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### 2.61 Internal Combustion Engines

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# MASSACHUSETTS INSTITUTE OF TECHNOLOGY <br> Department of Mechanical Engineering 

### 2.615 INTERNAL COMBUSTION ENGINES

## Homework Set \#6

Due: 4/1/08

## Problems:

1) The fuel injector flow rate (mass per unit time) is constant so that the amount of fuel delivered is controlled by the pulse width. This flow rate is sized by the requirements that at idle, the injector should meter the fuel accurately (thus the lower the flow rate the better, since the corresponding pulse width will be longer and the metering error will be less), and at WOT and max engine speed, there is enough fuel delivered within the time constrain of a cycle.

For a four-cylinder 2L displacement engine, with a max speed of 6500 rpm
(a) Estimate the smallest injector flow rate that will do the job
(b) What is the fuel pulse width at idle? (Idle intake pressure $\sim 0.3$ bar.)
2) Consider the discrete form of the $\mathrm{x}-\tau$ model. At cycle i , the following definitions are used:
$f_{i}$ mass of fuel injected
$\mathrm{M}_{\mathrm{i}} \quad$ puddle mass
$\mathrm{k} \quad$ fraction of puddle mass evaporated; can be interpreted as $\Delta \mathrm{t} / \tau$ where $\Delta \mathrm{t}$ is the time per cycle
$\mathrm{m}_{\mathrm{i}} \quad$ mass of fuel vapor delivered to cylinder
x fraction of injected fuel going into puddle
The fuel puddle dynamics may then be described by the finite difference equations
Puddle increment: $\mathrm{M}_{\mathrm{i}}-\mathrm{M}_{\mathrm{i}-1}=\mathrm{xf}_{\mathrm{i}}-\mathrm{KM}_{\mathrm{i}-1}$
Vapor to cylinder: $\mathrm{m}_{\mathrm{i}}=(1-\mathrm{x}) \mathrm{f}_{\mathrm{i}}+\mathrm{kM}_{\mathrm{i}-1}$
(a) if the fuel injection amount is a constant equal to $f_{0}$, what are the equilibrium values for the puddle mass $\mathrm{M}_{0}$ and the fuel delivered to the cylinder $\mathrm{m}_{0}$ ?
(b) If the fuel injection has a step change from $f_{0}$ to $f_{1}$, the fuel delivered will not jump to the new equilibrium value instantaneously. Simulate on the computer the time history of $m_{i}$ and $M_{i}$. The numerical values for a typical 2L, 4 -cylinder engine are $f_{0}=10 \mathrm{mg}, \mathrm{f}_{1}=35 \mathrm{mg}, \mathrm{k}=.05, \mathrm{x}=0.7$. (You can also work out the problem analytically.)

