noun Phrases (NP): "the burglar", "the apartment"

Verb Phrases (VP): "robbed the apartment"

Sentences (S): "the burglar robbed the apartment"

## 3) Useful Relationships



⇒ "the burglar" is the subject of "robbed"

# **An Example Application: Machine Translation**

• English word order is subject - verb - object

• Japanese word order is subject – object – verb

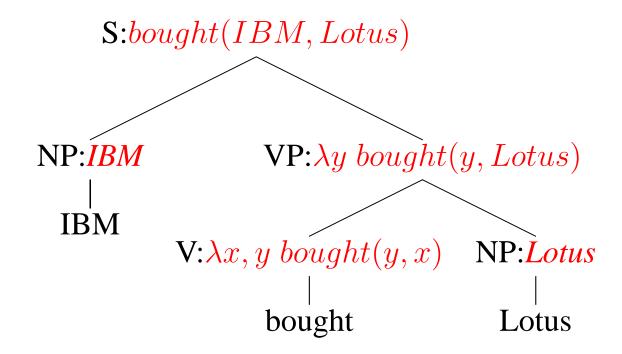
English: IBM bought Lotus

Japanese: IBM Lotus bought

English: Sources said that IBM bought Lotus yesterday

Japanese: Sources yesterday IBM Lotus bought that said

# **Syntax and Compositional Semantics**



- Each syntactic non-terminal now has an associated semantic expression
- (We'll see more of this later in the course)

# **Context-Free Grammars**

## [Hopcroft and Ullman 1979]

A context free grammar  $G = (N, \Sigma, R, S)$  where:

- N is a set of non-terminal symbols
- $\Sigma$  is a set of terminal symbols
- R is a set of rules of the form  $X \to Y_1 Y_2 \dots Y_n$  for  $n \ge 0, X \in N, Y_i \in (N \cup \Sigma)$
- $S \in N$  is a distinguished start symbol

# A Context-Free Grammar for English

$$N = \{S, NP, VP, PP, DT, Vi, Vt, NN, IN\}$$
  
 $S = S$   
 $\Sigma = \{\text{sleeps, saw, man, woman, telescope, the, with, in}\}$ 

R =	S	$\Rightarrow$	NP	VP
	VP	$\Rightarrow$	Vi	
	VP	$\Rightarrow$	Vt	NP
	VP	$\Rightarrow$	VP	PP
	NP	$\Rightarrow$	DT	NN
	NP	$\Rightarrow$	NP	PP
	PP	$\Rightarrow$	IN	NP

_		
Vi	$\Rightarrow$	sleeps
Vt	$\Rightarrow$	saw
NN	$\Rightarrow$	man
NN	$\Rightarrow$	woman
NN	$\Rightarrow$	telescope
DT	$\Rightarrow$	the
IN	$\Rightarrow$	with
IN	$\Rightarrow$	in

Note: S=sentence, VP=verb phrase, NP=noun phrase, PP=prepositional phrase, DT=determiner, Vi=intransitive verb, Vt=transitive verb, NN=noun, IN=preposition

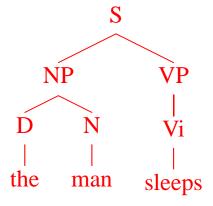
# **Left-Most Derivations**

A left-most derivation is a sequence of strings  $s_1 \dots s_n$ , where

- $s_1 = S$ , the start symbol
- $s_n \in \Sigma^*$ , i.e.  $s_n$  is made up of terminal symbols only
- Each  $s_i$  for  $i=2\dots n$  is derived from  $s_{i-1}$  by picking the left-most non-terminal X in  $s_{i-1}$  and replacing it by some  $\beta$  where  $X \to \beta$  is a rule in R

For example: [S], [NP VP], [D N VP], [the N VP], [the man VP], [the man Vi], [the man sleeps]

Representation of a derivation as a tree:



# **RULES USED**

S

S

NP VP

# **RULES USED**

 $S \to NP \; VP$ 

S NP VP DT N VP

## **RULES USED**

 $S \to NP \; VP$ 

 $NP \rightarrow DT N$ 

S NP VP

DT N VP

the N VP

## **RULES USED**

 $S \to NP \; VP$ 

 $NP \to DT \; N$ 

 $DT \rightarrow the$ 

S
NP VP
DT N VP
the N VP
the dog VP

## **RULES USED**

 $S \to NP \; VP$ 

 $NP \rightarrow DT N$ 

 $DT \rightarrow the$ 

 $N \rightarrow dog$ 

S NP VP DT N VP

the N VP

the dog VP

the dog VB

## **RULES USED**

 $S \to NP \; VP$ 

 $NP \rightarrow DT N$ 

 $DT \rightarrow the$ 

 $N \rightarrow dog$ 

 $VP \to VB$ 

S
NP VP
DT N VP
the N VP
the dog VP
the dog VB
the dog laughs

## **RULES USED**

 $S \to NP \; VP$ 

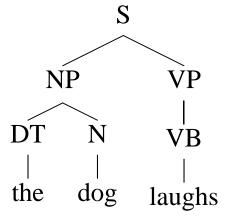
 $NP \rightarrow DT N$ 

 $DT \rightarrow the$ 

 $N \rightarrow dog$ 

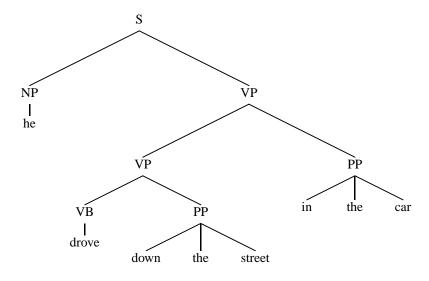
 $VP \rightarrow VB$ 

 $VB \rightarrow laughs$ 



# **Properties of CFGs**

- A CFG defines a set of possible derivations
- A string  $s \in \Sigma^*$  is in the *language* defined by the CFG if there is at least one derivation which yields s
- Each string in the language generated by the CFG may have more than one derivation ("ambiguity")

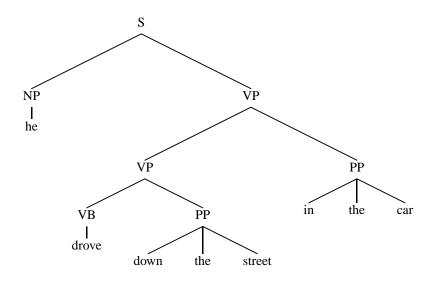


S

NP VP

## **RULES USED**

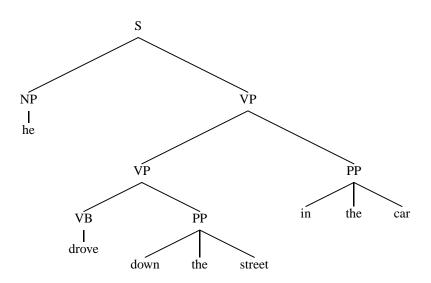
 $S \to NP \; VP$ 



S NP VP he VP

## **RULES USED**

$$\begin{array}{c} S \longrightarrow NP \; VP \\ NP \longrightarrow he \end{array}$$



S NP VP

he VP

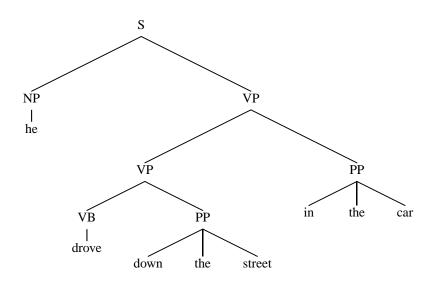
he VP PP

### **RULES USED**

 $S \to NP \; VP$ 

 $NP \rightarrow he$ 

 $VP \to VP \; PP$ 



S

NP VP

he VP

he VP PP

he VB PP PP

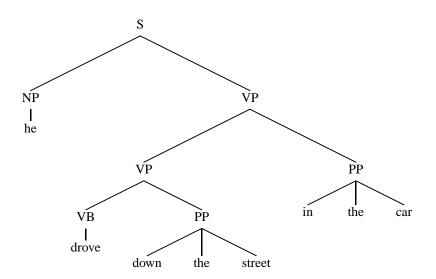
#### **RULES USED**

 $S \to NP \; VP$ 

 $NP \rightarrow he$ 

 $VP \to VP \; PP$ 

 $VP \to VB \; PP$ 



S

NP VP

he VP

he VP PP

he VB PP PP

he drove PP PP

#### **RULES USED**

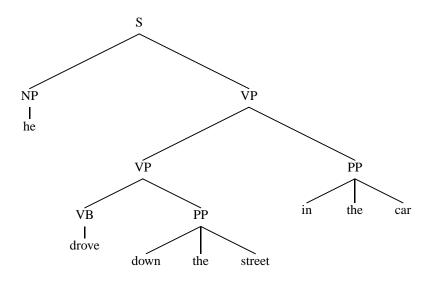
 $S \to NP \; VP$ 

 $NP \rightarrow he$ 

 $VP \to VP \; PP$ 

 $VP \to VB \; PP$ 

 $VB \rightarrow drove$ 



S

NP VP

he VP

he VP PP

he VB PP PP

he drove PP PP

he drove down the street PP

#### **RULES USED**

 $S \to NP \; VP$ 

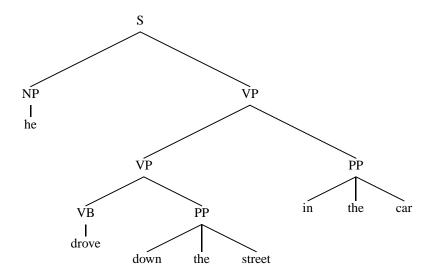
 $NP \rightarrow he$ 

 $VP \to VP \; PP$ 

 $VP \rightarrow VB PP$ 

 $VB \rightarrow drove$ 

PP→ down the street



S

NP VP

he VP

he VP PP

he VB PP PP

he drove PP PP

he drove down the street PP

he drove down the street in the car

#### **RULES USED**

 $S \to NP \; VP$ 

 $NP \rightarrow he$ 

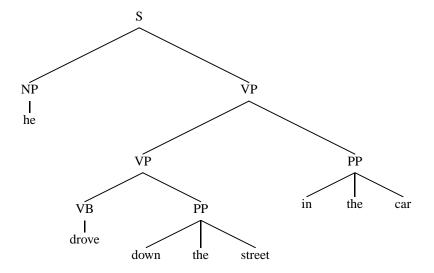
 $VP \to VP \; PP$ 

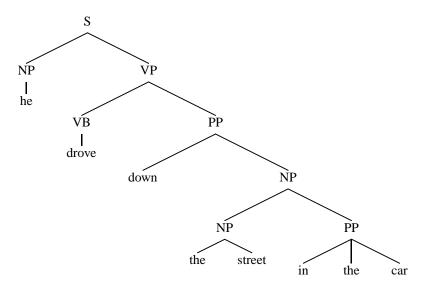
 $VP \rightarrow VB PP$ 

 $VB \rightarrow drove$ 

PP→ down the street

PP→ in the car

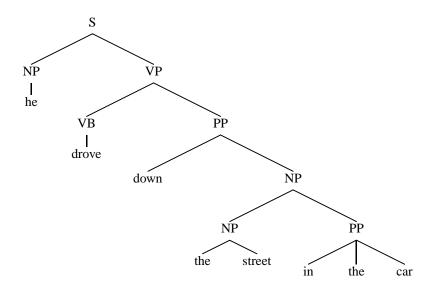




S

NP VP

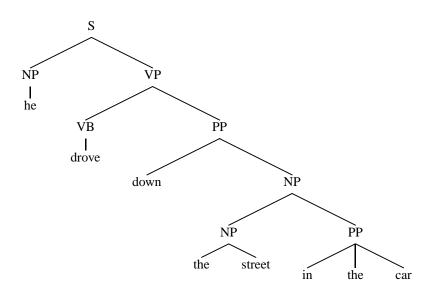




S NP VP he VP

## **RULES USED**

$$\begin{array}{c} S \longrightarrow NP \; VP \\ NP \longrightarrow he \end{array}$$



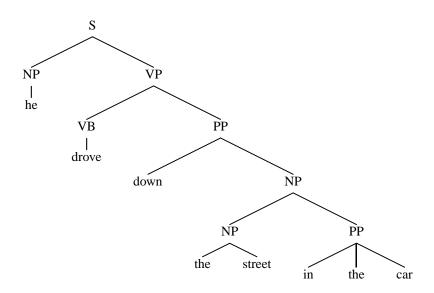
S NP VP he VP he VB PP

### **RULES USED**

 $S \to NP \; VP$ 

 $NP \rightarrow he$ 

 $VP \to VB\ PP$ 



S

NP VP

he VP

he VB PP

he drove PP

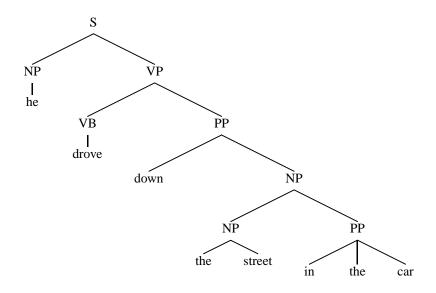
#### **RULES USED**

 $S \to NP \; VP$ 

 $NP \rightarrow he$ 

 $VP \to VB\ PP$ 

 $VB \to drove \\$ 



S

NP VP

he VP

he VB PP

he drove PP

he drove down NP

#### **RULES USED**

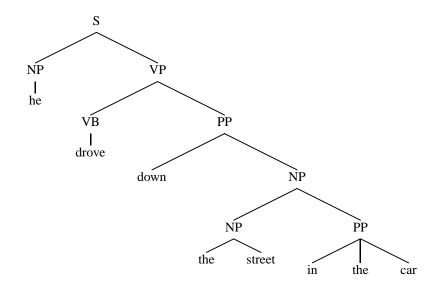
 $S \to NP \; VP$ 

 $NP \rightarrow he$ 

 $VP \to VB \; PP$ 

 $VB \rightarrow drove$ 

 $PP \rightarrow down NP$ 



S

NP VP

he VP

he VB PP

he drove PP

he drove down NP

he drove down NP PP

#### **RULES USED**

 $S \to NP \; VP$ 

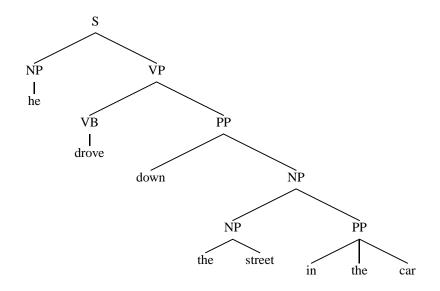
 $NP \rightarrow he$ 

 $VP \to VB \; PP$ 

 $VB \rightarrow drove$ 

 $PP \rightarrow down NP$ 

 $NP \rightarrow NP PP$ 



S

NP VP

he VP

he VB PP

he drove PP

he drove down NP

he drove down NP PP

he drove down the street PP

#### **RULES USED**

 $S \to NP \; VP$ 

 $NP \rightarrow he$ 

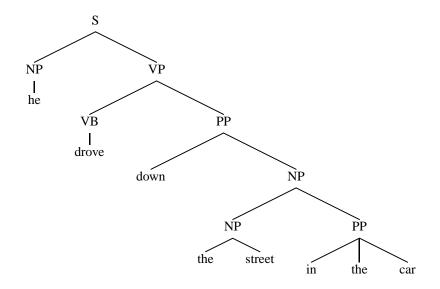
 $VP \to VB \; PP$ 

 $VB \rightarrow drove$ 

 $PP \rightarrow down NP$ 

 $NP \rightarrow NP PP$ 

 $NP \rightarrow the street$ 



#### **DERIVATION**

S

NP VP

he VP

he VB PP

he drove PP

he drove down NP

he drove down NP PP

he drove down the street PP

he drove down the street in the car

#### **RULES USED**

 $S \to NP \; VP$ 

 $NP \rightarrow he$ 

 $VP \rightarrow VB PP$ 

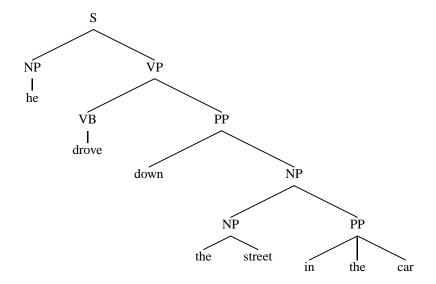
 $VB \rightarrow drove$ 

 $PP \rightarrow down NP$ 

 $NP \to NP \; PP$ 

 $NP \rightarrow the street$ 

 $PP \rightarrow in the car$ 



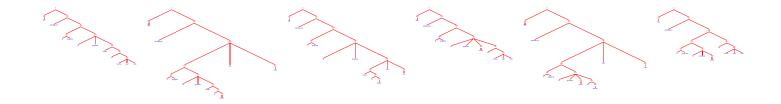
# The Problem with Parsing: Ambiguity

#### **INPUT:**

She announced a program to promote safety in trucks and vans



#### POSSIBLE OUTPUTS:



And there are more...

## A Brief Overview of English Syntax

#### Parts of Speech:

Nouns

```
(Tags from the Brown corpus)

NN = singular noun e.g., man, dog, park

NNS = plural noun e.g., telescopes, houses, buildings

NNP = proper noun e.g., Smith, Gates, IBM
```

- Determiners
   DT = determiner e.g., the, a, some, every
- Adjectives

  JJ = adjective e.g., red, green, large, idealistic

## A Fragment of a Noun Phrase Grammar

$$ar{N} \Rightarrow NN$$
 $ar{N} \Rightarrow NN$ 
 $ar{N} \Rightarrow NN$ 
 $ar{N} \Rightarrow JJ$ 
 $ar{N} \Rightarrow ar{N}$ 
 $ar{N} \Rightarrow ar{N}$ 
 $ar{N} \Rightarrow ar{N}$ 
 $ar{N} \Rightarrow DT$ 
 $ar{N}$ 

```
NN
            box
NN
            car
      \Rightarrow mechanic
NN
NN
      \Rightarrow pigeon
DT
            the
DT
      \Rightarrow
            a
JJ
            fast
      \Rightarrow metal
JJ
JJ
      \Rightarrow idealistic
JJ
      \Rightarrow clay
```

#### **Generates:**

a box, the box, the metal box, the fast car mechanic, ...

# **Prepositions, and Prepositional Phrases**

Prepositions
 IN = preposition e.g., of, in, out, beside, as

### **An Extended Grammar**

							JJ	$\Rightarrow$	fast
$ \bar{N} $	$\rightarrow$	NN	I				JJ	$\Rightarrow$	metal
	$\Rightarrow$		<u></u>	NN	$\Rightarrow$	box	JJ	$\Rightarrow$	idealistic
$ar{f N} \ ar{f N}$	$\Rightarrow$	NN	$\frac{N}{\bar{N}}$	NN	$\Rightarrow$	car	JJ	$\Rightarrow$	clay
	$\Rightarrow$	JJ —	$ar{f N} \ ar{f N}$	NN	$\Rightarrow$	mechanic			
N	$\Rightarrow$	N		NN	$\Rightarrow$	pigeon	IN	$\Rightarrow$	in
NP	$\Rightarrow$	DT	$\bar{\mathrm{N}}$		,	pigeon	IN	$\Rightarrow$	under
DD		TNT	NID	DT	$\Rightarrow$	the	IN	$\Rightarrow$	of
PP	$\Rightarrow$		NP	DT	$\Rightarrow$	a	IN	$\Rightarrow$	on
$\bar{N}$	$\Rightarrow$	N	PP	I		l	IN	$\Rightarrow$	with
							IN	$\Rightarrow$	as

#### **Generates:**

in a box, under the box, the fast car mechanic under the pigeon in the box, ...

### Verbs, Verb Phrases, and Sentences

Basic Verb Types

```
Vi = Intransitive verb e.g., sleeps, walks, laughs
Vt = Transitive verb e.g., sees, saw, likes
Vd = Ditransitive verb e.g., gave
```

• Basic VP Rules

• Basic S Rule  $S \rightarrow NP VP$ 

#### **Examples of VP:**

sleeps, walks, likes the mechanic, gave the mechanic the fast car, gave the fast car mechanic the pigeon in the box, ...

#### **Examples of S:**

the man sleeps, the dog walks, the dog likes the mechanic, the dog in the box gave the mechanic the fast car,...

# **PPs Modifying Verb Phrases**

#### A new rule:

 $VP \rightarrow VP PP$ 

#### **New examples of VP:**

sleeps in the car, walks like the mechanic, gave the mechanic the fast car on Tuesday, . . .

# Complementizers, and SBARs

- Complementizers
   COMP = complementizer e.g., that
- SBAR  $\rightarrow$  COMP S

#### **Examples:**

that the man sleeps, that the mechanic saw the dog . . .

### **More Verbs**

New Verb Types

```
V[5] e.g., said, reported
V[6] e.g., told, informed
V[7] e.g., bet
```

• New VP Rules

```
VP \rightarrow V[5] SBAR

VP \rightarrow V[6] NP SBAR

VP \rightarrow V[7] NP NP SBAR
```

#### **Examples of New VPs:**

said that the man sleeps told the dog that the mechanic likes the pigeon bet the pigeon \$50 that the mechanic owns a fast car

## **Coordination**

A New Part-of-Speech:
 CC = Coordinator e.g., and, or, but

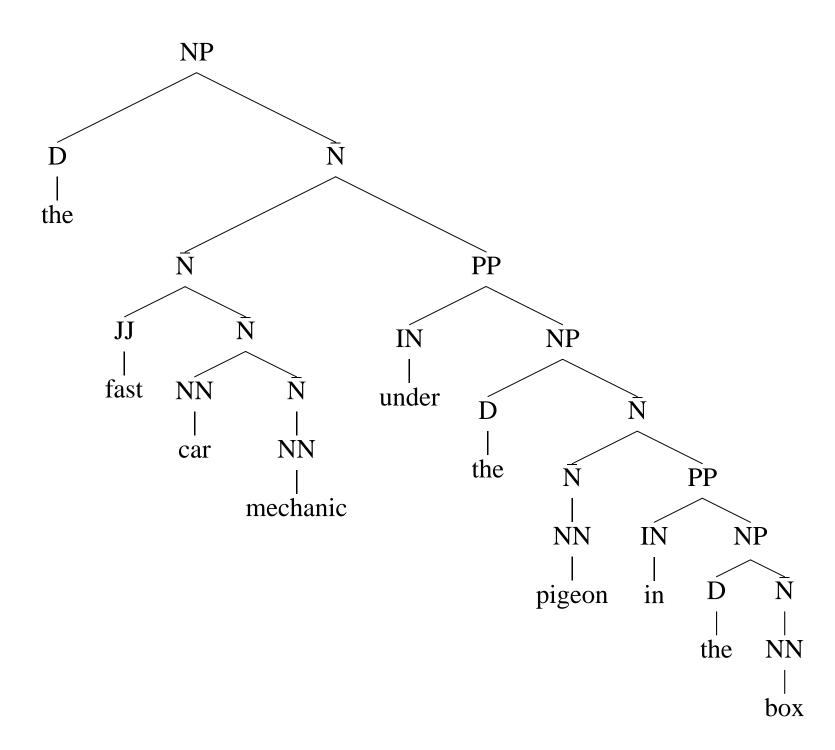
• New Rules

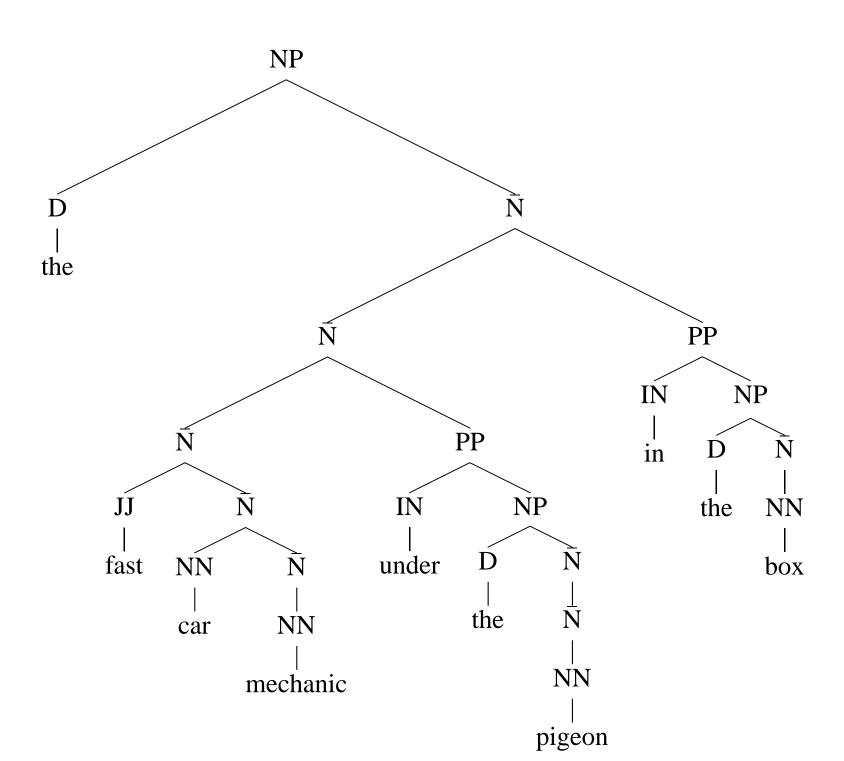
# **Sources of Ambiguity**

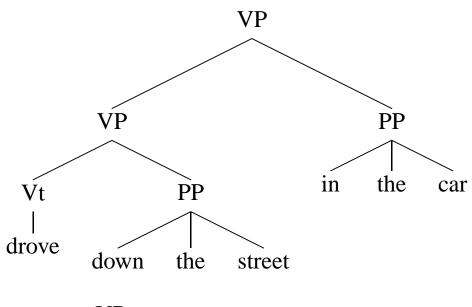
• Part-of-Speech ambiguity

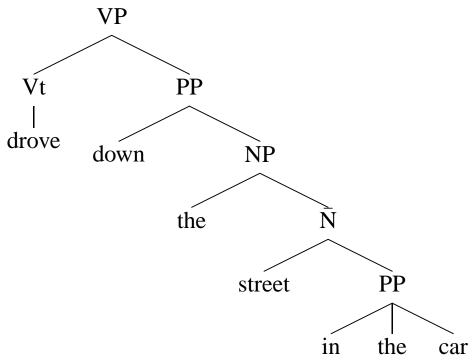
```
\begin{array}{ccc} NNS & \rightarrow & walks \\ Vi & \rightarrow & walks \end{array}
```

• Prepositional Phrase Attachment the fast car mechanic under the pigeon in the box





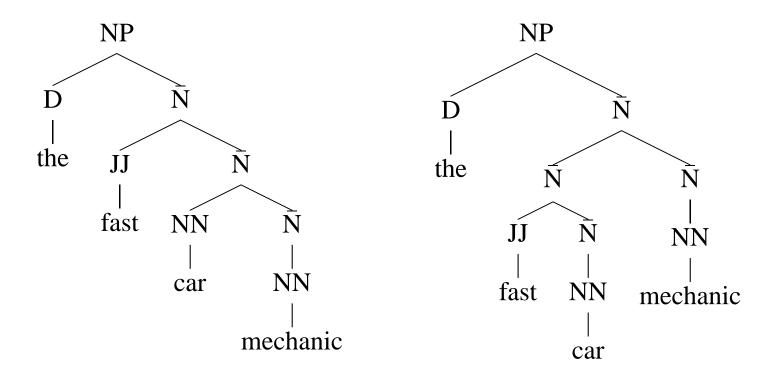




Two analyses for: John was believed to have been shot by Bill

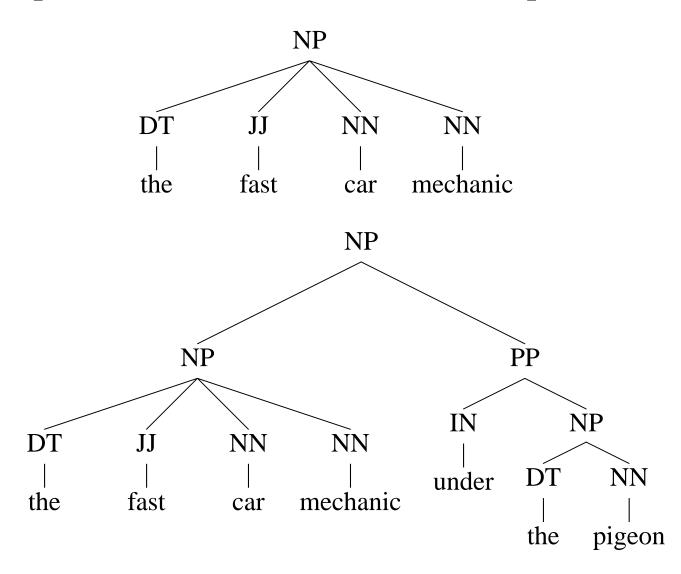
# **Sources of Ambiguity: Noun Premodifiers**

• Noun premodifiers:



## A Funny Thing about the Penn Treebank

#### Leaves NP premodifier structure flat, or underspecified:



### A Probabilistic Context-Free Grammar

S	$\Rightarrow$	NP	VP	1.0
VP	$\Rightarrow$	Vi		0.4
VP	$\Rightarrow$	Vt	NP	0.4
VP	$\Rightarrow$	VP	PP	0.2
NP	$\Rightarrow$	DT	NN	0.3
NP	$\Rightarrow$	NP	PP	0.7
PP	$\Rightarrow$	P	NP	1.0

Vi	$\Rightarrow$	sleeps	1.0
Vt	$\Rightarrow$	saw	1.0
NN	$\Rightarrow$	man	0.7
NN	$\Rightarrow$	woman	0.2
NN	$\Rightarrow$	telescope	0.1
DT	$\Rightarrow$	the	1.0
IN	$\Rightarrow$	with	0.5
IN	$\Rightarrow$	in	0.5

• Probability of a tree with rules  $\alpha_i \to \beta_i$  is  $\prod_i P(\alpha_i \to \beta_i | \alpha_i)$ 

DERIVATION S

RULES USED

**PROBABILITY** 

**DERIVATION** 

**RULES USED** 

**PROBABILITY** 

S

NP VP

 $S \to NP \; VP$ 

1.0

**DERIVATION** 

**RULES USED** 

**PROBABILITY** 

S

NP VP

DT N VP

 $S \to NP \ VP$ 

 $NP \to DT \; N$ 

0.3

1.0

DERIVATION	RULES USED	PROBABILITY
S	$S \to NP \; VP$	1.0
NP VP	$NP \to DT \; N$	0.3
DT N VP	$DT \rightarrow the$	1.0

the N VP

#### **DERIVATION**

#### RULES USED

#### **PROBABILITY**

S
NP VP
DT N VP
the N VP
the dog VP

 $\begin{array}{lll} S \rightarrow NP \ VP & 1.0 \\ NP \rightarrow DT \ N & 0.3 \\ DT \rightarrow the & 1.0 \\ N \rightarrow dog & 0.1 \end{array}$ 

DERIVATION	RULES USED	PROBABILITY
S	$S \to NP \; VP$	1.0
NP VP	$NP \to DT \; N$	0.3
DT N VP	$DT \rightarrow the$	1.0
the N VP	$N \rightarrow dog$	0.1
the dog VP	$VP \to VB$	0.4
the dog VB		

DERIVATION	RULES USED	PROBABILITY
S	$S \to NP \; VP$	1.0
NP VP	$NP \to DT \; N$	0.3
DT N VP	$DT \rightarrow the$	1.0
the N VP	$N \rightarrow dog$	0.1
the dog VP	$VP \rightarrow VB$	0.4
the dog VB	$VB \rightarrow laughs$	0.5
the dog laughs		

TOTAL PROBABILITY =  $1.0 \times 0.3 \times 1.0 \times 0.1 \times 0.4 \times 0.5$ 

# **Properties of PCFGs**

- Assigns a probability to each *left-most derivation*, or parsetree, allowed by the underlying CFG
- Say we have a sentence S, set of derivations for that sentence is  $\mathcal{T}(S)$ . Then a PCFG assigns a probability to each member of  $\mathcal{T}(S)$ . i.e., we now have a ranking in order of probability.
- $\bullet$  The probability of a string S is

$$\sum_{T \in \mathcal{T}(S)} P(T, S)$$

# **Deriving a PCFG from a Corpus**

- Given a set of example trees, the underlying CFG can simply be all rules seen in the corpus
- Maximum Likelihood estimates:

$$P_{ML}(\alpha \to \beta \mid \alpha) = \frac{\operatorname{Count}(\alpha \to \beta)}{\operatorname{Count}(\alpha)}$$

where the counts are taken from a training set of example trees.

• If the training data is generated by a PCFG, then as the training data size goes to infinity, the maximum-likelihood PCFG will converge to the same distribution as the "true" PCFG.

### **PCFGs**

[Booth and Thompson 73] showed that a CFG with rule probabilities correctly defines a distribution over the set of derivations provided that:

- 1. The rule probabilities define conditional distributions over the different ways of rewriting each non-terminal.
- 2. A technical condition on the rule probabilities ensuring that the probability of the derivation terminating in a finite number of steps is 1. (This condition is not really a practical concern.)

# **Algorithms for PCFGs**

- Given a PCFG and a sentence S, define  $\mathcal{T}(S)$  to be the set of trees with S as the yield.
- Given a PCFG and a sentence S, how do we find

$$\arg\max_{T\in\mathcal{T}(S)}P(T,S)$$

• Given a PCFG and a sentence S, how do we find

$$P(S) = \sum_{T \in \mathcal{T}(S)} P(T, S)$$

# **Chomsky Normal Form**

A context free grammar  $G=(N,\Sigma,R,S)$  in Chomsky Normal Form is as follows

- N is a set of non-terminal symbols
- $\Sigma$  is a set of terminal symbols
- R is a set of rules which take one of two forms:
  - $-X \rightarrow Y_1Y_2 \text{ for } X \in \mathbb{N}, \text{ and } Y_1, Y_2 \in \mathbb{N}$
  - $-X \to Y$  for  $X \in N$ , and  $Y \in \Sigma$
- $S \in N$  is a distinguished start symbol

# **A Dynamic Programming Algorithm**

• Given a PCFG and a sentence S, how do we find

$$\max_{T \in \mathcal{T}(S)} P(T, S)$$

• Notation:

$$n=$$
 number of words in the sentence  $N_k$  for  $k=1\ldots K$  is  $k$ 'th non-terminal w.l.g.,  $N_1=S$  (the start symbol)

- Defi ne a dynamic programming table
  - $\pi[i, j, k] =$ maximum probability of a constituent with non-terminal  $N_k$  spanning words  $i \dots j$  inclusive
- Our goal is to calculate  $\max_{T \in \mathcal{T}(S)} P(T, S) = \pi[1, n, 1]$

# **A Dynamic Programming Algorithm**

• Base case definition: for all  $i = 1 \dots n$ , for  $k = 1 \dots K$ 

$$\pi[i, i, k] = P(N_k \to w_i \mid N_k)$$

(note: define  $P(N_k \to w_i \mid N_k) = 0$  if  $N_k \to w_i$  is not in the grammar)

• Recursive definition: for all  $i = 1 \dots n$ ,  $j = (i + 1) \dots n$ ,  $k = 1 \dots K$ ,

$$\pi[i, j, k] = \max_{\substack{i \le s < j \\ 1 \le l \le K}} \{P(N_k \to N_l N_m \mid N_k) \times \pi[i, s, l] \times \pi[s + 1, j, m]\}$$

(note: define  $P(N_k \to N_l N_m \mid N_k) = 0$  if  $N_k \to N_l N_m$  is not in the grammar)

#### **Initialization:**

For i = 1 ... n, k = 1 ... K  

$$\pi[i, i, k] = P(N_k \to w_i | N_k)$$

#### **Main Loop:**

```
For length = 1 ... (n-1), i = 1 ... (n-1), k = 1 ... K
   j \leftarrow i + length
   max \leftarrow 0
   For s = i \dots (j - 1),
   For N_l, N_m such that N_k \to N_l N_m is in the grammar
      prob \leftarrow P(N_k \rightarrow N_l N_m) \times \pi[i, s, l] \times \pi[s + 1, i, m]
      If prob > max
          max \leftarrow prob
         //Store backpointers which imply the best parse
          Split(i, j, k) = \{s, l, m\}
   \pi[i,j,k] = max
```

# A Dynamic Programming Algorithm for the Sum

• Given a PCFG and a sentence S, how do we find

$$\sum_{T \in \mathcal{T}(S)} P(T, S)$$

• Notation:

$$n=$$
 number of words in the sentence  $N_k$  for  $k=1\ldots K$  is  $k$ 'th non-terminal w.l.g.,  $N_1=S$  (the start symbol)

• Defi ne a dynamic programming table

 $\pi[i, j, k] = \text{sum of probability of parses with root label } N_k$ spanning words  $i \dots j$  inclusive

• Our goal is to calculate  $\sum_{T \in \mathcal{T}(S)} P(T, S) = \pi[1, n, 1]$ 

## A Dynamic Programming Algorithm for the Sum

• Base case definition: for all  $i = 1 \dots n$ , for  $k = 1 \dots K$ 

$$\pi[i, i, k] = P(N_k \to w_i \mid N_k)$$

(note: define  $P(N_k \to w_i \mid N_k) = 0$  if  $N_k \to w_i$  is not in the grammar)

• Recursive definition: for all  $i = 1 \dots n$ ,  $j = (i + 1) \dots n$ ,  $k = 1 \dots K$ ,

$$\pi[i, j, k] = \sum_{\substack{i \leq s < j \\ 1 \leq l \leq K \\ 1 \leq m \leq K}} \{P(N_k \to N_l N_m \mid N_k) \times \pi[i, s, l] \times \pi[s + 1, j, m]\}$$

(note: define  $P(N_k \to N_l N_m \mid N_k) = 0$  if  $N_k \to N_l N_m$  is not in the grammar)

#### **Initialization:**

For i = 1 ... n, k = 1 ... K  

$$\pi[i, i, k] = P(N_k \to w_i | N_k)$$

### **Main Loop:**

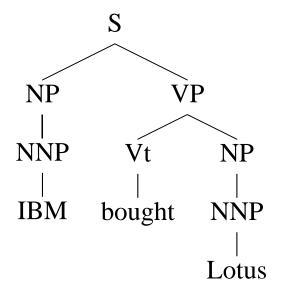
```
For length = 1 \dots (n-1), i = 1 \dots (n-1ength), k = 1 \dots K
j \leftarrow i + length
sum \leftarrow 0
For s = i \dots (j-1),
For N_l, N_m such that N_k \rightarrow N_l N_m is in the grammar
prob \leftarrow P(N_k \rightarrow N_l N_m) \times \pi[i, s, l] \times \pi[s+1, j, m]
sum \leftarrow sum + prob
\pi[i, j, k] = sum
```

## **Overview**

- An introduction to the parsing problem
- Context free grammars
- A brief(!) sketch of the syntax of English
- Examples of ambiguous structures
- PCFGs, their formal properties, and useful algorithms
- Weaknesses of PCFGs

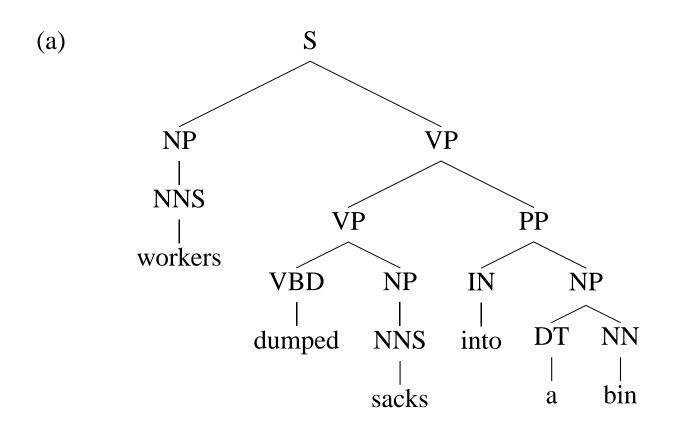
## **Weaknesses of PCFGs**

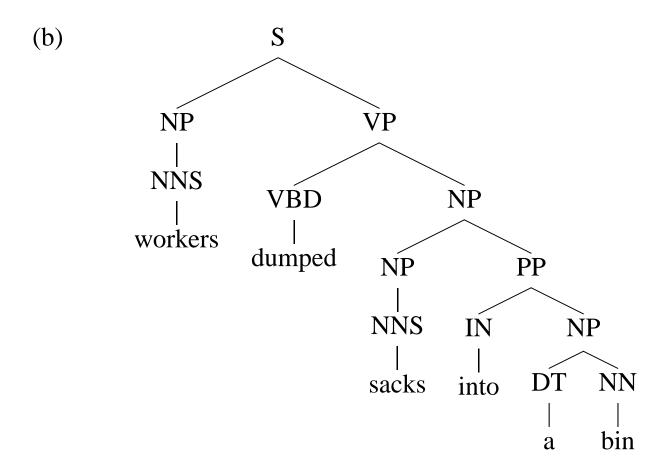
- Lack of sensitivity to lexical information
- Lack of sensitivity to structural frequencies



$$\begin{array}{lll} \mathsf{PROB} = & P(\mathsf{S} \to \mathsf{NP} \ \mathsf{VP} \ | \ \mathsf{S}) & \times P(\mathsf{NNP} \to IBM \ | \ \mathsf{NNP}) \\ & \times P(\mathsf{VP} \to \mathsf{V} \ \mathsf{NP} \ | \ \mathsf{VP}) & \times P(\mathsf{Vt} \to bought \ | \ \mathsf{Vt}) \\ & \times P(\mathsf{NP} \to \mathsf{NNP} \ | \ \mathsf{NP}) & \times P(\mathsf{NNP} \to Lotus \ | \ \mathsf{NNP}) \\ & \times P(\mathsf{NP} \to \mathsf{NNP} \ | \ \mathsf{NP}) & \end{array}$$

## **Another Case of PP Attachment Ambiguity**



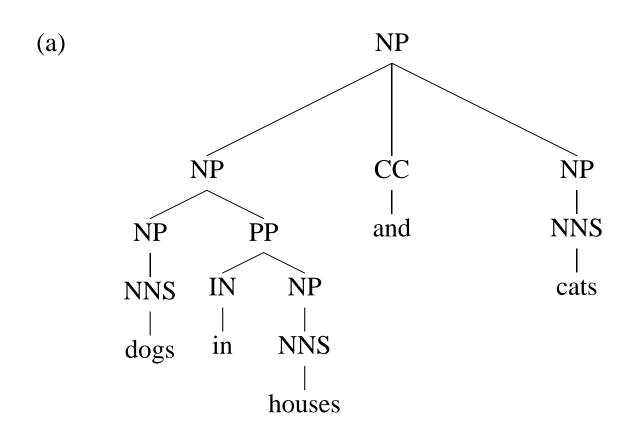


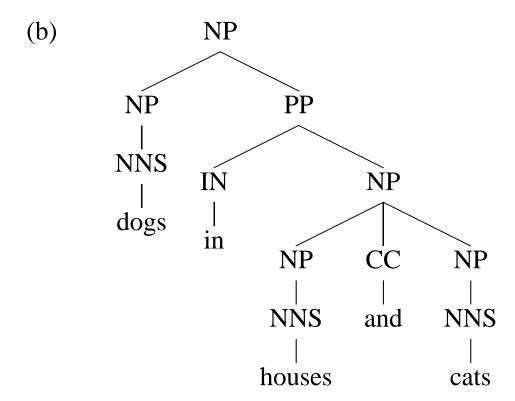
	Rules		Rules
(a)	$S \rightarrow NP VP$	(b)	$S \rightarrow NP VP$
	$NP \to NNS$		$NP \rightarrow NNS$
	$\mathbf{VP} \rightarrow \mathbf{VP} \ \mathbf{PP}$		$NP \rightarrow NP PP$
	$VP \rightarrow VBD NP$		$VP \rightarrow VBD NP$
	$NP \to NNS$		$NP \rightarrow NNS$
	$PP \to IN \ NP$		$PP \rightarrow IN NP$
	$NP \to DT \; NN$		$NP \rightarrow DT NN$
	$NNS \rightarrow workers$		$NNS \rightarrow workers$
	$VBD \rightarrow dumped$		$VBD \rightarrow dumped$
	$NNS \rightarrow sacks$		$NNS \rightarrow sacks$
	$IN \rightarrow into$		$IN \rightarrow into$
	$DT \rightarrow a$		$DT \rightarrow a$
	$NN \rightarrow bin$		$NN \rightarrow bin$

If  $P(NP \rightarrow NP PP \mid NP) > P(VP \rightarrow VP PP \mid VP)$  then (b) is more probable, else (a) is more probable.

Attachment decision is completely independent of the words

# **A Case of Coordination Ambiguity**



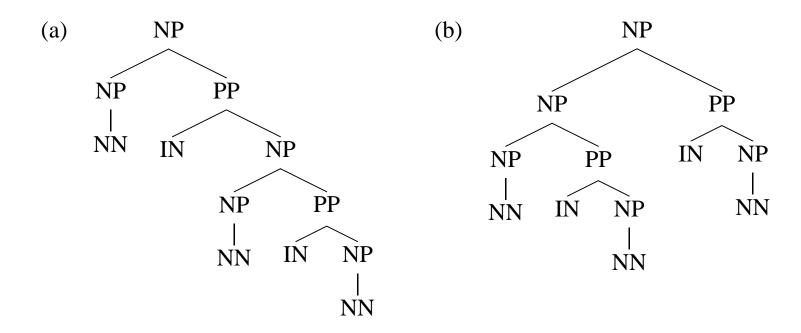


	Rules
	$NP \rightarrow NP CC NP$
	$NP \rightarrow NP PP$
	$NP \rightarrow NNS$
	$PP \rightarrow IN NP$
(a)	$NP \rightarrow NNS$
(a)	$NP \rightarrow NNS$
	$NNS \rightarrow dogs$
	$IN \rightarrow in$
	$NNS \rightarrow houses$
	$CC \rightarrow and$
	$NNS \rightarrow cats$

Rules
$NP \rightarrow NP CC NP$
$NP \rightarrow NP PP$
$NP \to NNS$
$PP \rightarrow IN NP$
$NP \to NNS$
$NP \to NNS$
$NNS \rightarrow dogs$
$IN \rightarrow in$
$NNS \rightarrow houses$
$CC \rightarrow and$
$NNS \rightarrow cats$

Here the two parses have identical rules, and therefore have identical probability under any assignment of PCFG rule probabilities

## **Structural Preferences: Close Attachment**



- Example: president of a company in Africa
- Both parses have the same rules, therefore receive same probability under a PCFG
- "Close attachment" (structure (a)) is twice as likely in Wall Street Journal text.

### **Structural Preferences: Close Attachment**

Previous example: John was believed to have been shot by Bill

Here the low attachment analysis (Bill does the *shooting*) contains same rules as the high attachment analysis (Bill does the *believing*), so the two analyses receive same probability.

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