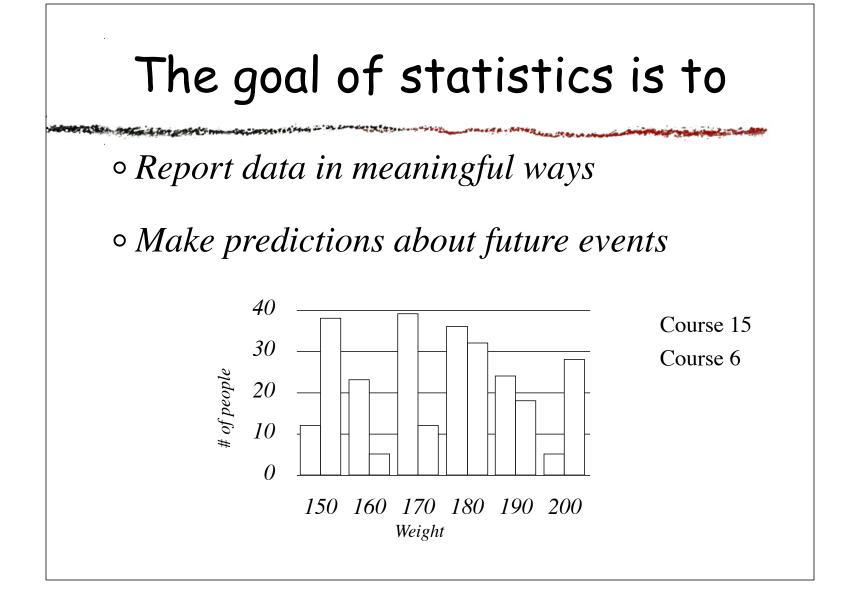
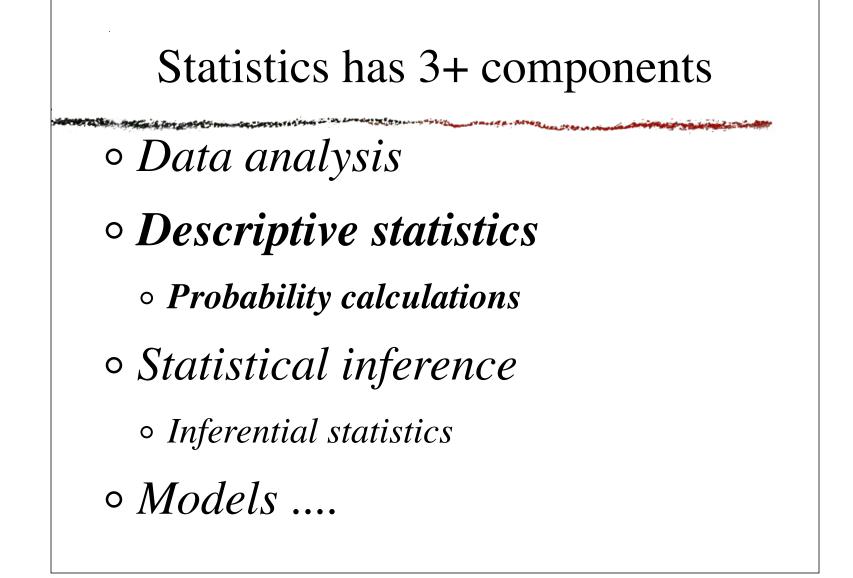
# Simple statistics I

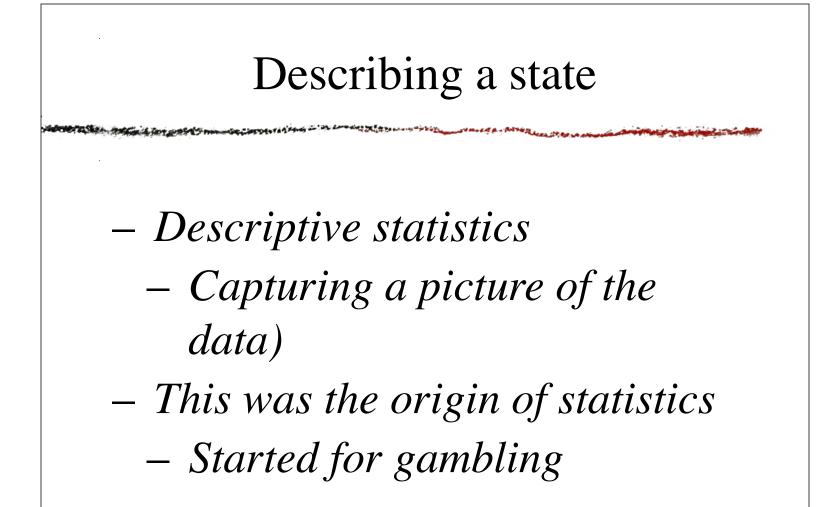
### Statistics

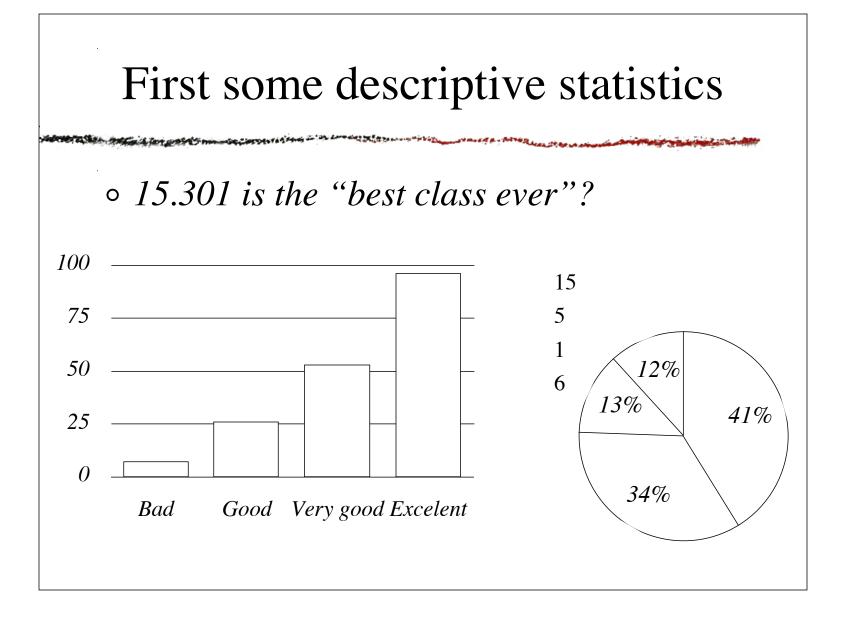
Figures often beguile me, particularly when I have the arranging of them myself; in which case the remark attributed to Disraeli would often apply with justice and force: "There are three kinds of lies: lies, damned lies, and statistics."

Autobiography of Mark Twain









#### Central tendencies

- Representing central tendencies of distributions is a very efficient way to understand something about it.
- Mode
- Median
- Mean

## The Mode

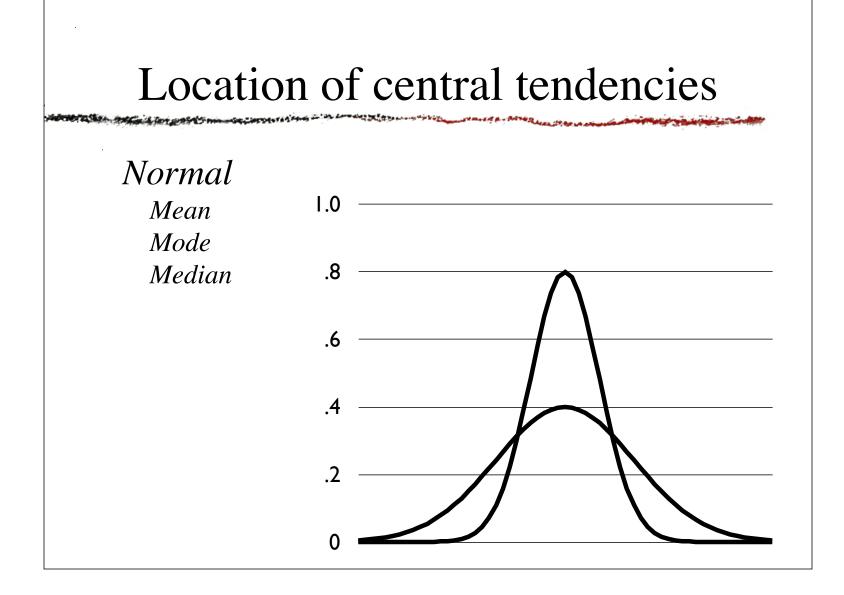
- The most "popular" frequent occurring instance in the sample.
  - This is the only central tendency that can be used with a nominal scale
- The mode is sensitive to aggregation of categories
  - Age 18 vs age 18-21
- Sometimes there are multiple modes
  - Bimodal distributions

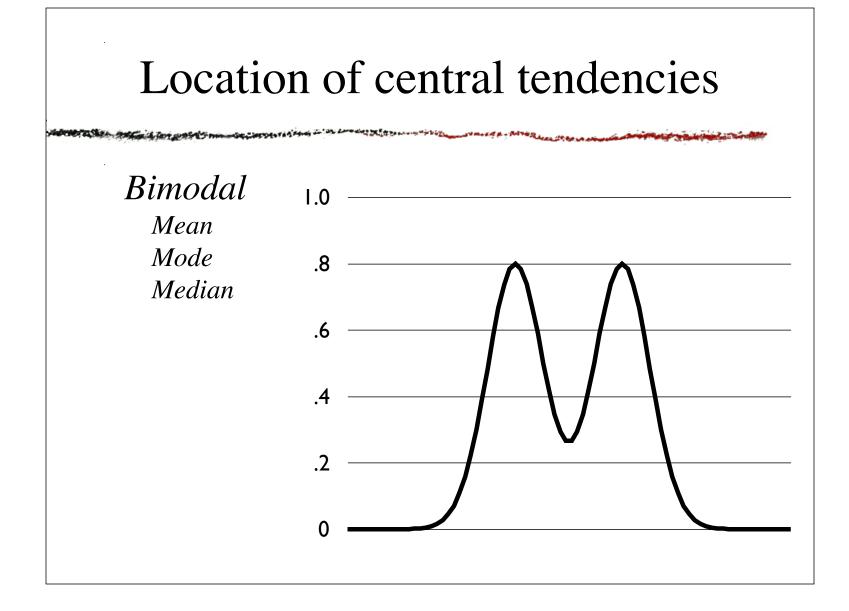
#### The Median

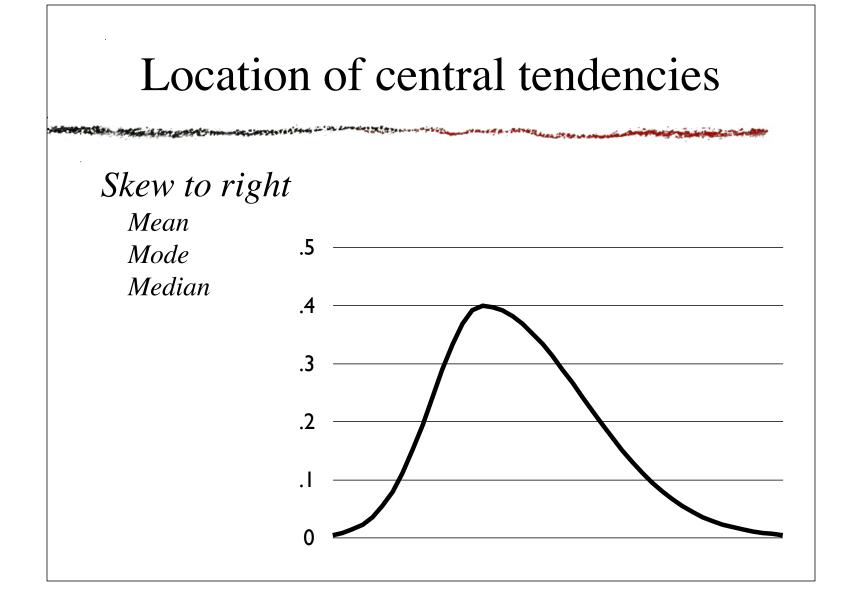
- The median is a value which 1/2 of the values are above it and 1/2 below
- After sorting the values by magnitude, the mode is at the (n+1)/2 location
- 123, 85, 34, 20, 18, 15, 14 → 20
- 123, 85, 34, 20, 18, 15 → (20 + 34)/2 = 27
- When data is grouped, calculating the mode is a bit more complex

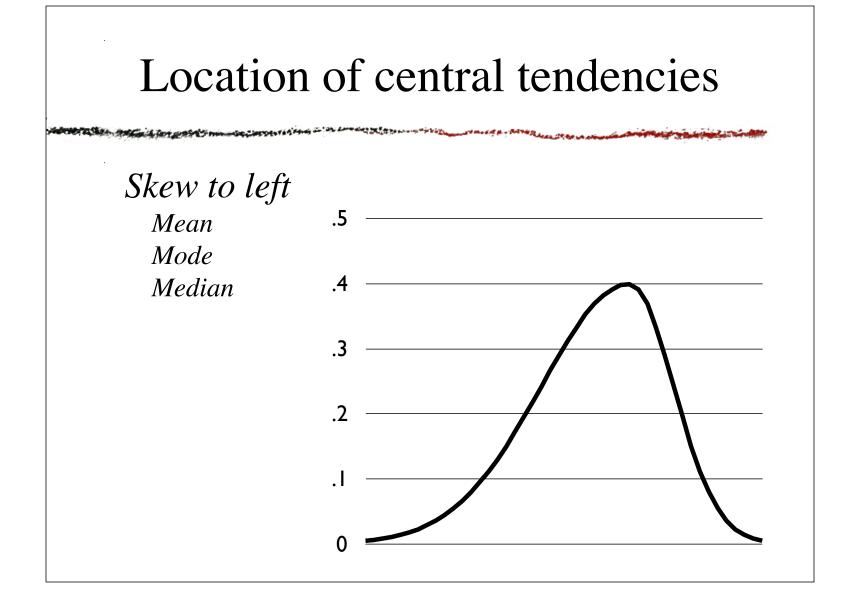
#### The Mean

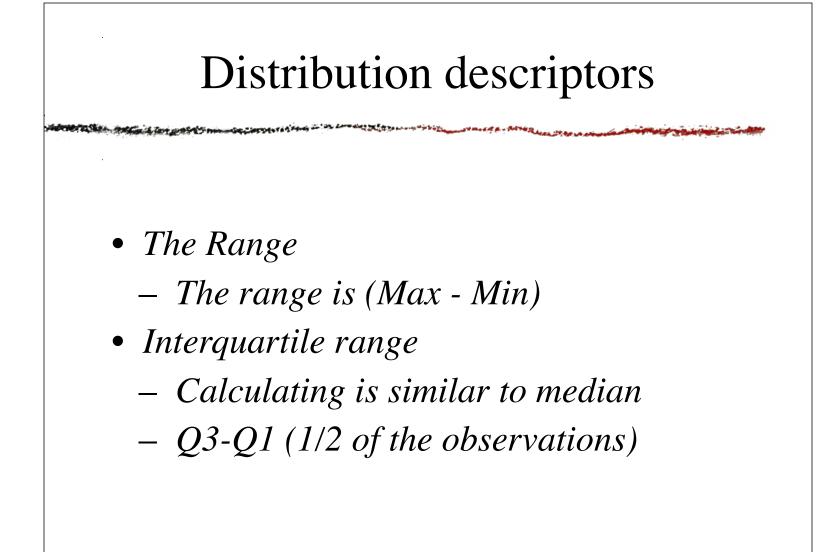
- $Mean = (\sum Xi) / n$
- The most important statistic
- Used for many other computations
- Stable
  - Smallest mean square deviations from it
- Sensitive to extreme values
- Not "well behaved' in non-standard distributions

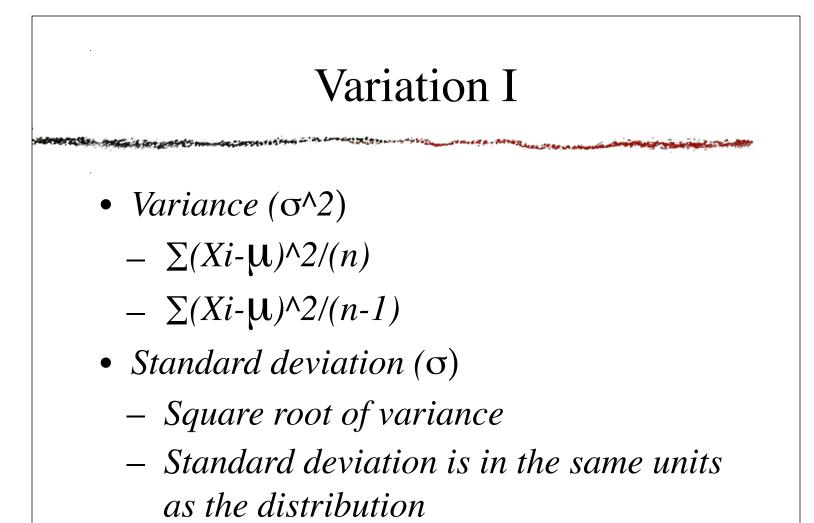


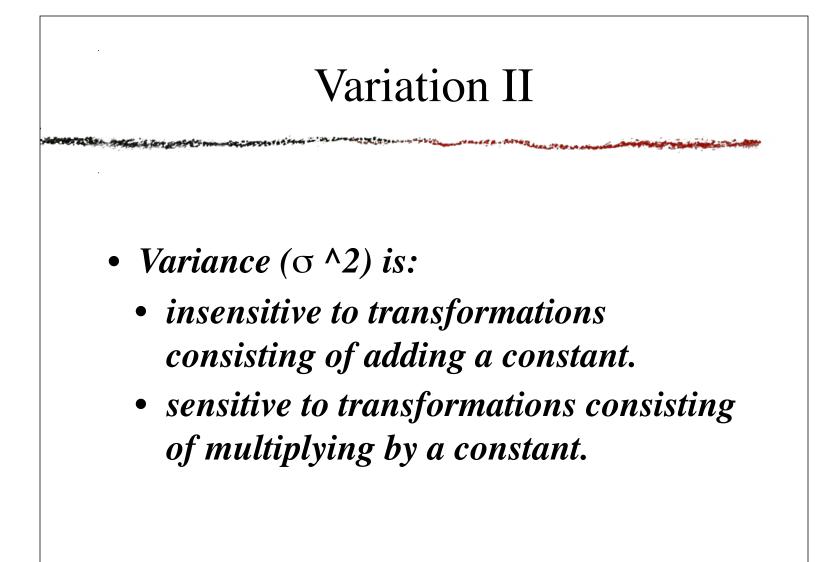


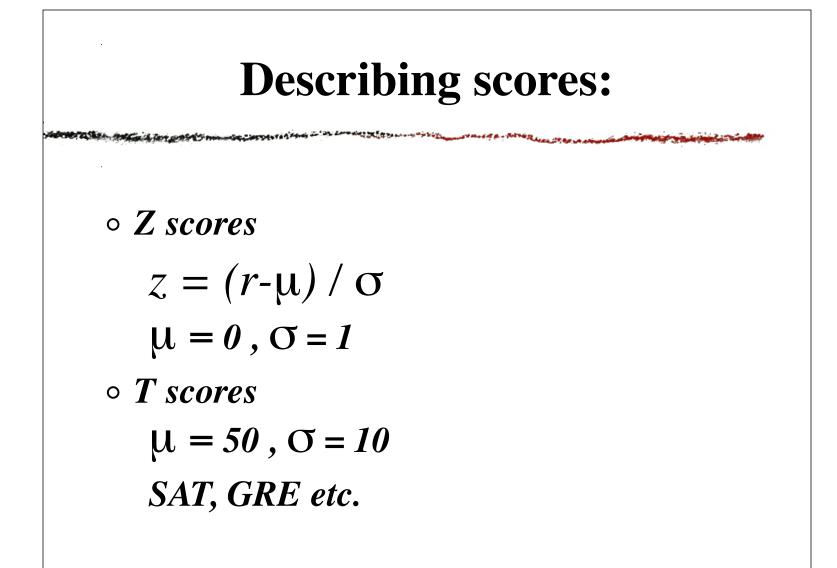


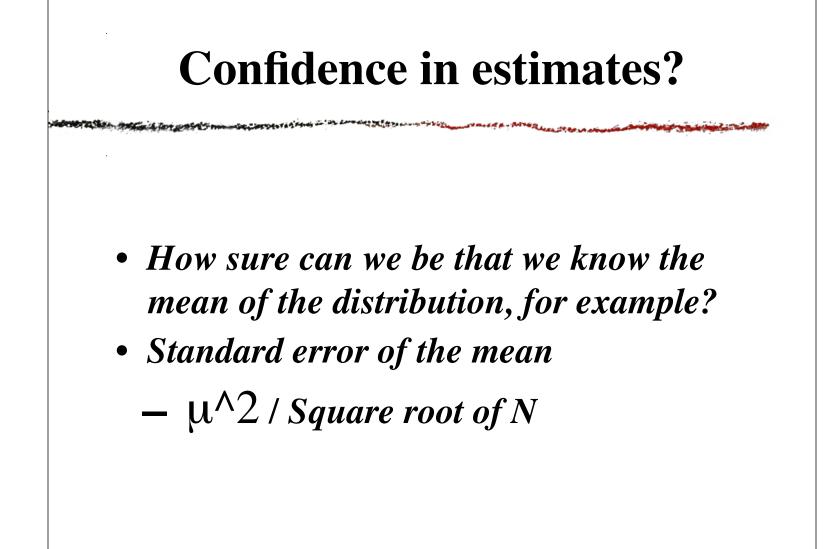


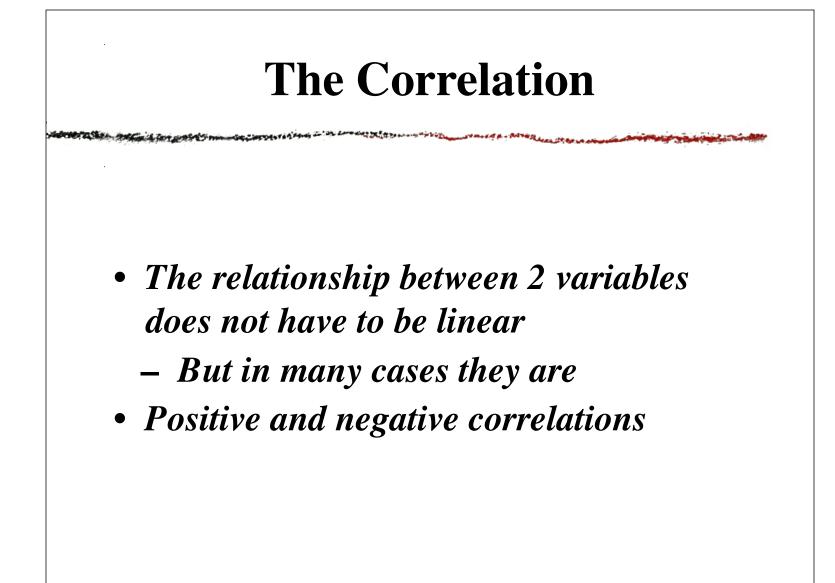


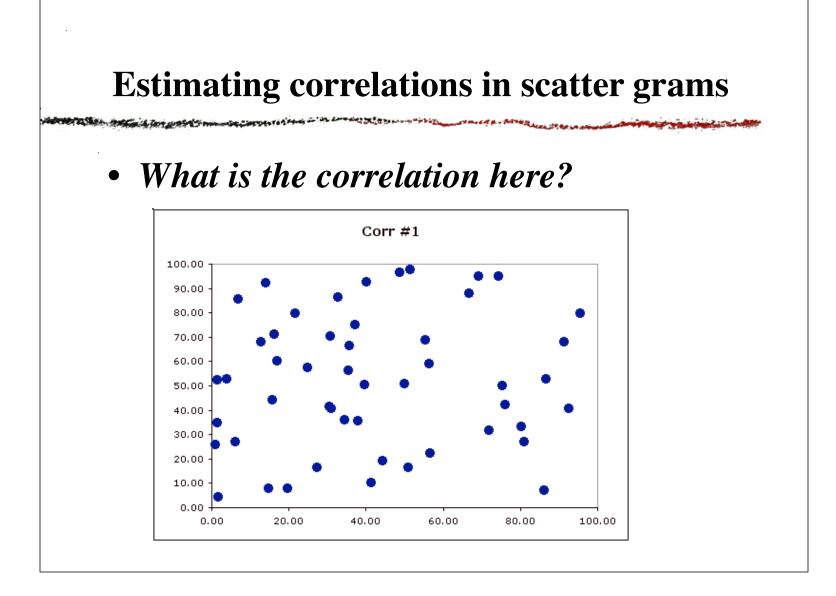


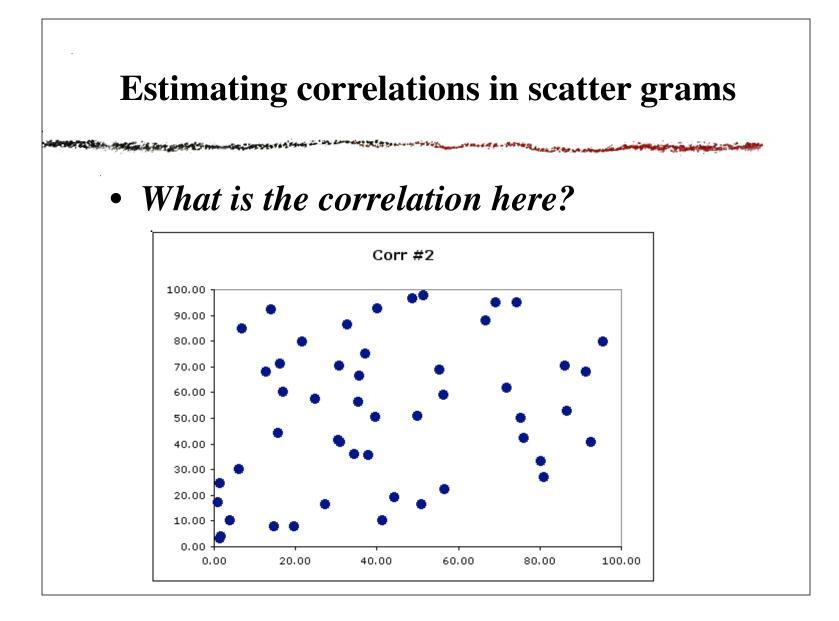


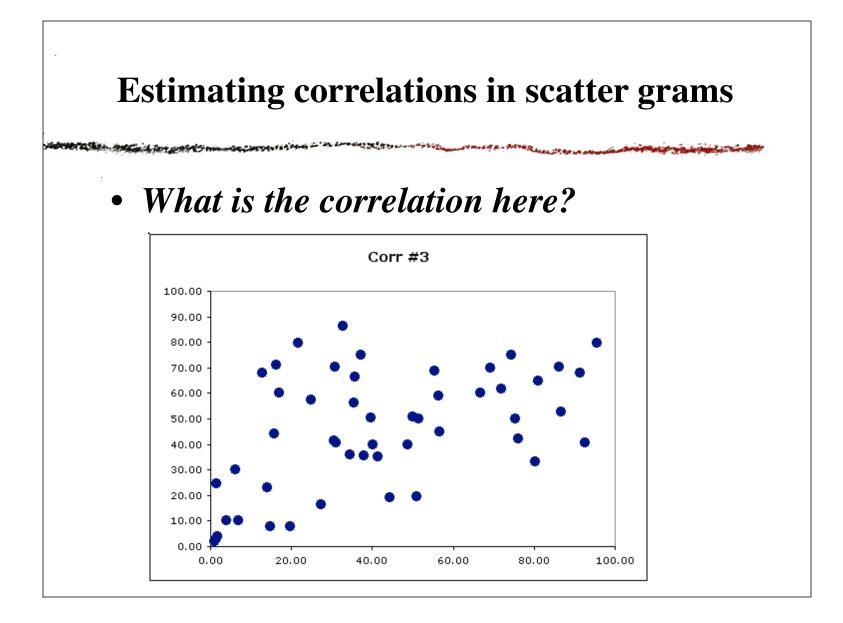


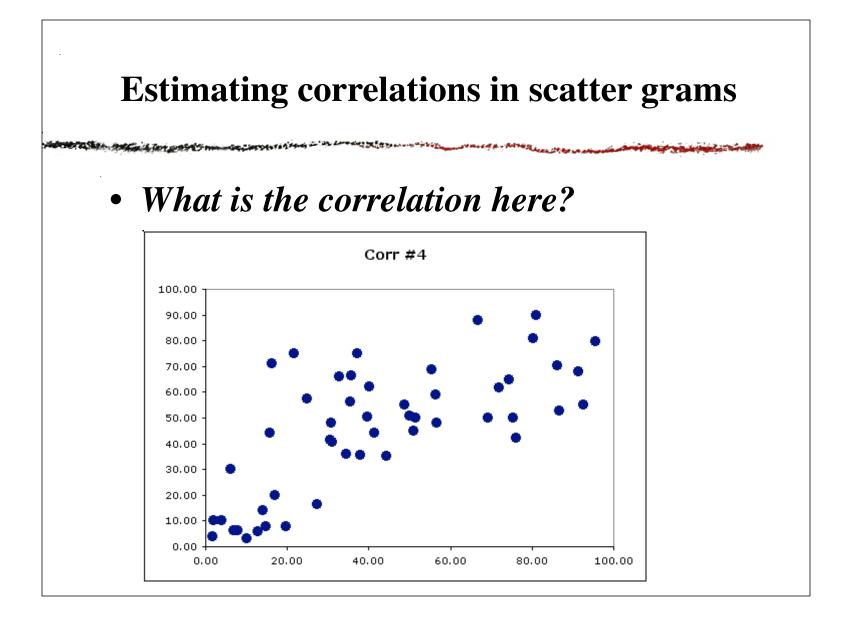


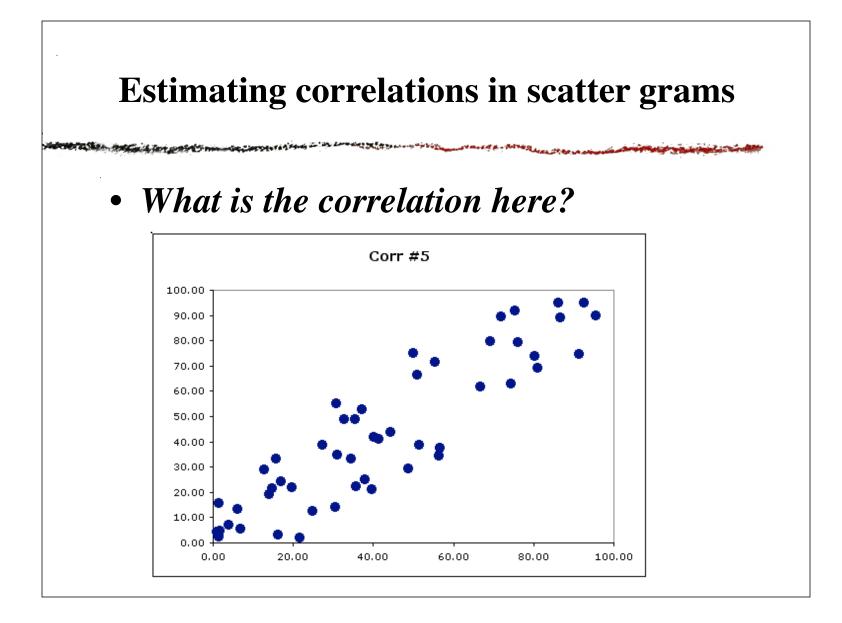


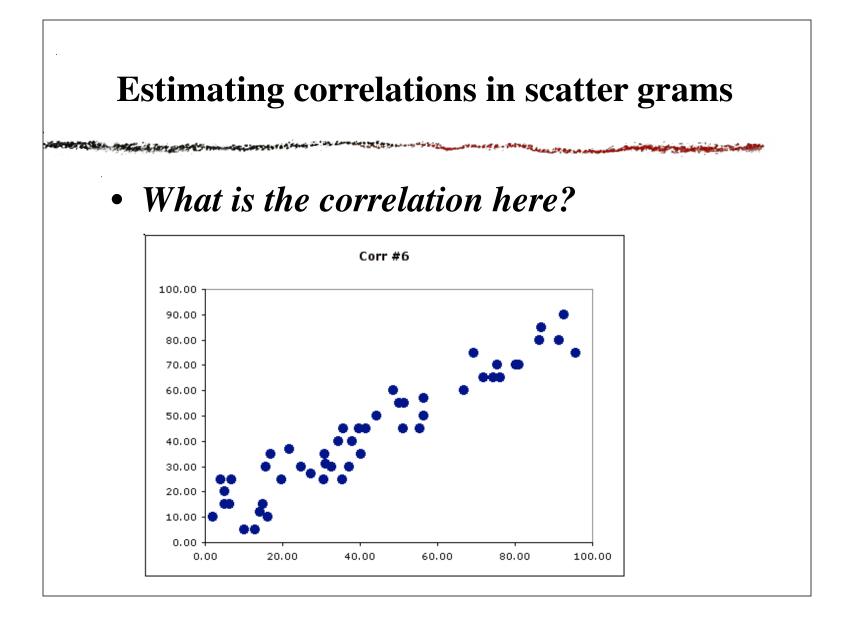


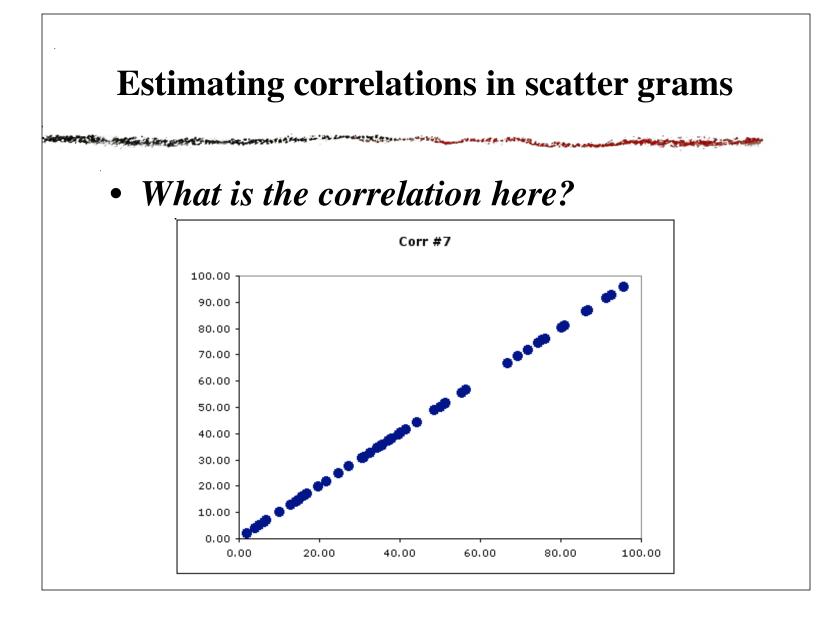












#### The correlations were:

Hard and the second and t

- 1 **→** 0.1
- 2 **→** 0.3
- *3* **→** *0.5*
- *4* **→** *0*.7
- 5 **→** 0.9
- 6 **→** 0.99
- 7 **→** 01

### What is a correlation?

- What line to pick?
  - Sum of all deviations from the line is 0
  - The sum of square deviations of the points from the line is minimal.
- R = Sxy / Sx \* Sy
  - The relationship of their joint standard deviation to their individual standard deviation
- *R*<sup>2</sup> *is the amount of explained variance*

