## Angry Madness: Payoff Detail

Your overall payoff will be determined by averaging your payoff in each of the 9 cases when you and your have $M, U=100,200$, or 400 . Your expected payoff in each of these 9 cases is, in turn, calculated by checking every possible way that the game might end.

## Bart's expected payoff when $M=\$ 200$ for Ann and $U=\$ 200$ for Bart

We add up all of the terms below, which correspond to all ways the game might end:
First round, Bart yields

$$
\begin{aligned}
& 50 \% * \$ 200 \\
& 0 \% * \$ 300 \\
& 0 \% * \$ 200 \\
& 50 \% * 10 \% * \$ 0
\end{aligned}
$$

First round, Ann yields
First round, both yield
Anger after First round
(Note: Chances we go on to second round = P1 $=50 \% * 90 \%$.)
Second round, Bart yields
$\mathrm{P} 1 * 25 \%$ * $2000=22.5$
Second round, Ann yields
P1 * 0\% * \$300
Second round, both yield
P1 * 0\% * $\$ 200$
Anger after Second round
P1 * 75\% * 20\% * \$0
(Note: Chances we go on to third round $=\mathrm{P} 2=50 \% * 90 \% * 75 \% * 80 \%$.)
Third round, Bart yields
$\mathrm{P} 2 * 75 \% * \$ 200=40.5$
Third round, Ann yields
P2 * 0\% * $\$ 300$
Third round, both yield
P2 * 0\% * $\$ 200$
Anger after Third round
P2 * $25 \% * 30 \% * \$ 0$
(Note: Chances we go to fourth round $=\mathrm{P} 3=50 \% * 90 \% * 75 \% * 80 \% * 25 \% * 70 \%$.)
Third round, Bart yields
$\mathrm{P} 2 * 100 \% * \$ 200=9.45$
$\mathrm{P} 2 * 0 \% * \$ 300$
$\mathrm{P} 2 * 0 \% * \$ 200$
$\mathrm{P} 2 * 0 \% * 40 \% * \$ 0$
Bart's Expected Payoff $=172.45$
... Bart would have been better off yielding for sure in Round 1 (which gives guaranteed payoff 200)

## Ann's expected payoff when $\boldsymbol{M}=\mathbf{\$ 2 0 0}$ for Ann and $U=\$ 200$ for Bart

We add up all of the terms below, which correspond to all ways the game might end:
First round, Bart yields
First round, Ann yields
First round, both yield

$$
\begin{array}{ll}
50 \% * \$ 300 & =150 \\
0 \% * \$ 200 & \\
0 \% * \$ 200 & \\
50 \% * 10 \% * \$ 0 &
\end{array}
$$

Anger after First round
(Note: Chances we go on to second round $=P 1=50 \% * 90 \%$.)

Second round, Bart yields
P 1 * $25 \%$ * $\$ 300=33.75$
Second round, Ann yields
P1 * 0\% * \$200
Second round, both yield
P1 * 0\% * $\$ 200$
Anger after Second round
P1 * 75\% * 20\% * \$0
(Note: Chances we go on to third round $=\mathrm{P} 2=50 \% * 90 \% * 75 \% * 80 \%$.)
Third round, Bart yields

$$
\begin{aligned}
& \mathrm{P} 2 * 75 \% * \$ 300 \\
& \mathrm{P} 2 * 0 \% * \$ 200 \\
& \mathrm{P} 2 * 0 \% * \$ 200 \\
& \text { P2 * } 25 \% * 30 \% * \$ 0
\end{aligned}
$$

Third round, Ann yields
Anger after Third round
(Note: Chances we go to fourth round $=\mathrm{P} 3=50 \% * 90 \% * 75 \% * 80 \% * 25 \% * 70 \%$.)
Third round, Bart yields
P 2 * $100 \%$ * $\$ 300=14.175$
Third round, Ann yields
P2 * 0\% * $\$ 200$
Third round, both yield
P2 * 0\% * \$200
Anger after Third round
P2 * $0 \%$ * $40 \%$ * $\$ 0$
Ann's Expected Payoff $=258.675$
... Ann is better off with her strategy than yielding for sure in Round 1 (which gives guaranteed payoff 200)

